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FINAL REPORT

Survey of Atmospheric Radiation Components

for the

Gamma and Cosmic Ray Astrophysics Branch

of the

Space Science Division

of the

Naval Research Laboratory

Prepared by

Severn Communications Corporation
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Contract Number NØØØ14-84-C-2Ø89

31 May 1985

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Introduction

The following is the final report of research performed for the Gamma and Cosmic Ray Astrophysics Branch, Space Science Division, Naval Research Laboratory under contract number NØØØ14-84-C-2Ø89. The work was performed by Severn Communications Corporation, Severna Park, Maryland from 28 Feb 1984 through 28 Mar 1985. The principal investigator in this effort was Dr. John R. Letaw.

The research results of this contract are contained in reports and publications appearing during the period of performance of this contract, and in the months following. Papers referenced in this report are contained in Appendices at the end.

Statement of Work

Background:

The Gamma and Cosmic Ray Astrophysics Branch of the Space Science Division plans to extend the current work on the atmospheric radiation environment and to contract the Severn Communications Corporation for the continuing employment of Dr. John R. Letaw as the on-site contractor scientist.

Scope:

The contractor shall provide 12 man-months of on-site technical service to the Space Science Division in the area of radiation effects in the atmosphere from cosmic ray components. The contractor will have the use of the NRL library and computer facilties including the VAX at Space Science Division.

Tasks:

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- 1. Conduct a literature search to determine the current knowledge of the effect of atmospheric radiation components on semi-conductor materials at various air depths. Emphasis shall be placed on the production of secondary particles and their interactions with matter.
- 2. Improve propagation and cross section codes for more reliable estimation of the radiation components from cosmic ray nuclei.
- 3. Calculate the cosmic ray fluxes and LET spectra as a function of zenith and azimuthal angles for various geomagnetic latitudes at depths below 50,000 feet.
- 4. Estimate the neutron fluxes and related LET spectra due to their interactions with matter.

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Survey of Atmospheric Radiation Components

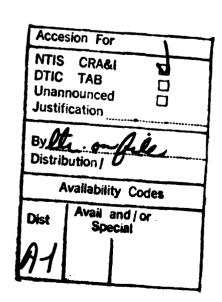
Our analysis of atmospheric radiation components showed several sources of radiation which can be of importance in causing single event upsets. These are:

- 1) Heavy Ions
- 2) Neutrons
- 3) Cosmic Ray Protons
- 4) Secondary Protons
- 5) Pions
- 6) Muons

Our survey of these radiation components is presented in the paper "Neutron Generated Single Event Upsets in the Atmosphere." We find that devices are affected by the radiation components in the order specified.

Heavy ions are the most important cause of SEUs at high altitudes (above 50,000 feet). The heavy ions are rapidly attenuated in the atmosphere by nuclear fragmentation collisions with nitrogen and oxygen nuclei. The resulting fragmentation products include many neutrons and secondary protons. Neutrons are the main cause of SEUs (from atmospheric radiation components) between sea level and 50,000 feet. Pions make only a small contribution to the upset rate.

In very sensitive devices, capable of being affected by minimum ionizing particles, the outlook is slightly different. In this case, at high altitudes protons are the dominant source of upsets. Below about 20,000 feet muons dominate the upset rate.





Improvement of Propagation Codes and Cross Sections

Over the duration of this contract several major improvements in propagation codes were completed. These were:

- 1) Increasing the modularity of code resources allowing for more versatility in application.
- 2) Development of routines for studying propagation of cosmic rays through virtually an material.
- 3) Development of a treatment of fragmentation cross sections of heavy nuclei.
- 4) Estimation of error correlations in cosmic ray propagation.
- 5) Evaluation of inhomogenity in target media and its affects on electron capture isotopes.

The first two accomplishments were validated in several applications. Calculations of fragmentation of Kr and Ho beams in water and CR-39 were performed and delivered to Dr. James H. Adams for comparison with his measurements. Calculations of cosmic ray propagation in the lunar regolith were reported in "Radiation Transport of Cosmic Rays in Lunar Material and Cosmic Ray Doses."

An improvement to Karol's soft spheres model of nuclear reaction cross sections (P.J. Karol, Phys. Rev. C, 11, 1203 (1975)) has been developed for use in estimating total inelastic cross sections in nucleus-nucleus cross sections. This work has been discussed in "Non-Geometric Behavior of Nucleus-Nucleus Total Inelastic Cross Sections". Using these cross sections and the NRL semiempirical formulas (YIELDX and SCALAR) allows estimates of fragmentation parameters for cosmic rays in any material to be computed and normalized to be consistent with overall fragmentation probability.

Error correlations were discussed in preliminary form in "Uncertainties in Cosmic Ray Composition." A talk on this subject was presented at the 1984 American Astronomical Society Meeting. Further details are to be presented in the Proceedings of the 19th International Cosmic Ray Conference (Summer, 1985).

Electron capture decay has been reviewed in "Electron Capture Decay of Cosmic Rays" to be published in Fall, 1985 in Astrophysics and Space Science. Within this paper we demonstrated that electron capture decay is an important factor in the intergalactic propagation of ultraheavy cosmic rays. Elemental abundances of several rare earth elements can vary by factors of two or three if electron capture decay occurs. In addition, there are several isotopes occuring in cosmic rays whose abundances are dependent on density inhomogeneities in the interstellar medium.

Cosmic Ray Heavy Ions Below 50,000 Feet

Our results on this task are discussed in detail in "Cosmic Ray Heavy Ions at and above 40,000 Feet." In this work, results for cosmic ray heavy ions in the atmosphere which were reported in the Final Report on NRL contract number N00014-83-C-2042 have been extended down to 40,000 feet altitude. At this level it was found that neutrons are the dominant cause of single event upsets in most microcircuits.

Neutron Generated Single Event Upsets in the Atmosphere

Our results on this task are discussed in detail in "Neutron-Generated Upsets in Shielded Computer Components." In this paper we demonstrate the importance of heavy ion secondaries emanating from high energy neutron collisions in silicon. These secondaries have been neglected in previous treatments of neutron generated upsets. Energy deposition rates for high energy neutrons were computed.

A simple model of neutrons in the atmosphere was defined based on measurements and Monte Carlo nuclear transport codes. This model was a function of altitude, geomagnetic cutoff, and phase in the solar cycle. Combined with energy deposition curves, some estimates of single event upset rates were made.

List of Papers, Reports and Summaries

The following papers were written during the contract period:

"Electron Capture Decay of Cosmic Rays," (to appear in Astrophysics and Space Science, November, 1985)

"Cosmic-Ray Heavy Ions at and Above 40,000 Feet," IEEE Transactions on Nuclear Science, NS-31, 1066 (1984)

"Neutron-Generated Upsets in Shielded Computer Components," IEEE Transactions on Nuclear Science, NS-31, 1183 (1984)

"Nuclear Cross Sections, Cosmic Ray Propagation and Source Composition," (to appear in NATO Advanced Studies Series, ed. M.M.-Shapiro, Reidel Publishing Company, Dordrecht, Holland, 1985)

"Radiation Transport of Cosmic Ray Nuclei in Lunar Material and Radiation Doses," Proceedings of the Symposium on Lunar Bases and Space Activities (1984, in press)

"Non-Geometric Behavior of Nucleus-Nucleus Total Inelastic Cross Sections," (unpublished).

"Environmental Models for Single Event Upset Estimation," Proceedings of the Spacecraft Anomalies Conference, 274 (1984)

"Late Stage in Acceleration of Cosmic Rays," Bulletin of the American Physical Society, 29, 735 (1984)

"Ultraheavy Cosmic Rays and Electron Capture Decay," Bulletin of the American Physical Society, 29, 735 (1984)

"Uncertainties in Cosmic Ray Source Composition," Bulletin of the American Astronomical Society, 16, 448 (1984)

The following papers were completed and appeared in published form:

"Propagation of Heavy Cosmic Ray Nuclei," Astrophysical Journal Supplements, 56, 369 (1984)

"On the Abundances of Ultraheavy Cosmic Rays," Astrophysical Journal, 279, 144 (1984)

"Radiation Doses and LET Distributions of Cosmic Rays," Radiation Research, 98, 209 (1984)

"LET-Distributions and Doses of HZE Radiation Components at Near-Earth Orbits," Advances in Space Research, 4, 143 (1984)

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List of Conferences Attended

Spring Meeting of the American Physical Society, Crystal City, Virginia, 24-27 April 1984.

Presented a paper entitled "Ultraheavy Cosmic Rays and Electron Cpature Decay"

164th Meeting of the American Astronomical Society, Baltimore, Maryland, 10-13 June 1984.

Presented a paper entitled "Uncertainties in Cosmic Ray Source Composition"

Spacecraft Anomalies Conference, Colorado Springs, Colorado, 30-31 October 1984.

Presented a paper entitled "Environmental Models for Single Event Upset Estimation"

Neutral Particle Beams Lethality/Emissions Computer Codes Workshop, Air Force Weapons Laboratory, Albuquerque, New Mexico, 1 November 1984.

Presented a paper entitled "NRL Energy Deposition Codes"

Third Annual DOD/DOE/NASA Symposium on Single Event Effects, Los Angeles, California, 5-6 March 1985.

Presented a paper entitled "Single Event Upsets in Fractional Orbits"

Abstract

Cosmic ray nuclei are close to fully ionized during their passage through he galaxy. Electron capture decay is rare among these nuclides

because most do not have bound electrons. Under certain conditions, specifically low energies and/or high charges, electron capture becomes an essential factor in determining cosmic ray composition. In this paper we discuss the general nature of electron capture decay in cosmic rays and

describe specific measurements which can reveal the existence of electron

capture decay, and energy and density-dependent processes in the

interstellar medium.

Electron Capture Decay of Cosmic Rays

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1. Introduction

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Among the cosmic ray nuclides which are stable, or nearly stable, in their passage through the glaxy, roughly 1/3 are unstable to electron capture decay (Letaw, Silberberg, and Tsao, 1984). In spite of their numerical prominence, there is little compositional evidence for the decay of the electron capture nuclides in cosmic rays. The best measured cosmic ray nuclides (Z < 30) have a mean free path for electron attachment much greater than their mean pathlength in the galaxy. Electron capture decay can therefore have little effect on isotopic or elemental abundances in this charge range. Measurements of higher charges have so far been restricted to elements or groups of elements. Electron capture decays in this charge range, though possible, are undetected in present observations either because the relative number of electron capture nuclides is small or because cancellation occurs among neighboring elements.

The study of electron capture decay of cosmic ray nuclei began with Yiou and Raisbeck (1970) who treated the nuclide $^{7}\mathrm{Be}$. They demonstrated that the effects of electron capture decay on the abundance of this nuclide appear below 20 MeV/nucleon (MeV/N) outside the heliosphere. Detection at this low energy is impossible within the heliosphere because of solar modulation. Similar conclusions apply to other light, secondary nuclei such as $^{37}\mathrm{Ar}$, $^{41}\mathrm{Ca}$, $^{49}\mathrm{V}$, $^{51}\mathrm{Gr}$, and $^{55}\mathrm{Fe}$ in standard propagation models. For these nuclides, at cosmic ray energies, so little attachment occurs that they are nearly stable.

Recently it has been noted (Silberberg et al., 1983) that if cosmic rays undergo acceleration during or after secondary production, many anomalies in cosmic ray composition are resolved. Such an acceleration,

which is determined to be about a factor of 4 in kinetic energy, would allow observation of electron capture decay among some secondary nuclei at about $600 \, \text{MeV/N}$. Heasurements of $37 \, \text{Ar}$, $^{49} \, \text{V}$, and $^{51} \, \text{Cr}$ (Webber, 1981) are consistent with this model and roughly one standard deviation below predictions of the standard model. The nuclides $^{41} \, \text{Ca}$ and $^{55} \, \text{Fe}$ are obscured by nearby, abundant isotopes.

Long-lived electron capture nuclei, such as 53 Mh, behave as cosmic ray "clocks" if they have attached electrons (Reames, 1970) and their lifetime is comparable to the cosmic ray confinement time of about 10^7 years. Except at unobservably low energies electron attachment to 53 Hn is too rare to affect composition. If the mean density of interstellar gas were several orders of magnitude larger or there were substantial inhomogeneities in regions of cosmic ray propagation, then nuclei with shorter lifetimes would make appropriate "clocks" or "hydrometers" (Raisbeck et al., 1975).

The possibility of electron capture decay among primary cosmic rays prior to their principal acceleration has been explored by Soutoul, Casse, and Juliusson (1978) for the case of Fe, Co, and Ni. Prior to acceleration these nuclides have energies less by a factor of 1000 than their propagation energy. At such low energies the nuclides 57Co, 56Mi, and 59Mi easily attach electrons. Their decay causes variations in the Co/Ni ratio for pre-acceleration times of up to 10^5 years. Results, in principle, can reveal the time between nucleosynthesis and cosmic ray acceleration. Heasurements are consistent with full decay prior to acceleration, but inconclusive about the delay between nucleosynthesis and acceleration. A measurement of the abundance of ⁴⁴Ti might eliminate the possibility of a short delay (Shapiro and Silberberg, 1975).

One notable deficiency in the literature of electron capture decay in

cosmic rays is a discussion of ultraheavies having charges 2 > 30. These nuclides are potentially of great interest because the rate of electron attachment increases rapidly with charge. They therefore decay at median cosmic ray energies of 1 or 2 GeV/N. Electron capture nuclides in this charge range are common enough that even elemental abundances can be affected by their decay. Thus we expect large variations in some elemental abundances with energy.

In this paper we present a general discussion of the nature of electron rapture decay of cosmic rays. The treatment of the decay process begins with rate equations governing the attachment and stripping of electrons from nuclei, and the decay of these nuclei. The solution of these rate equations yields four general conclusions:

- 2) Cosmic rays approach statistical charge state equilibrium at a rate greater than the electron stripping rate.
- Cosmic rays approach statistical charge state equilibrium at a rate greater than their effective electron capture rate.
- 4) Cosmin rays maintain statistical charge state equilibrium relative to other physical processes affecting composition.

With the above general conclusions a simplified treatment of electron capture decay in cosmic ray propagation is possible. This reveals two general classes of electron capture nuclides: attachment-limited and capture—limited. Attachment-limited nuclides decay rapidly once they attach an electron. Since attachment depends only on the total quantity of matter passed through, these nuclides reveal nothing about the interstellar matter density. The strong energy dependence of the attachment mean free peth,

however, implies strong energy dependence of abundance, making these nuclides useful for identifying energy dependent processes in cosmic ray propagation. Capture-limited nuclides have long electron capture lifetimes and hence, once an electron is attached, behave as other unstable nuclides. These nuclides are typical cosmic ray clocks and may be used to measure the density of interstellar matter. $^{59}\text{N}_{\text{I}} \text{ and } ^{81}\text{Kr are potentially important}$ capture-limited electron capture nuclides.

present results of cosmic ray propagations incorporating the electron capture decay process. Our results demonstrate that it is essential to include electron capture decay in cosmic ray propagation calculations as some elemental abundances are affected by of isotopic and elemental abundances of ultraheavy cosmic rays due to electron capture decay modes. We conclude that electron capture nuclides several hundred percent. We also demonstrate the strong energy dependence occuring at all energies in They are an important tool for studying solar modulation and distributed acceleration (Silberberg et al., 1983) both of processes which involve significant energy shifts. effectively identify acceleration ¥. cosmic ray propagation. Section 3,

In Section 4 we discuss the effect of inhomogeneities in the ISM on electron capture nuclides in cosmic rays. In a two component ISM these nuclides can be capture-limited in the denser regions and attachment-limited in the rarefied regions. In the dense regions (or clouds) decay is inhibited because stripping is rapid, whereas in the rarefied regions little decay occurs because attachment is rare. In a homogeneous ISM the decay rate is maximized because the fraction of nuclides with an electron attached compounded with the time for decay is maximized. Thus, the existence or absence of these nuclides in cosmic rays indicate the nature of

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inhomogeneities in the propagation region.

2. Decay Model and General Results

We model the electron capture decay of cosmic rays using the following rate equations:

$$dN^*/dt = aN + sN^* - (d + e)N^*$$
 (2

Here, N and N represent the abundances of a nuclide fully ionized and with a single electron attached, respectively. The attachment and stripping rates are a and s, respectively, d is the decay rate for all non-electron capture modes and e is the effective decay rate for electron capture. e is roughly one-half the laboratory decay rate because cosmic rays usually have only one K-shell electron to be captured (Wilson, 1978).

The attachment and stripping mean free paths, $\lambda_{\rm a}$ and $\lambda_{\rm s}$, are computed using the results of Milson (1978) and Crawford (1979). They are shown in Figures 1 and 2 as a function of charge and energy. $\lambda_{\rm a}$ and $\lambda_{\rm s}$ are independent of the density of the interstellar medium; hence so long as the electron capture process is dominated by attachment and stripping, electron capture nuclides cannot be used as cosmic ray "clocks" or "hydrometers". Attachment and stripping rates are used in Equations (1) and (2) for convenience. For purposes of this paper it is only necessary to recognize that they are inversely proportional to their corresponding mean free paths.

Implicit in the rate equations is the assumption that multiple electron attachment never occurs in cosmic rays and that nuclear fragmentation cannot affect the decay process. These assumptions are justified in what follows.

An exact solution to the rate equations can be obtained. Solving only for the ratio (Ne/N) one finds that it approaches an equilibrium value:

$$|a/N|_{eq} = \sqrt{(s+e-a)^2 + 4as - (s+e-a)/2s}$$
 (3)

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The equilibrium described here is statistical, that is, although at any time the number of nuclei which have attached electrons is constant, stripping and attachment rapidly alter the state of a given nucleus.

process in cosmic ray propagation. Proposition 1: Multiple electron attachment may be ignored in models of

cosmic ray electron capture decay, except for actinides.

Analysis of this solution leads to general conclusions about the decay

The equilibrium charge ratio (3) takes the simple form

when there is no decay (e=0). Contours of this function (Figure 3) show that it is much less than one for all nuclides except actinides, and ultraheavies with 70 < 2 < 83 and energies well below the spectral peak. Including decay substantially decreases the equilibrium charge ratio of the ultraheavies. The fraction of nuclei with multiple electrons is roughly the square of the fraction with a single electron, implying that multiple attachment may be ignored except when the equilibrium charge ratio is close to one. Recent measurements on Cu (Gould et al., 1984) confirm theoretical estimates of the equilibrium charge.

Proposition 2: Equilibrium charge ratio is approached at least at the stripping rate 3.

This result follows directly from (4).

Proposition 3: Equilibrium charge ratio is approached at least at the effective decay rate \mathbf{e}_{i} if $\mathbf{s} > \mathbf{a}_{i}$.

This result follows directly from (4). The restriction Do is satisfied for

most cosnic rays, exceptions occuring where the equilibrium charge ratio in Figure 3 is greater than one.

Proposition 4: Cosmic rays are effectively always in statistical charge state equilibrium.

For cosmic rays the escape mean free path is roughly 7 $\rm g/cm^2$ and the fragmentation mean free path is never less than 0.75 $\rm g/cm^2$. Electron stripping occurs with a mean free path less than (usually much less than) 0.2 $\rm g/cm^2$. Charge state equilibrium is therefore attained much faster than other processes in cosmic ray propagation. This conclusion holds for actinides even though the equilibrium may involve more than two charge states.

When an electron capture nuclide is in charge state equilibrium Equations (2) and (2) may be summed to yield a single equation for the time evolution of the abundance

$$\frac{d(\Pi + H)}{dt} = -\left[\frac{d + \frac{e(N^{*}N)}{1}}{1 + (N^{*}N)} e_{q} \right] (N^{*} + N)$$
 (6)

To this equation may be added additional effects such as fragmentation and ionization loss. The rapid process of electron attachment and stripping is reduced to the much slower effective decay process in Equation (6). Explicit treatment of charge states is avoided.

Two limiting cases of Eq. 6 may be described. We begin with the generic situation where s + e >> a and there is no decay mode other than electron capture (4±0).

$$\frac{d(N+N)}{dt} = -\frac{ge}{ge}(N+N) \tag{7}$$

If e >> a, that is, if the rate of nuclear electron capture is much greater

than the rate of electron attachment, then the decay is attachment-limited. In this case as soon as an electron becomes available the nuclide is considered to decay. The effective decay rate is a, therefore the effective decay mean free path is the attachment mean free path as shown in Figure 1. The vast majority of cosmic ray electron capture nuclides are attachment-limited because attachment is slow in the tenuous interstellar medium while capture lifetimes are generally some small fraction of a year.

If a >> e, that is, if the nuclear electron capture process proceeds much more slowly than the attachment and stripping of electrons, then the decay is capture—limited. In this case the nuclides behave as any other cosmic ray "clock" with an effective decay rate of (a/s)e. The suppression factor (a/s) is shown in Figure 3. $^{59}{\rm Nl}$ and $^{81}{\rm Kr}$, with their somewhat shorter halflives, may eventually add to our information on cosmic ray confinement time.

3. Abundances of Electron Capture Nuclides in Cosmic Rays

The techniques described in the previous section have been incorporated into our standard cosmic ray propagation model (Letaw, Silberberg, and Isao, 1984) and used to compute the cosmic ray elemental abundances at 600, 1000, 2500, and 5000 MeV/N. This demonstrates the overall importance of electron capture in cosmic ray propagation and the energy dependences introduced by this effect. In addition, elements which are particularly sensitive to electron capture decay may be identified.

Table 1 contains the abundances of cosmic rays with charges 2 = 26 to 2 = 83. In addition results of a calculation at $600\ \text{MeV/N}$ where electron capture decays were not allowed are shown. Omitting electron capture decay

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at 5000 MeV/N has little effect on abundances. Immediately apparent from the Table is the necessity of incorporating electron capture decay into propagation calculations. This is a departure from lore acquired for elements lighter than Fe. The reason for the change can be found in Figure

Since most cosmic ray electron capture decays are attachment-limited, the mean free path for decay may be taken from Figure 1. At 500 MeV/N or above (propagation energy) decay of nuclides lighter than Fe is inhibited because mean free paths exceed the 5 to 10 g/cm² mean cosmic ray pathlength. For higher charges electron capture rapidly becomes important, e.g., the mean free path for Pb at 1 GeV/N is about 0.1 g/cm². Also seen in Figure 1 is the strong energy dependence of the attachment mean free path. For elements around 2 = 40 to 50 this variation allows full decay at 500 MeV/N elements around 2 = 40 to 50 this variation allows full decay at 500 MeV/N elements around 2 = 40 to 50 this variation allows full decay at becay of flatachment-limited actinides is likely to proceed uninhibited at observed energies below 5 GeV/N. This energy dependence necessitates the detailed treatment given in Section 2.

Figures 4 and 5 show graphically the abundances of Eu and Dy, respectively, as calculated both including and omitting electron capture decay. Both figures show the strong energy dependence introduced by electron capture decay. In general the abundances of rare earth nuclides are increased relative to nuclides in the Pt/Pb peak by electron capture

The hypothesis of distributed acceleration (Silberberg et al., 1983) states that, after their principal acceleration and much of their fragmentation interaction with the interstellar medium, cosmic rays receive additional acceleration amounting to about a factor of 4 increase in kinetic

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energy. With this hypothesis several anomalies in cosmic ray composition are explained. Electron capture nuclides present a clear test of this hypothesis. Whereas the standard model predicts observed abundances at 2500 MeV/N as in Table 1, distributed acceleration predicts abundances at 2500 HeV/N to be similar to those of the standard model at 600 MeV/N. With Euthis represents a difference of a factor of 2 in observed abundance.

4. Propagation in an Inhomogeneous Interstellar Medium

The standard model of cosmic ray propagation (see, for example, Letaw, Silberberg, and Tsao, 1984) assumes the propagation medium is homogeneous and that elapsed time is proportional to the amount of matter traversed. Fragmentation, and therefore the abundances of most cosmic rays, is insensitive to this assumption. Measurements of at least two unstable nuclei (for example, $^{10}{\rm Be}$ and $^{26}{\rm Al}$) are needed to test the assumption of homogeneity. Present data (Wiedenbeck, 1983) are incapable of resolving even the most extreme inhomogeneity in the galaxy.

Realistic models of the ISM (e.g., McKee and Ostriker, 1977) suggest that most of the galaxy is filled with hot, tenuous gas having a density of roughly 0.003 atoms/cm³. Roughly 20% of space is filled with warm clouds (density about 0.25 atoms/cm³) having cold cores of much higher density (about 40 atoms/cm³). In these models cosmic rays must encounter large inhomogeneities to accumulate sufficient grammage to produce observed secondaries. Within the clouds the electron capture decay rate will be much greater than in the hot, tenous regions if the transition from attachment-limited to capture-limited decay has occured. The transition is sensitive to both density and cosmic ray energy. While the decay rate is

higher in dense regions, the mean pathlength needed for decay is actually lower. Less decay occurs in an inhomogeneous medium than in a homogeneous medium. In this section we describe the influence of inhomogeneity on cosmic-ray electron-capture nuclides.

The effective mean free path and mean time for decay extracted from the generally valid Eq. 7 are

$$\int_{eff} z^{\lambda} \left[\frac{1+kn_{H}}{s} \right]$$
 (8)

where kn_H is the conversion from time to pathlength (we use kn_H = 2.9 x 10-6 (g/cm²)/year when n_H is the ISM density in atoms/cm³) and τ is the mean time for decay with one electron attached:

$$t = 2 \operatorname{rr}_{1/2} / \ln 2 \tag{}$$

Graphs of $^{A}_{eff}$ and $^{t}_{eff}$ are shown in Figures 6 and 7 for $^{H1}_{i}$ at 100 MeV/N. Note that for low densities the decay is attachment-limited and the effective decay mean free path is independent of density. For high densities (capture-limited decay) the effective mean decay time is independent of density. The transition density in this example is 12.4 g/cm². In general

 1 Hr. and $^{\lambda}$ eff and T eff at low and high densities, are tabulated for 44 Ti at several energies in Table 2. At intermediate densities $^{\lambda}$ eff and T eff are the sum of the high and low density parts. In particular, at transition density, $^{\lambda}$ eff is twice the low density value and T eff is twice the high density value.

From Table 2 we observe that very little $^{\rm kH}$ Ti decays in cosmic rays at E > 500 MeV/N. The minimum pathlength required for decay is $^{\rm A}_{\rm eff}$ at low density, 19.4 g/cm $^{\rm Z}$, which is much greater than the cosmic ray escape $^{\rm 13}$

pathlength. In order to observe inhomogeneity, ⁴⁴Ti must undergo the transition from low density (slow decay) to high density (rapid decay) in the ISM. The transition density is roughly independent of energy and about 12 atoms/cm³. ⁴⁴Ti is a "hydrometer" showing fundamentally different behavior if densities greater than this are encountered.

As an example consider a two component medium consisting of hot, tenuous gas at 0.003 atoms/cm³ and clouds with 40 atoms/cm³. In our model the total grammage traversed in the tenuous gas in 10^7 years is less than 0.1 g/cm². From Table 2, 44 Ii in low density regions cannot decay over this pathlength for energies of 50 MeV/N or more. Essentially all decay must take place in clouds. At 100 MeV/N the mean pathlength required for decay is 1.9 g/cm² (about 4 x 10^4 years in this model), therefore substantial decay occurs in the clouds where most of the grammage is encountered. In contrast with the two-component model, the mean pathlength required for decay in a homogeneous galaxy is 0.6 g/cm² at 100 MeV/N. Significantly more decay is possible in a homogeneous galaxy than in an inhomogeneous galaxy.

The surviving fractions of three nuclides sensitive to density inhomogeneities - ⁴⁴II, ⁹³Mo, and ¹⁵⁷Ib - are shown as a function of energy in Figures 8, 9, and 10. Results were based on the assumed density of 0.003 atoms/cm³ in the hot, tenuous phase of the galaxy using an energy-dependent mean path-length. The curves are labeled according to the assumed (uniform) cloud density in the galaxy. As expected, the lighter elements are most sensitive to this electron capture effect at low energies, while variations in heavier elements may occur above 1 GeV/N. This is associated with the increased binding energy of higher charged ions. The region of sensitivity to cloud densities depends both on the charge and lifetime of the nuclide. ⁹³No is very sensitive to expected density enhancements in the ISM. One

therefore hopes that the next generation of cosmic-ray-isotope experiments right extend to 2 ± 42 . $^{91}{\rm Nb}$ is also sensitive to density enhancements; however, its halflife is unknown so detailed predictions cannot yet be made.

5. Summary

We began this paper with a brief review of previous work on the problem of electron capture decay in cosmic rays. There is presently little evidence of electron capture because of limitations on experimental isotopic and charge resolution, and because low energy cosmic rays are not observed in the heliosphere. Electron capture nuclides are potentially important for identifying energy and density-dependent processes in cosmic ray propagation.

In Section 2 we presented a formulation of the electron stripping and by the problem in terms of one effective equation. This equation uses the concept of charge state equilibrium which integrates the effect of very rapid stripping and attachment reactions. Two important classes of electron capture decay are identified: attachment-limited, where decay rate is determined by the electron pickup rate, and capture-limited, where decay rate is determined by the nuclear K-capture rate.

The remaining sections demonstrate astrophysical conditions where electron capture nuclides are useful in elucidating physical processes in the ISM. In Section 4 we show that some elemental abundances, especially rare earths, are very sensitive to the energy of propagation. They may be used to identify such processes as distributed acceleration where significent acceleration of cosmic rays occurs after most secondary formation. In Section 5 we show that some nuclides (⁸⁴II, ⁹¹MI, ⁹³MO, and ¹⁵⁷Tb) have decay rates determined by cloud densities in the ISM.

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Table I continued

100 m

		Cosmic Ray Elemental Abundances	mental Abund	ances					Cosmic Ray Elemental Abundances	mental Abund	ances	
)3 Q	Electron Ca	Electron Capture Decay Included	Included				No EC	Electron Ca	ectron Capture Decay Included	Included	
	N/New Ood	600 MeV/N	1000 MeV./N	2500 MeV/N	5000 He V/N			600 MeV /N	600 MeV/N	_	2500 MeV /N	0
							×	#.0 × 10		×	×	M
e.	1.0 x 10 ⁶	1.0 x 10 ⁶	1.0 x 10 ⁶	1.0 x 10 ⁶	1.0 x 10 ⁶		ស្លី និ	5.7 x 10 ⁻ .	8.5 x 10.	8.1 × 10 .	6.6 x 10 .	6.1 x 10 .
ខ	5.8 x 10 ³	5.6 x 10 ³	5.6 x 10 ³	5.3 x 10 ³	5.1 x 10 ³		B .	0. * 10 1. 10 -1	× 1	* :	× :	K
¥	5.3 x 10 ⁴	5.4 × 104	5.4 x 104	5.5 x 10 ⁴	5.5 x 10 ⁴		ී එ	× ×	× ×	× ×	1.8 1.00	× ×
3	6.7 x 10 ²	6.8 x 10 ²	6.7×10^{2}	6.6 x 10 ²	6.5 x 10 ²		: <u>L</u>	· ×	· ×	· ×	. ×	. *
u2	8.3 x 10 ²	8.4 x 10 ²	8.4 x 10 ²	8.4 x 10 ²	8.3 x 10 ²		¥	- ×	×	1.6 x	×	×
g _a	7.4 x 101	7.5 x 10	7.4 x 10	7.3×10^{1}	×		e E	3.0 x 10-1	×	2.7 x	×	×
ŝ	1.5 x 10 ²	1.5 x 10 ²	1.5 x 10 ²	1.5 x 10 ²	1.4 × 10 ^e		Ŗ	1.5 x 10 ⁰	1.4 x 10 ⁰	1.5 x	1.1 x 10 ⁰	1.0 × 10 ⁰
A.3	1,1 x 10 ¹	1.1 x 10	1.1 × 10	1.1 x 10	×		a	1.6 x 10 ⁻¹	3.9 x 10 ⁻¹	3.5 x	2.0 x 10 ⁻¹	1.7 x 10 ⁻¹
Se Se	5.6 x 10 ¹	5.6 x 10	5.7 × 10	5.8 x 10	×		3	9.2 x 10 ⁻¹	×	1.0 ×	8.0 × 10-1	7.5 x 10 ⁻¹
۳ _×	×	×	1.0 × 10	×	×		£	2.5 x 10 ⁻¹	2.7 x 10 ⁻¹	2.7 x	1.9 x 10 ⁻¹	1.8 x 10-1
<u>ج</u> (2.7 x 10 ¹	2.8 x 10	2.8 x 10	2.8 x 10	×		ል	1.1 x 10 ⁰	×	1.4 ×	9.2 x 10 ⁻¹	8.2 x 10 ⁻¹
æ	1.3 x 10	1.3 x 10	1.3 x 10	×	×		웊	5.4 x 10 ⁻¹	×	3.6 x 10-1	×	2.9 x 10-1
Ŋ	3.9 x 10'	3.9 x 10'	4.0 × 10'	4.1 x 10'	10 × 0.14		ដ	7.4 x 10-1	9.2 x 10 ⁻¹	8.4 x 10-1	×	5.1 x 10 ⁻¹
,	6.8 x 10 ⁰	6.8 x 10 ⁰	7.1 x 10 ⁰	7.1 x 100	×		£	1.9 x 10-1	2.0 x 10 ⁻¹	1.8 x 10-1	1.2 x 10 ⁻¹	1.1 x 10 ⁻¹
2 r	1.5 x 10 ¹	1.5 x 10 ¹	1.6 x 10 4	×	×		£	9.5 x 10 ⁻¹	1.0 × 10 ⁰	8.8 x 10-1	5.9 x	5.4 x 10-1
ð	2.2 x 10 ⁰	2.3×10^{0}		2.6 x 10 ⁰	2.4 x 10 ⁰		3	5.9 x 10-2	2.1 x 10 ⁻¹	1.8 x 10-1!	1.0 x	7.2 x 10 ⁻²
£	5.2 x 100	5.5 x 10 ⁰	6.2 x 100	6.0 x 100	5.6 x 100		Ħ	8.8 × 10-1	9.1 x 10 ⁻¹	7.6 x	5.1 x	4.6 x 10 ⁻¹
ដ	1.4 × 100	×	1.7 x 100	1.7 × 100	×		Ta	3.0 x 10-2	1.6 x 10-1	1.1 x	5.3 x 10 ⁻²	3.6 x 10-2
2	5.3 x 100	5.7 x 100	6.5×10^{0}	5.8 x 10 ⁰	×		3	6.2 x 10 ⁻¹	6.6 x 10 ⁻¹	5.4 ×	3.6 x 10-1	3.1 x 10-1
Æ	1.5 x 10 ⁰	1.5 x 10 ⁰	1.8 x 100	×	×		ě	3.3 x 10 ⁻¹	2.1 x 10 ⁻¹	1.8 ×	×	1.5 x 10-1
2	5.1 x 10 ⁰	4.8 x 10 ⁰	×	×	×		õ	1.1 x 10 ⁰	9.8 x 10 ⁻¹	8.2 ×	6.6 x 10-1	×
A 8	1.4 x 10 ⁰	1.8 x 10 ⁰	1.9 x 10°	×	×		H	5.0 x 10-1	4.9 x 10-1	4.2 x	3.7 x 10-1	3.7 x 10-1
3	3.9 x 10 ⁰	4.3 x 10 ⁰	4.7 x 10 ⁰	3.9 x 10 ⁰	3.5 x 10 ⁰		ť	7.7 x 10 ⁻¹	×	8.6 x 10 ⁻¹	7.6 x 10 ⁻¹	×
ደ	1.6 x 100	1.4 x 10 ⁰	1.6 x 100	1.5 x 100	1.3 x 10 ⁰		Ą	2.0 x 10 ⁻¹	2.0 x 10 ⁻¹	1.7 x 10 ⁻¹	1.4 x 10-1	1.3 x 10 ⁻¹
Sn	8.6 x 100	9.1 × 100	9.6 x 10 ⁰	8.2 x 100	7.7 × 10 ⁰		Ŧ	7.7 × 10 ⁻¹	6.0 x 10-1	4.4 x 10-1	4.0 × 10-1	3.7 x 10 ⁻¹
S _B	1.2 x 100	×	1.2 x 100	1.0 × 100	×		ţ	2.9 x 10 ⁻¹	2.3 x 10-1	1.9 x 10-1	2.1 x 10-1	2.2 x 10 ⁻¹
2	5.3 x 10 ⁰	×	5.8 x 10 ⁰	5.0 x 10 ⁰	×	• •	2	2.3 x 10 ⁰	2.2 x 10 ⁰	2.1 x 10 ⁰	2.2 x 10 ⁰	2.3 x 10 ⁰
1	1.7 × 10 ⁰	1.3 x 10 ⁰	1.5 x 10 ⁰	1.4 x 10 ⁰	1.3 x 10°		26	1.1 x 10-1	9.4 x 10-2	9.7 x 10-2	1.0 x 10-1	1.1 x 10 ⁻¹
		-	11						-	€		

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Table II

Electron Capture Decay Parameters for 44 II (half-life = 4 7 years)

ion <u>Lifetime (years)</u> Pathlergth (g/cm ²)	Low High I Density Density De (x n, H)	5.5 x 104 6.5 x 104 3.2 x 10-2	1.6 x 10 4 1.5 x 10-1	3.8 x 104 5.9 x 10-1	1.1 x 10 ⁵ 2.6		3.1 x 10 ⁶	9.5 x 107 1.5 x 107 2.6 x 102	801, 01
Transition	Density Low (g/cm ³) Densi	8.35 5.5 x	10.6 1.7 x	12.4 4.7 x			10.2 3.2 x	6.59 9.5 x	, C &
Energy	(MeV /II)	20	20	100	200	200	1000	2000	0000

Figure Captions

Figure 1: The mean free path for attachment of electrons to hydrogen-like ions in the interstellar medium (6.8% He). Curves are shown for 50, 106, 200, 5000, 5000, and 10000 MeV/M. The mean free path increases monotonically for a given charge over this range of energies.

Figure 2: The mean free path for stripping of electrons from hydrogen-like ions in the interstellar medium (6.8% He). Curves are shown for 50, 100, 200, 500, and 1000 MeV/M. The mean free path increases monotonically for a given charge over this range of energies. Retween 1000 and 10000 MeV/M the mean free path is roughly independent of energy.

Figure 3 : The equilibrium charge ratio (N^{μ}/N) of ions in the interstellar medium. When this ratio is greater than 1.0 there is appreciable multiple electron attachment.

Figure 4 : The arriving abundance of Eu (2 = 63) computed both including and omitting electron capture decay modes.

A-10

Figure 5 : The arriving abundance of Dy (Z = 66) computed both including and omitting electron capture decay modes.

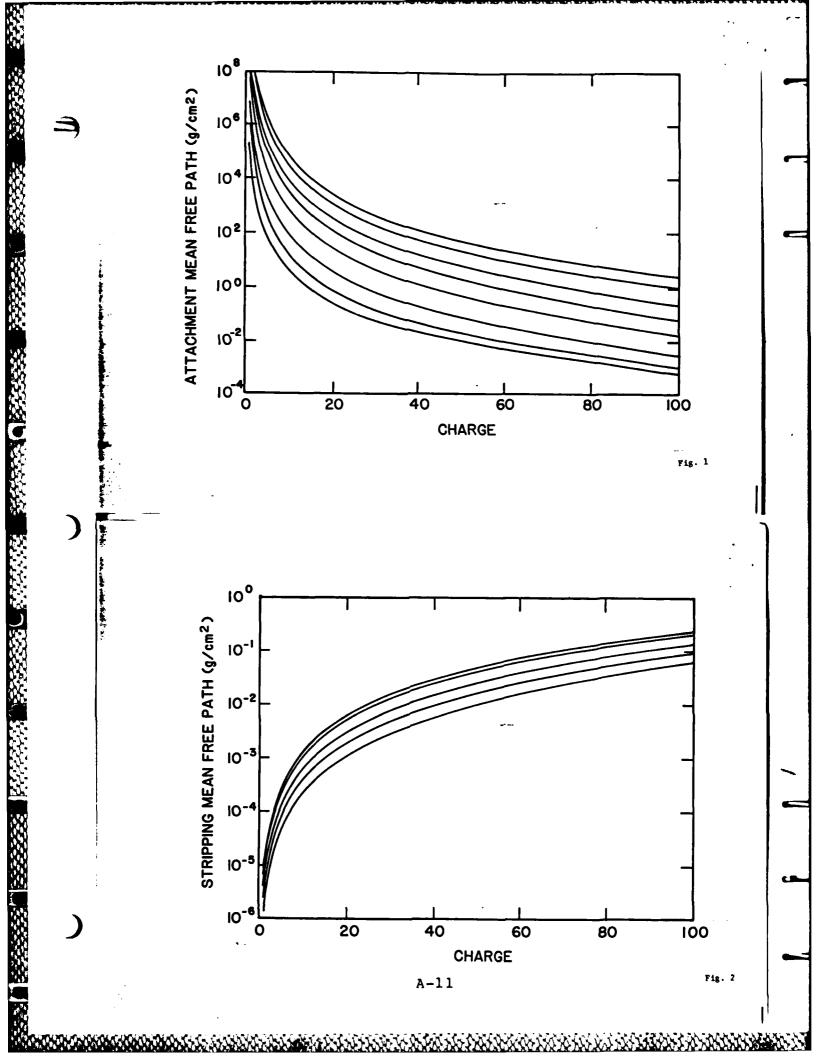
Figure 6 : The effective mean free path for decay of kl II as a function of density at 100 MeV/N. Figure 7 : The effective mean free lifetime for decay of kl II as a function

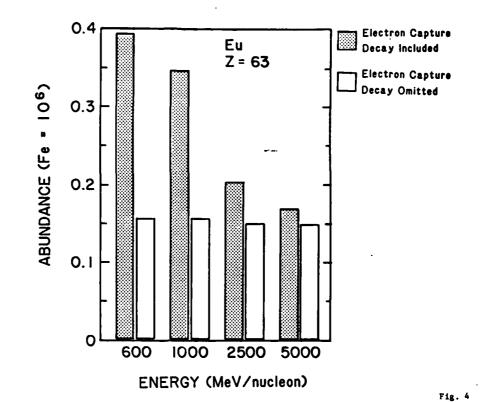
Figure 8: Surviving fraction of 44 Ii (halfilfe = 47 years) as a function of energy for several cloud models as well as a homogeneous ISM.

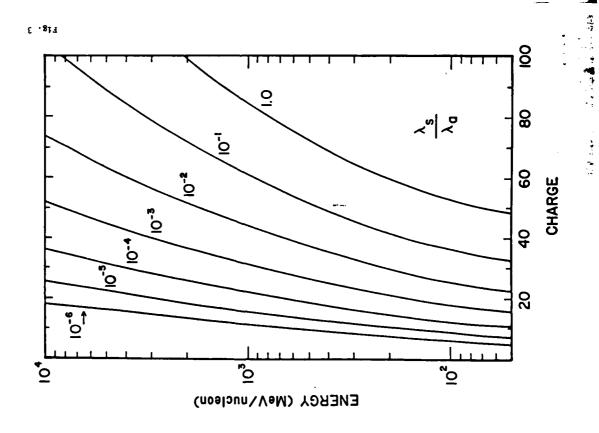
of density at 100 MeV/N.

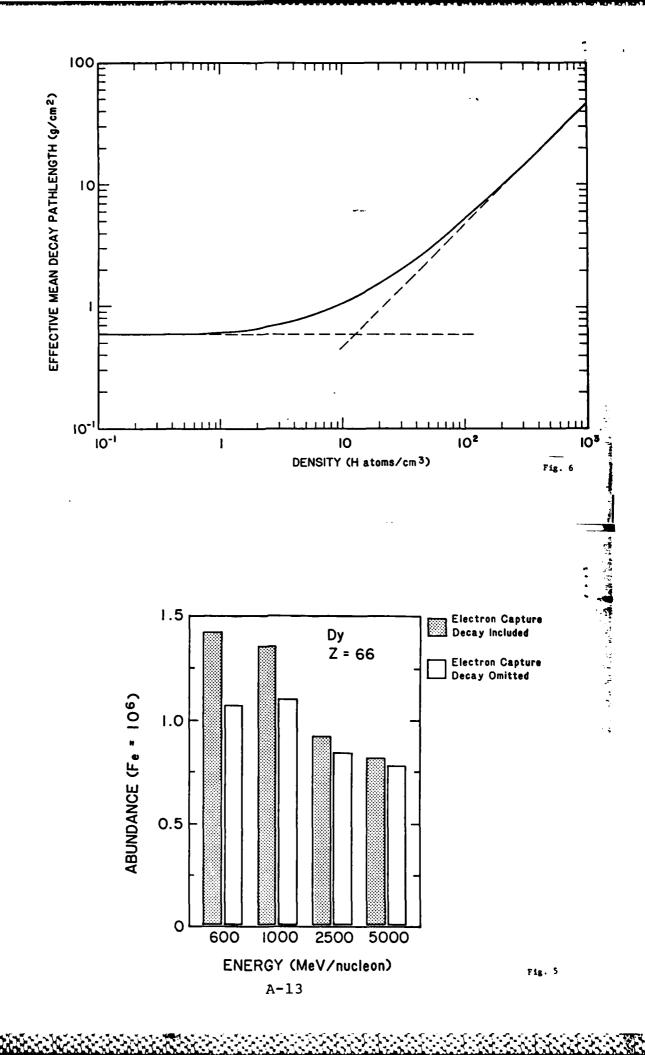
Figure 9 : Surviving fraction of 93 (halfilfe = 3000 years) as a function of energy for several cloud models as well as a homogeneous ISM.

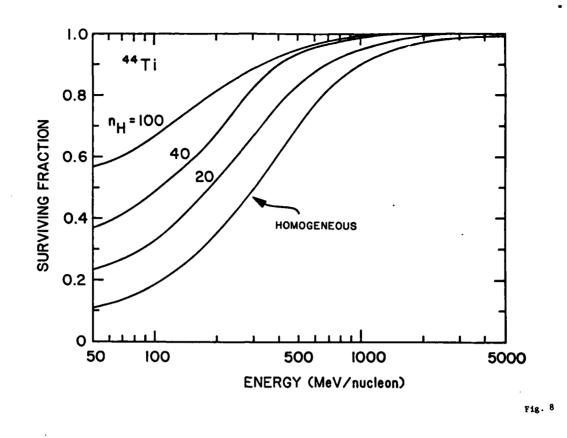
Figure 10 : Surviving fraction of $^{157}{\rm Tb}$ (halfilfe = 150 years) as a function of energy for several cloud models as well as a homogeneous ISM.

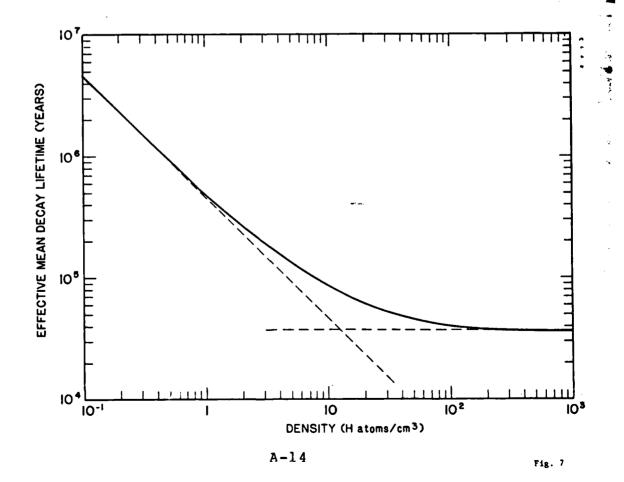


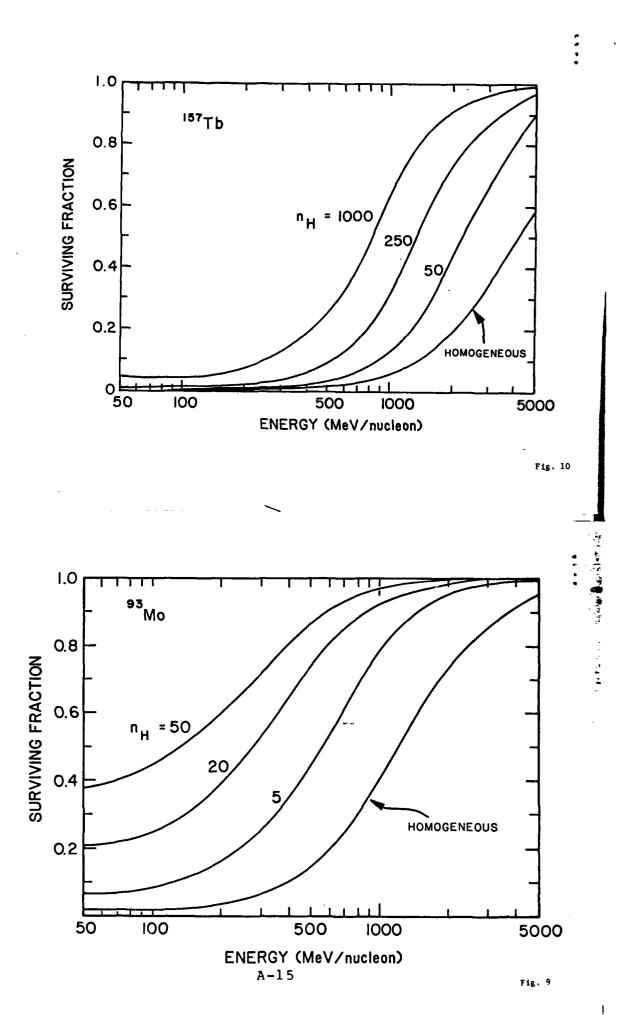












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IEEE Transactions on Nuclear Science, Vol. NS-31, No. 6, December 1964 CISM IC-AAT HEAVT TONS AT AND ABOUE NO.000 FEET

Chen H. Tsao, Rein Silberberg^a and John R. Letaw

Abstract

The flux and LET-spectra of heavy cossic ray nuclet and their secondary progeny have been calculated at aircraft filight alithudes. The associated frequency of single event upsats as presented and compared with neutron-induced events.

1. Introduction

Of all particles in space, only the highly-pentrating consic ray component is able to propagate deep into the atsophere. These particles suffer fragmentation and tonication losses from collisions with natrogen and caygen nuclei, in this paper we compute the flux of heavy nuclei and their fragments down to 40,000 ft in the absorphere and associated SEU rates, extending previous calculations, in an accompanying paper, we compute the meutron-induced upsets.

2. Cosmic Ray Heavy Ions

The heavy nuclet are the dominant source of single-event upsets (SEU) down to roughly 50,000 ft. The equation of cosmic-ray propagation is:

$$(1) \left[\frac{1}{4} \cdot \frac{1}{2} \cdot \frac{1}{4} \right]$$

July the differential flux of coamic rays of species is units of (s²-sec-ster-MeV/nucleon). In 1s the mean free path for loss of species i due to fragmentation in air (units of g/cs²). In is the gain of species i from fragmentation of species i (dE/di), is the cdE/dil, is the stopping power of species in sir.

We solve Eq. 1 using programs developed at MRL. A hundre and four labobatic species with theirges 1 < 2 de see included in our catculation. Fragenestic horizons are taken from our seriespirical formulas (see Mer. 3). The cossic ray flux at the top of the atmosphere is propagated to various depths in the atmosphere lading into consideration gramagnetic cutoff (and its variation discrements). The decomposition of the increased pathlergth with increasing zenith angle. The decompositic cutoff (see Figure 1) eliabates low atmosphere.

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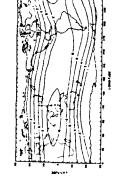


Fig. 1 Geomegnetic cutoff vs. latitude and longitude

Figure 2 shows the variation of cosmic ray fluxes with altitude for a geomagnetic cutoff of 1 Gy. We note that heavy ions (such as Fe) decrease rapidly because of high fragmentation and ionization loss rates. Sulform (2 = 16) is augmented by Fe fragmentation and thus, initially, its flux falls more slowly than oxygen (2 = 8).

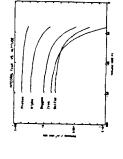


Fig. 2 Integral fluxes as a function of altitudes (R $_{\rm B}$ 1 GV) for p, $\alpha_{\rm s}$ 0, S and Fe.

For purposes of SEU computations the particle fluxes are summed into LET (linear energy transfer) spectre. The LET characterizes the particles according to their rate of energy deposition in a thin silicon misb. The differential LET flux is

$$J(L) \cdot \sum_{J_1(E)} \left[\frac{1}{dE} \left(\frac{dE}{dZ} \right)_L \right]^{-1}$$
 (2)

where L = (dE/ds). Integral LET spectra are shown in figure 3 for a geomegnetic cutoff of 104. Steps in this spectra srise because all low energy particles are elaisated by the cutoff. With energy particles have roughly constant LET. The highest particles have roughly constant LET. The highest of On The 3teps are softened as particles alow down (lower altitudes). The erosa-over between the apretra at 150,000 and 75,000 fr is due to aboung of high energy fe. The dotted lines show the effect of 5-gew alignificant.

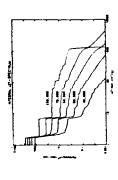


Figure 3: Integral LET-spectra at 150, 75, 60, 50 and 40 thousand feet, (R = 1 GV). The dotted lines shows the effect of 5-gram aluminum shielding.

LEI spectra can be converted into uppet rates once the device dimensions and critical charge are given. The critical charge is the number of free electrons needed to cause a bit-filp. Gritical charge is related to energy deposition by:

ŝ

The upset rate is:

$$I = A_p \int K(L_{min}) C(p) dp \qquad (*)$$

where N is the integral LET spectrum, L_{in} is the animum LET at which the critical charge will be deposited over chord length p, and C(p) is the distribution of chord lengths in the device.

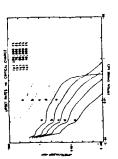


Figure 4: Variation of upset rates at 150, 75, 60, 50, and 40 thousand feet, if a 1 GV), Solid lines are for small devices (5x x Ru x 10x), Dotted lines are for large devices (50x x 10x) x 100u).

Upset rates as a function of critical charge see shown for two device sizes in figure 3. Typically critical charges seals with devices size things desirative volume at the circuity size) so that the upset rate is roughly independent of size, that the upset rate is roughly independent of size, a spectrum upset rates can be higher at 75,000 ft than appearing upset rates can be higher at 75,000 ft than at 100,000 ft. This effect is embarded in rations of high cutoff. In Figure 5, the upset rate at 75,000 ft for a small device (5µ X 10µ x 10µ) is brokey or into charge groups. For a typical device (critical charge struct on t cause upsets. Sensitive devices are upset by C and O while less sensitive devices will be upset by 4c Si, and fe. Secondary protons and alphass the low energy particles exponsive from settled nuclei after commic ray collision, have Lift up to 200 times greater than the corresponding high energy ones shown on the left side of figure 3 Alikhoods there are few of these particles at high altitudes, they are as effective as heavy ions in causing upsets.

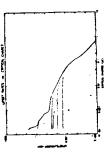


Figure 5: Contribution to Upset Rates at 75,000 ft. from Various Charge Groups.

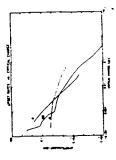


Figure 6: The relative contributions of commic rays (CR), metron intersections (N) and ionization loss of alow secondary protons(P) to single event rate at 55,000 feet (I_R = 1 GV).

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Melow altitudes of 30,000 feet, or atmospheric depiss of x > 60 Gr. or, nutron-generated nuclear recoils and nuclear resolutions to simple event upsets. The event rate is suburi 5 per cent of that near the top of the atmosphere, (above 130,000 feet). Movever, these recoils produced in silicon have lover rates of indisting a produced in silicon have lover rates of contaction loss than siow from nuclei. Thus nuclei produce loses than siow from nuclei, must never se of on, interval where very heavy cosmic-ray nuclei produce loses than situ to those having a low of that correspond to less than 10 times the minimum increase correspond to less than 10 times the minimum increase contributes to single-event upsets than nutron generated recoils. At 50,000 to 55,000 feet about 70 per contribution to the upset rate is about 70 per tent. Other that of cosmic rays near the top of the atmosphere.

Acknowledgement

This work is partially supported by DNA/DARPA under the Single Event Radistion Effects Program.

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REUTHON GENERATED SINGLE-EVENT UPSETS

Pein Silberberg, Chen M. Taso and John R. Letaw

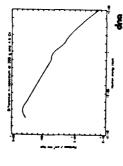
Heavy committee or mother and mostly attenuated that a shielding acts as a generator of various, the amistiding acts as a generator of various, emporate of mother of the surrons generate highly ionizing mother recoils it produce single-event upsets in microsterionic imments. Do steemate the secondary neutron flux will go won a standary neutron flux will go won a standary neutron flux will go will also generate upsets in sensitive showness also gother from notized inferentions includes below 6,000 feet, sost single-event upsets of us to these secondary peritales. The upset is due to meturons and also secondary protons from set or the secondary positive in the secondary protons from set or the secondary protons from the critical neutrons and secondary protons from the critical neutrons and secondary protons from the secondary prot

Introduction

As high-energy heavy committee and arrived and arrived by nuclear interesticions or by idelation is, another radiation component-mentions—that is a special event in the component in the interestication in the component in the interest of the components builds up in interestication in the investication in sterostectrants of the interest of the investication in the investication in the investicate vicinity of the only. Such items of mentions or the investicate vicinity of the only. Such items of interesticated of neutrons or the investicate vicinity of the only. Such items in the investicated the cools of account the high-energy nuclear recoils of neutrons in the figures of Integral of neutrons is of Integral of neutrons in nuclear maplitude. The integral of the integral of

2. Energy Spectra of Meutrons

figure 1 shows the neutron energy spectrum at againstmen, A x 40, and 50 to 150 g/cm². (At 30 or 200 g/cm², the flux is alightly lower, by



Neutron energy apectrum at an atmospheric dapth of 100 g/cm, near splam minimum, at a geomegnetic letitude of 42. ٠.

3. Energy Spectra of Nuclear Recoils

Muchaer spallation reactions transfer a considerable amount of energy to the recolling residuat nucleus. For neutrons with energy > 1 GeV, we adopt the recoil energy spectra seasured by westfall, se al. displayed in Fig. 2 for recoil nuclei 3 c 2 6 5, 6 2 5 9 and 2 > 10, respectively. Fig. 2 displays the differential cross sections nessured at 90 in the lab system. The interpolation date of body energy neutry neutrale of the interpolation date of body energy neutry neutrales.



In our calculations, we combine the energy spectrum of also protoons (C 30 keV) of lingler and Linford' with the atmospheric depth dependence given by Haykanas". The flux of alon protoons with a rate of industion loss greater than (GZ/GM), having an energy less than $\mathbb{E}_{\zeta} \leq 0$ MeV is approximated by:

where $\alpha = 1.0, 2K = 1.3 \pm 10^{-6}$ at atmospheric depths 50 to 100 g/cm; 6 x 10⁻⁷ at 200 g/cm² and 3 x 10⁻⁷ at 200 g/cm² and 3 x 10⁻⁷ though the spectrum of protons below 30 keV is highly uncertain, the resulting changes in the upset rate are not significent.

Fig. 2. Energy spectra of spallation products of Si, at 90 900, for the laboratory, irradized by mulsons at E, 9 1 GeV. The energy spectrum of Li, Be, B is discontinued at a range of 10 µ, the adopted ohly size. The spectra are based on the assurements of Mestfall et al., who used an Al target.

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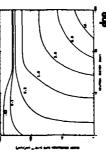


fig. 3. The burst generation rate as a function neutron energy for n + 31 reactions. The numbers ithe figure represent recoil energies Γ_0 .

We adopt the definition of Ziegler and Lanford² for the burst generation rise b or charge deposition by a nuclear recoil in a chtp. Houser, the nucleial values of the burst generated rate we use includes the energy spectum of the resident nuclei induced by spallation, discussed in the previous section. The burst, agmention rate is appreximated by, in units of ear jum.

4. Burst Generation Rate

6. The Upset Rate Due to Neutrons, Secondary Protons and Pions

In the paper "Comic Ray Nayy Jons at and Moore 0,000 Feet," by These, et al." the contribution of commic rays to the single erent upset rate at an allitude of 55,000 Feet, is compared to that of comic-ray secondarias. The latter were displayed separately for the neutron-energed interest of single paper recollate of formation loss of signs protons. Below 65,000 feet (or z > 50 grow), these secondary components are found to dominate.

Ξ

 $b = 10^{-16} \exp (F_1 + F_2) \left[1 - \exp \left(\frac{E - E_{1,10}}{200E_{1} \cdot I_{1}} \right) \right]$

hee plon/proton ratio at 2 GeV is 0.2 seem see level, and it says as a thigher allithodes, and at lower energies. Parthermore, the sace highly identified alow plons produced in the upper attraphere will seatily decay into suons in flight. Thus the contribution of plons to upputs is less ispectant.

2 0 E

F2 = 3.2 (0.4 - E_b.5) cmp | -E_b - (Emin = 7.5 Eb 1.1 2 0.4 NeV Figure 3 illustrates the burst generation rate as a function of the neutron energy for various recoil energies $E_{\rm b}$.

5. Burst Generation Rate due to Slow Secondary Protons In very sensitive microelectronic compagents (i.e., those with a critical charge < 2 : 10 3 pc) slow protons can generate single event upsets.

the upset rate at 100 g/om of air (5),000 feel) as well as at see level, due to neutron generated recoils and alou protons. At see level, also the contribution of lonization losses of slow smens, based on Ziegler and Lanford? Is shown. The latter is important only for very sensitive decises with a low eritical charge.

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NUCLEAR CROSS SECTIONS, COSMIC RAY PROPAGATION AND SOURCE COMPOSITION

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J. R. Letaw Severn Communications Corporation Severna Park, MD 21146

ABSTRACT. Most cosmic rays with atomic number Z > 6 suffer nuclear collisions in the interstellar gas, with transformation of nuclear composition. The isotopic and elemental source composition has to be inferred from the observed composition near the earth. The uncertainty in the inferred source composition is largely due to uncertainties in cross sections—especially for nuclides that have large secondary components. These uncertainties will be explored by comparing the calculated and observed abundances of the secondary components. A precise knowledge of nuclear cross sections is essential for unraveling the parameters of cosmic ray propagation: the mean path length traversed and its energy dependence, the distribution function of path lengths, the confinement time of cosmic rays in the galaxy, and acceleration after fragmentation. Various models of cosmic ray propagation will be critically explored.

1. INTRODUCTION

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The majority of cosmic ray nuclei heavier than helium have suffered nuclear collisions in the interstellar medium. These collisions alter the cosmic ray composition and mask the source composition. Determination of the source composition is always difficult and often hopeless because we have limited data on cross sections. On the other hand, the effects of nuclear spallation and the time-dependence of nuclear decay provide valuable information on the propagation and acceleration of cosmic rays, the confinement time in the Galaxy, and the nature of the interstellar medium.

To derive any useful information from data on cosmic ray abundances, it is essential to know (or be able to estimate) the nuclear fragmentation cross sections and reliably estimate their errors. The partial cross sections give the probability of a given incident nuclide to yield a given product nuclide upon collision with some target such as a proton. The total fragmentation cross section yields the overall probability for a change in the mass or charge of the incident nuclide. In this lecture I will discuss the problems of

determining cosmic ray source composition and the nature of propagation in the Galaxy. Special emphasis will be placed on the importance of nuclear cross sections in understanding these problems.

Some of the current lectures here are closely related to the present lecture: Dr. Lund has discussed the cosmic ray abundances, both at the source, and near the earth, especially those of the HEAO-3 French-Danish collaboration. Professor Wolfendale has explored the interstellar medium, magnetic fields therein, associated cosmic ray effects, and gamma ray production. Dr. Shapiro will soon discuss the propagation, acceleration and age of cosmic rays, with special emphasis on our recent hypothesis (Silberberg et al. 1983) of distributed acceleration. According to this hypothesis, cosmic rays after their principal acceleration and after appreciable fragmentation undergo some additional acceleration in interstellar space, gaining a factor of four in energy.

2. PRIMARY AND SECONDARY COSMIC RAYS

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An inspection of Figure 1 demonstrates the need for cosmic ray propagation calculations that explain and predict the large deviations of cosmic ray abundances from the general stellar or galactic isotopic and elemental abundances. Secondaries, such as Li, Be, and B, are far more abundant in cosmic rays than in the solar system because they are composed substantially of nuclear fragments of heavier elements (C, N, and O). The predominantly primary elements such as C, O, Ne, Mg and Si have small contributions of nuclear fragments but can show appreciably different isotopic compositions.

The figure shows our early (Silberberg et al., 1976) calculated isotopic abundances of the elements. The hatched columns give the abundances at the sources obtained by iterative calculations. white areas represent the surviving primary components and the black areas the secondary contribution from spallation reactions. Three classes are discernible. The predominantly primary elements(C, O, Ne, Si, Mg, Fe, and marginally S) have a small (< 30%) contribution of fragmentation products; these elements also have nearly the same relative abundances (within a factor of four) as the solar system. The predominantly secondary elements (Li, Be, P, F, P, Cl, K, Sc, Ti, V, and Mn) are composed of more than 80% nuclear fragments. Pecause of inevitable uncertainties in propagation calculations, their source abundances are indeterminate. The remaining nuclides (N, Na, Al, Ar, and Ca), have secondary contributions between 30% and 80%, hence their source compositions are very difficult to determine. Errors are extremely sensitive to uncertainty in the fragmentation cross sections.

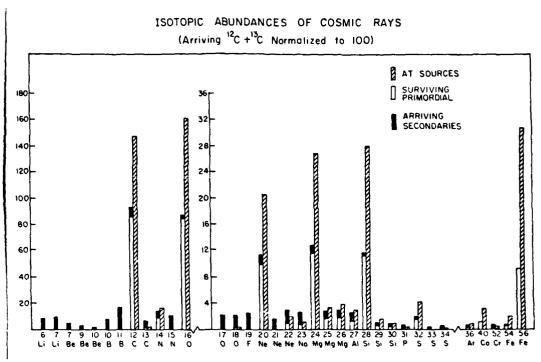


Figure 1 The relative abundances of nuclides at cosmic ray sources and near the earth. The arriving two isotopes of carbon are normalized to 100. In the arriving columns, the secondaries and surviving source components are shown separately.

Subsequent experimental work by many groups, reviewed by Lund, agrees well with the predictions of Figure 1. When we (Tsao et al., 1973) first presented such predictions, we pointed out that the observed isotopic abundances will deviate from these calculations if the isotopic composition at the sources deviates from that of the general abundances and that such comparisons should yield significant astrophysical information. We also pointed out then the possibility of nucleosynthesis in a neutron-rich environment. The latter statement was confirmed in subsequent experiments in which the neutron-rich isotope Ne was found to be 4 times overabundant and 2 Ne sources.

A more up-to-date tabulation of the calculated cosmic ray isotopic abundances is given in our paper Adams et al. (1981), for isotopes from 6 Li to 6 Ni. Our comparisons of calculated and experimental elemental abundances of cosmic rays with atomic numbers Z \geq 32 are given by Letaw et al. (1984a).

COSMIC-RAY PROPAGATION EQUATION AND CHANGES IN COMPOSITION

The importance of nuclear transformations in understanding the composition of cosmic rays was demonstrated in the previous section. The procedures of cosmic ray propagation calculations have been described by Ginzburg and Syrovatskii (1964), and the particular methods used in our group by Letaw et al. (1984b).

For the traversal of an amount of matter $x (g/cm^2)$, and without consideration of decay of the long-lived radioactive isotopes, the propagation equation is:

$$\frac{\partial J_{\mathbf{i}}(E, \mathbf{x})}{\partial \mathbf{x}} = \frac{-N\sigma_{\mathbf{i}}(E)J_{\mathbf{i}}}{\overline{\mathbf{A}}} + \sum_{\mathbf{k} > \mathbf{i}} \frac{N\sigma_{\mathbf{i}k}(E)J_{\mathbf{i}}}{\overline{\mathbf{A}}} + \frac{\partial}{\partial E} \left[W_{\mathbf{i}}(E)J_{\mathbf{i}}(0) \right]$$
(1)

where $J_i(x)$ is the flux of species i after propagating through an amount of matter x, $J_i(o)$ is the source term, σ_i is the total inelastic cross section for nuclide of species i, σ_i is the partial cross section for production of species i from k, N is Avogadro's number, \bar{A} is the mean atomic weight of interstellar gas, and $W_i(E)$ is the rate of ionization loss.

At medium and high energies this cosmic ray propagation equation may be simplified to a set of coupled linear equations in one variable of the form:

$$\frac{dJ_{i}}{dx} = \sum_{j}^{M} ij J_{j}$$
 (2)

Energy appears in this equation only parametrically, not as an independent variable. Equation 2 is solved by matrix methods, which provides an efficient and powerful means of treating propagation, including various path length distributions. These procedures can be extended to treat ionization loss and solar modulation at energies above a few hundred MeV/nucleon.

The solution to equation (2) is:

$$J_{i}(x) = \sum_{j} [\exp Mx]_{ij} J_{j}(0)$$
 (3)

where the exponential is defined by its power series expansion. Taking into account the diffusion of particles, one notes that different particles have different path lengths, with a path length

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distribution, P(x), normalized so that

$$\int_{0}^{\infty} P(x) dx = 1$$
 (4)

Then eq. 3 becomes:

$$J_{i} = \int dx P(x) \left[\exp Mx \right]_{ij} J_{ij}(0)$$
(5)

For an exponential path length distribution with mean path length ,

$$P(x) = \frac{1}{\lambda} e^{-x/\lambda}$$
 (6)

the integral of eq. 5 can be evaluated analytically, yielding:

$$J_{i} = \left[1 - M\lambda\right]_{ij}^{-1} J_{j}(0) \tag{7}$$

The solution is then obtained simply from a set of coupled linear equations.

4. NUCLEAR CROSS SECTIONS

Nuclear transformations in cosmic ray collisions with the interstellar gas is an important process in propagation. These transformations involve two sets of physical quantities, the total inelastic cross sections σ_i and the partial cross sections σ_i .

The simplest fit to the total inelastic cross section is $\frac{1}{\sigma}$ = KA⁵, where A is the mass number of the target nucleus. On geometrical basis, β = 2/3, in a first order approximation. However, a correction for nuclear transparency must be introduced; heavy nuclei are less "transparent" to projectiles than light ones. This consideration effectively raises the value of the exponent β . The experimental

high-energy data (assuming that systematic errors in such data are negligible) are fitted to within 2% by the relation:

$$\sigma_{i} = 45 A_{i}^{0.7} [1 + 0.016 \sin(5.3 - 2.63 \ln A_{i})]$$
 (8)

Letaw et al. (1983) found that a factor dependent on $\mathbf{A}_{\mathbf{t}}$ provided an improved fit to the data.

At energies below 2 GeV/nucleon the total inelastic cross section varies with energy. (Also at very high energies, E > 100 GeV there is a slight increase in cross sections with energy.) The energy dependence of the total inelastic cross sections has certain systematic similarities over the whole range of mass numbers A. The total inelastic cross section decreases to a minimum (about 15% below the high-energy value) at 200 MeV/nucleon. It then sharply increases to a maximum at about 20 MeV/nucleon (60% above the high energy value). Below this energy, resonance effects become dominant and the cross section fluctuates rapidly with energy. An empirical formula for Li and heavier nuclei at energies greater than 10 MeV/N is given by Letaw, et al. (1983)

$$\sigma_{i} = 45 A_{i}^{0.7} [1 + 0.016 \sin(5.3 - 2.63 \ln A_{i})] \times$$

$$[1 - 0.62 e^{-E/200} \sin(10.9 E^{-0.28})] \text{ mb}$$

where A_i is the mass number of nuclides of type i and E is the energy in units of MeV/N.

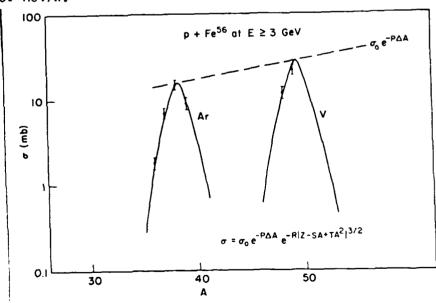


Fig. 2. Illustration of the terms of Rudstam's (1966) spallation equation. The calculated and experimental partial cross sections of Fe into isotopes of Ar and V are compared.

The partial inelastic cross sections $\sigma_{i,j}$ have systematic regularities that permit the design of semi-empirical equations. Rudstam (1966) observed that there are systematic regularities among the relative yields of nuclear reactions that depend on the mass difference of the target and product nuclides and on the neutron-to-proton ratio of the product nuclides. These relationships are illustrated in Figure 2. which shows the spallation cross sections of Fe into various isotopes of argon and vanadium, when iron nuclei are bombarded by protons having energies of 3 GeV. The factor $\exp(-P^{\Delta}A)$ describes the diminution of cross sections as the difference of target and product mass, ΔA , increases. It is closely related to the distribution of excitation energies discussed by Metropolis et al. (1958) in their Monte Carlo study of nuclear spallation reactions. A large excitation energy results in evaporation of many nucleons, i.e., in a large AA. The distribution of excitation energies peaks at small values, correspondingly, the partial cross sections are larger for small values of ΔA . The factor $\exp(-R|Z-SA+TA^{2}V|)$ in Fig. 2 (with $V \simeq 3/2$) describes the distribution of cross sections for the production of various isotopes of an element of atomic number Z. This Gaussian-like distribution is related to the statistical nature of the nuclear evaporation process (Dostrovsky et al. 1958). The width of the distribution of cross sections is represented by the parameter R. The parameter S describes the location of the peaks of these distribution curves for small values of the product mass number A. The parameter T describes the shift of the distribution curves toward greater neutron excess as the atomic number of the product increases. The equation displayed in Fig. 2 and parameters thus are closely related to nuclear systematics of the prompt intra-nuclear cascade and nuclear evaporation processes. This is the reason why these relations provide a surprisingly good fit to the experimental partial cross sections. addition, the numerical values of the parameters are obtained by fitting to thousands of experimental data points. The parameters Rudstam (1966) assigned to the equation (illustrated in Fig. 2) are applicable to proton interactions with nuclei heavier than calcium, except when the target-product mass difference is small or large, i.e., it is not applicable for ΔA < 5 and ΔA > 40.

The nuclear reaction systematics of spallation reactions are not applicable to fission and fragmentation reactions, nor to the evaporation of light product nuclei. We have developed a semiempirical formula and associated parameters that are applicable for calculating cross sections (in units of mb) of targets having mass numbers in the range $9 \le A_1 \le 209$ and products with $6 \le A_2 \le 200$ at energies >100 MeV/N:

$$\sigma_{ij} = \sigma_0 f(A_i) f(E) e^{-PAA} \exp(-R|Z - SA_i + TA_i^2|^{\nu}) \Omega \eta \xi \quad (10)$$

(Silberberg and Tsao 1973a, b, 1977a, b; Tsao and Silberberg 1979; Tsao, Silberberg, and Letaw 1983).

The parameters A, Z, P, R, S, T of eq. 10 are defined in the previous paragraph.

In equation (10), σ is a normalization factor. The factors f(A) and f(E) apply only to products from heavy targets (with atomic number $Z_{t} > 30$), when ΔA is large, as in the case of fission, fragmentation, and evaporation of light product nuclei. The parameter Ω is related to the nuclear structure and number of particle-stable levels of a product nuclide. The factor 7 depends on the pairing of protons and neutrons in the product nucleus; it is larger for even-even nuclei. The parameter ξ is introduced to represent the enhancement of light evaporation products.

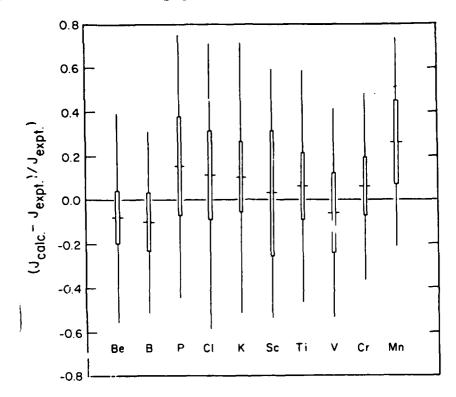
Eq. 10 is inapplicable to peripheral reactions, that have small values of $\Delta A = A_1 - A_2$. For such reactions, a different equation was constructed. A different equation was devised also for the heaviest target elements, the actinides such as Th and U.

5. CROSS SECTION AND PROPAGATION ERRORS

As I mentioned previously, the uncertainty in cross sections is usually the dominant source of error in cosmic ray propagation calculations. The estimated cross section error at the one standard deviation level is 35% for $Z \le 28$ and 50% for higher charges as stated in our 1973 paper. These values have been reduced somewhat by modifications to the original equations and parameters. The implications of cross section errors for the cosmic ray propagation problem have been brought into question by Hinshaw and Wiedenbeck (1983). They showed that depending on the degree of correlation in the cross section errors the source abundances of N, Na, Al, Ar, Ca, and all secondary cosmic rays might be obscured.

To determine the extent of correlations in the semiempirical cross section formulas we have taken an indirect approach through propagation calculations. A bare-bones model of cosmic ray propagation would assume solar system abundances at the source and an exponential pathlength distribution with mean pathlength of about 5 g/cm². We have performed this calculation at 4 GeV/nucleon and compared the results with data from HEAO-3 in Figure 3. In this figure error bars were calculated assuming totally correlated and totally uncorrelated cross section errors. The fit is extremely good, in fact, it is so good that a chi-square test shows there is only 1 chance in 5000 that such a good fit would be obtained if the errors were totally correlated. The assumption of 35% errors, uncorrelated, seems adequate to explain deviations of this experiment from calculation.

Further work with the 4 GeV/nucleon HEAO-3 data has led to source abundances and propagation errors in Table 1. Using a rigidity dependence of pathlength $\lambda = R^{0.6}$ we found the best fit value of λ to be about 5.0. In performing this calculation only errors induced by partial cross sections were considered.



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Fig. 3 A comparison of calculated and experimental abundances of cosmic ray elements produced mainly by spallation. The thin and thick error bars are based on assuming totally correlated and totally uncorrelated errors in partial cross sections.

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TABLE 1
Calculated Source Abundances of Cosmic Ray Elements at 4 GeV/nucleon

		Arriving	Arriving
Element	Source Abundance	Abundance	Primaries
Рe	<0.06	0.28	<0.04
В	<0.20	0.72	<0.10
С	5.22 + 0.14	3.23	2.84
N	0.65 + 0.15	0.81	0.34
0	5.25 + 0.08	2.81	2.62
F	<0.02	0.061	″ <0 . 01
Ne	0.91 + 0.04	0.57	0.42
Na	0.09 + 0.02	0.10	0.04
Mg	1.29 + 0.03	0.65	0.56
Al	0.13 ± 0.02	0.10	0.05
Si	1.01 - 0.02	0.46	0.41
S	0.28 ± 0.02	0.15	0.11
Cl	<0.01	0.020	<0.003
Ar	0.03 + 0.01	0.039	0.010
K	<0.01	0.020	<0.004
Ca	0.09 + 0.02	0.070	0.032
Sc	<0.01	0.012	<0.003
Ti	<0.02	0.038	<0.005
V	<0.01	0.016	<0.003
Cr	<0.03	0.041	<0.010
Mn	<0.02	0.033	<0.008
Fe	1.00 ± 0.02	0.34	0.32

Dr. Lund has presented a lecture on the composition of cosmic rays, the source composition and theoretical implications. Hence I shall not dwell on this topic, but discuss instead the importance of cross sections in the analysis of data on ultra-heavy cosmic ray nuclei.

6. EFFECT OF CROSS SECTIONS ON PROPAGATION OF ULTRAHEAVY COSMIC RAYS

Recent observations of cosmic rays in the charge range $36 \le Z \le 83$ on HEAO 3 and Ariel 6 permit a comparison of experimental and calculated abundances. The Ariel 6 results are given by Fowler et al. (1981) and HEAO 3 results by Binns et al. (1982) and Waddington et al. (1981), and papers published by the above authors in the late volume of the 1983 Bangalore Cosmic Ray Conference. The experimental abundances of the secondary elements $61 \le Z \le 75$ were found to exceed those obtained in propagation calculations.

We explored whether the calculated cross sections of elements Pt to Pb need revision. The recent measurements of Kaufman and Steinberg (1980) for the spallation of $^{197}{\rm Au}$ show a substantial increase in the mass range 10 < A < 40 at 1 GeV, shown in

Figure 4. These new data have been incorporated into our semiempirical cross section formulae (Tsao et al., 1983). The high value of the cross sections at 1 GeV suggested that if propagation occurred at 1 GeV per nucleon, and the cosmic rays subsequently underwent an energy gain by a factor of 4, an improved fit to the data would be obtained.

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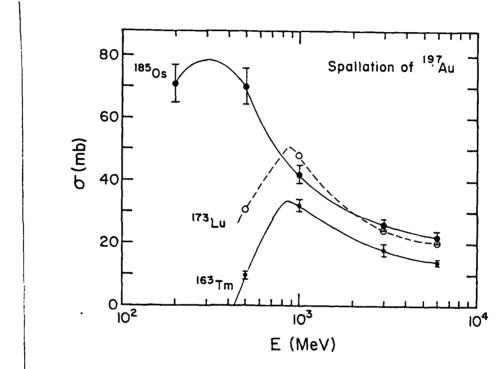


Figure 4. The energy dependence of the spallation of Au into Tm, Lu and Cs.

In Figure 5, from Letaw et al. (1984a) we compare the ultra heavy abundances, Z \geq 33, with our propagation calculations. These are based on: (1) adopting source abundances similar to solar system abundances modified by a first ionization potential dependent suppression of elements with a high ionization potential, FIP, proportional to exp (-0.27I) for $7 \leq I \leq 13.6$ eV, and (2) an exponential distribution of path lengths with a mean of 6 g/cm² of interstellar medium at 5 GeV per nucleon. We note that for Z \leq 56, the fit to the data is good, after the FIP correction is applied, while the calculated abundances for 61 \leq Z \leq 75 are too low. Fig. 6 shows the resulting calculations, using the cross sections of 1 GeV per nucleon and a path length of 9 g/cm², (the use of 6 g/cm² at 1 GeV/u gives practically identical results for ultra-heavy nuclei).

The improved fit, shown in Fig. 6, made us explore the associated hypothesis of distributed acceleration of cosmic rays in greater detail (Silberberg et al. 1983). The hypothesis does not imply continuous acceleration. It could occur as a major initial pulse and a minor late pulse. Dr. Shapiro will discuss several more tests of this hypothesis.

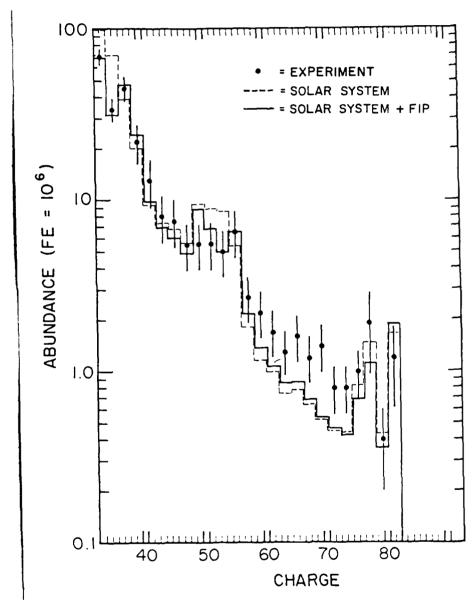


Figure 5 Comparison of experimental data and propagation calculations at 5 GeV/nucleon. The dashed line uses the Cameron (1981) source composition, and the solid line includes a correction dependent on the first ionization potential.

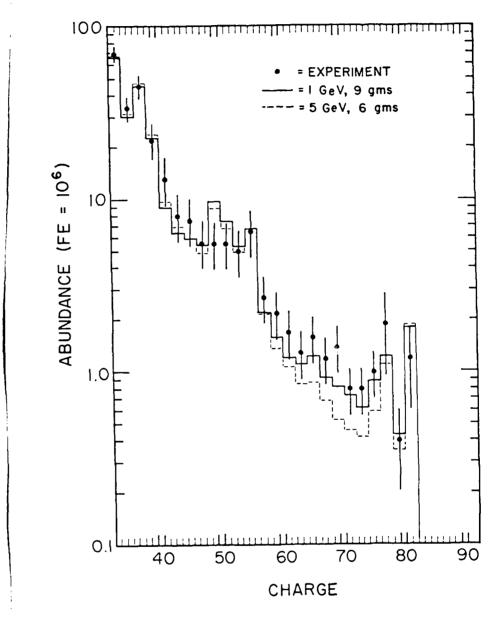


Figure 6 Comparison of experimental data and propagation calculations carried out at 1 GeV per nucleon and 5 GeV per nucleon, respectively.

7. ELECTRON CAPTURE DECAY AND INHOMOGENEITY IN THE INTERSTELLAR MEDIUM

The electron capture decay mode of cosmic rays with Z < 30 is strongly inhibited for cosmic rays moving at high energies (> 500 MeV/N) in the tenuous interstellar medium. This nuclear reaction takes place when a K-shell electron (or less likely an L-shell electron)

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interacts weakly in the nucleus transforming a proton into a neutron with the emission of a neutrino. At high energies, even distant encounters with the ISM efficiently strip electrons from light nuclides. Therefore the fraction of light nuclei with a single K-shell electron is between 10^{-0} and 10^{-3} and the effective decay rate is reduced accordingly. (In addition to the statistical reduction because fewer nuclides have bound electrons, there is a reduction by a factor of 2 because there is only one available K-shell electron).

The decay of ultraheavy nuclides in cosmic rays, unlike that of their lighter counterparts, is much less inhibited. At median cosmic ray energies the decay rate may be reduced by as much as a factor of 10. On the other hand, actinides are likely to have several attached electrons (an important experimental consideration). The effective charge and electron capture decay rate are very sensitive to charge and energy. I discuss in this section a method for determining the effective electron capture rate in cosmic rays and what we can learn about the ISM by studying electron capture nuclides.

The rate equations describing electron capture reactions in cosmic rays are:

$$dN/dt = -aN + sN*$$

 $dN*/dt = aN - sN* - eN*$ (11)

(The electron attachment rate is a, the electron stripping rate is s, and the electron capture decay rate is e.) The stripping and attachment rates have been studied by Crawford (1979) and others. Solving for the ratio (N*/N) we find that it approaches

$$(N*/N)eq = [{(s-a+e)}^2 + 4as}^{0.5} - (s-a+e)]/2s$$
 (12)

at the rate

$$R* = \{(s-a+e)^2 + 4as\}^{1/2}$$
 (13)

R* is always greater than the electron stripping rate which is very fast, i.e., the mean free path never exceeds 0.2 g/cm and is usually much less. The physics of cosmic ray propagation is governed by the fragmentation mean free path (>1 g/cm²) and the escape mean free path (8 g/cm²). Cosmic rays therefore effectively maintain charge state equilibrium so

$$d(N + N^*)/dt = -e(N^*/N)_{eq} [1 + (N^*/N)_{eq}]^{-1} (N + N^*)$$
 (14)

(other decay modes and fragmentation have been ignored). The equilibrium charge when e=0 is shown in Figure 7.

Electron capture nuclides are good for measuring energy and density-dependent processes in the ISM. Consider the hypothesis of distributed acceleration: After most fragmentation in the ISM there is

additional acceleration of about a factor of 4. This affects our predictions of measured ³⁷Ar, ⁹V, and ⁵Cr abundances. If most of their confinement time is spent at 250 MeV/N rather than 1 GeV/N then about half as much will arrive here because decay is less inhibited at 250 MeV/N. This could cause the observed deficiency in these nuclides (Webber 1981) at 600 MeV/N (after adiabatic deceleration in the solar system). These processes affect certain ultraheavy elemental abundances at higher energies (Letaw, Silberberg, and Tsao 1985).

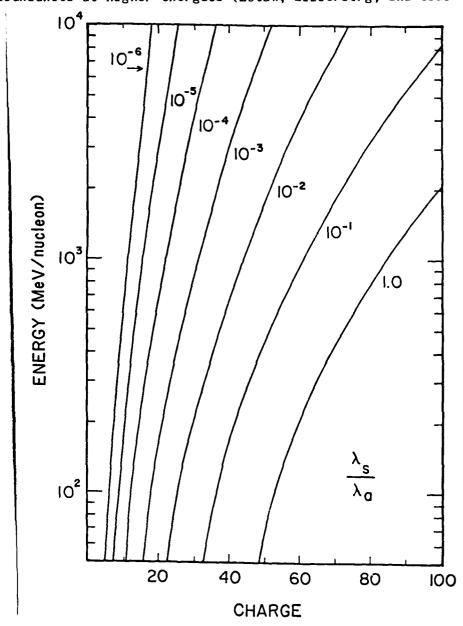


Fig. 7. The equilibrium charge ratio (N*/N) of ions in interstellar medium. When this ratio is greater than 1.0 there is appreciable multiple electron attachment. The ratio (N/N) nearly equals $\lambda_{\rm S}/\lambda_{\rm a}$.

The mean density of the ISM in the galactic disk is about 1 atom/cm³ and the muon density along the cosmic ray path is about 0.3 atom/cm³. Although most studies of cosmic ray composition have assumed that the medium of propagation is homogeneous, in fact this cannot be so. The ISM is composed of occasional clouds having central densities of about 50 atoms/cm³ distributed in a very tenous ISM (about 0.003 atoms/cm³). There are, so far, no observed consequences of this inhomogeneity, but abundances of some electron capture nuclides are affected. In a cloud, a long-lived nuclide such as Mo decays slowly because the time between stripping collisions is very short. In the tenuous phase of the ISM decay is again slow because very few attachment (or stripping) reactions take place. Figure 8 shows the surviving fraction of Mo as a function of energy for several two-component models of the ISM. The nuclide "Ti provides another suitable test (Letaw et al., 1985).

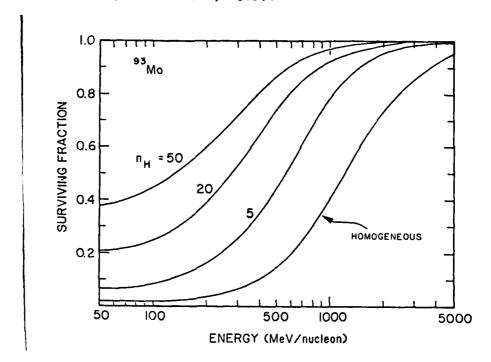


Fig. 8. The fraction of ^{93}Mo that survives as a function energy for two-component models with various matter densities in clouds.

We conclude this section by noting that electron capture nuclides can be a useful diagnostic of the ISM even though little observational evidence is presently available. Abundances of these nuclides depend both on the energy during propagation and the density distribution of the propagation medium. In the future we expect to draw useful conclusions from ultraheavy elemental abundance measurements around Z = 40 using electron capture information.

8. COSMIC RAY PROPAGATION

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The simplest model - the leaky box - describes most features of cosmic-ray propagation and permits the associated calculations to reproduce most cosmic-ray abundances. In this model the cosmic rays are considered to be confined to a volume from which they eventually escape by diffusion. (Escape by convection is also possible). nature of the leaky box is not yet established. It could be the galactic disk with a radio halo of modest dimensions - about 1 Kpc in half thickness. Or there could be a cosmic ray halo of larger dimensions, about 10 Kpc, as Ginzburg has many times proposed (e.g. Ginzburg and Syrovatskii, 1965). On the other hand, the leaky box could be much smaller and more local - a superbubble in which the solar system is imbedded - with a diameter roughly a couple of hundred parsecs. Kafatos (1981) and Streitmatter et al. (1983) have applied the superbubble model to cosmic ray propagation. In the latter model, cosmic rays are reflected at the walls of the superbubble, and some traversal of matter would occur during these encounters.

Data that could help to distinguish between the above models are required. Would the gamma ray flux from cosmic ray interactions in the walls or shells of the superbubble help to distinguish between the superbubble and galactic models? Gamma ray data show that the cosmic ray density in the local galactic neighborhood is not especially high - how large an enhancement is needed for the superbubble model? With nucleosynthesis from numerous supernovae in the superbubble, some and company the control of the company that the cosmic ray density in the local galactic neighborhood is not especially high - how large an enhancement is needed for the superbubble model? With nucleosynthesis from numerous supernovae in the superbubble, some over a 100 actinides get recorded.

In the leaky box model, the energy dependence of the secondary-to-primary ratios is usually interpreted as due to rigidity-dependent diffusion from the confinement region, with the confinement time $T \propto R^{-D}$, where b is 0.4 to 0.7. Higher energy particles accordingly are considered to leak out more readily, and have smaller secondary-to-primary ratios.

There is some evidence that the simple leaky box does not describe all observations. The very small energy dependence of the anisotropy between 10 and 10 eV, after correcting for the Compton-Getting anisotropy is difficult to explain in terms of a rigidity dependent confinement time. (The anisotropy is discussed in my second paper at this School.) The large path length required for the production of \bar{p} and possibly 3He implies that some modification of the simple leaky box picture is required. There are two alternative ways to amend the leaky box: (1) introduce density fluctuations and nested leaky boxes that contain cosmic ray sources within the leaky box or (2) introduce an outer confinement volume. The first modification is associated with the observations of interstellar clouds and supernovae in young OB stellar associations. The second picture considers e.g. superbubbles as the basic leaky box, with the Galaxy (possibly including the halo as the outer confinement box. A more complicated picture, with a 3-fold confinement volume, has been proposed by Stephens (1981a).

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The first alternative - the Multiple Cloud Model - was proposed by Silberberg et al. (1983a) which incorporates the nested source leaky box of Cowsik and Wilson (1973, 1975). The model is related to observations of the interstellar medium by adoption of the 3-component interstellar medium of Blandford and Ostriker (1980), and the association of gamma-ray sources and OB stellar associations with clouds, explored by Montmerle (1979).

Since the clouds provide a medium for nuclear interactions, the observational tests rely on information derived from the interaction products. The energy dependence of the secondary to primary ratios $(3 \le Z \le 5)/(6 \le Z \le 8)$ and $(17 \le Z \le 25)/(Z = 26)$ provides such tests. Our paper on High-Energy Cosmic Rays at this school shows the energy dependence of B/C for three models: the closed galaxy of Peters and Westergaard (1977), the Multiple Cloud Model (MCM) and the Leaky Box Model (LBM). The energy dependence of the B/C ratio thus provides a test between the models. A second test has been outlined in section 7 above.

A further experimental test between the MCM and LBM is provided by the surviving fraction of radioactive secondary nuclei 10 Ee, 26 Al and 36 Cl. In the MCM the confinement time is 10^7 years, for the LBM model, T \propto R for R > 4 GV/c. The fractions Be/Ee, 6 Al/Al and 36 Cl/Cl are shown in Fig. 9 as a function of energy/nucleon. The decrease of 26 Al/Al at high energy is due to the decrease of secondary Al relative to primary Al.

The high abundance of antiprotons can be explained in terms of the MCM by postulating source regions where cosmic rays traverse > 30 g/cm materials so that p, \bar{p} and a sizeable fraction of helium nuclei excape, while very few of the heavier nuclei do. Such an origin of the antiprotons has already been proposed by Cowsik and Gaisser (1981) and Cesarsky and Montmerle (1981).

The second alternative picture--cosmic ray confinement in a superbubble--has been explored briefly by Kafatos et al. (1981), and Streitmatter et al. (1983), and Clayton (1984). Stephens (1981b) has pointed out some significant constraints for this model: Acceleration during encounters with the shock wave walls of the bubble must not result in significant acceleration - the ratios of secondary/primary cosmic rays that decrease with energy are not consistent with continued acceleration of particles. However, we consider it plausible that the shock waves of successive supernovae, prior to reaching the bubble walls may accelerate energetic particles emitted by flare stars up to the energies of cosmic ray particles. While the production of anti-protons has not been explored in terms of the superbubble picture, we think that one should explore whether they could be understood from an evolutionary point of view: The superbubble started out with supernova explosions in young OB associations with dense clouds in which extensive traversal of matter by cosmic rays took place prior to the dissipation of these clouds. It is not clear, however, whether the small energy dependence of anisotropy and the large one of the secondary/primary ratios can be reconciled in this model.

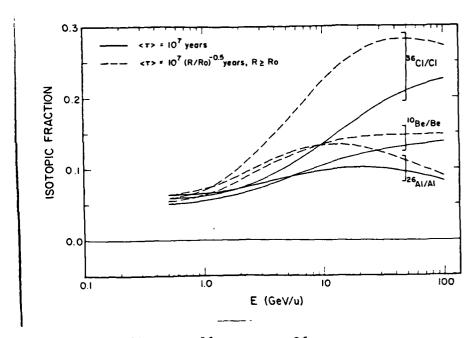


Fig. 9. The ratios 10 Be/Be, 26 Al/Al and 36 Cl/Cl vs. energy for the multiple cloud model (solid curve) and leaky box model (dashed curve).

A more complicated version of the superbubble picture postulates a second confinement volume (Galactic) outside the superbubble. This model is being explored by Lund. With the assumption of very slow leakage from the second or outer confinement volume, i.e. long path lengths, the antiprotons can be attributed to diffusion into the superbubble from the outer regions.

The expected electron flux and energy spectrum in the superbubble needs further exploration to test the viability of the model. The electron flux in the galaxy can be estimated from the Galactic radio spectrum and magnetic field strength. In a superbubble, the cosmic ray flux should differ from that outside. Is the electron flux in the superbubble model different from various directions of the Galaxy? If a long residence time is assumed outside the superbubble, synchrotron losses would steepen the electron spectrum at lower energy. Is the Galactic electron spectrum derived from the radio emission consistent with a longer residence time? These questions demonstrate that much interesting research can be carried out on propagation of cosmic rays in the future.

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RADIATICH TRANSPORT OF CCSMIC RAY NUCLEI IN 15 LUNAR MATERIAL AND RADIATICN DOSES

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The radiation environment on the lunar surface is inhospitable: there is no radiation-absorbing atmosphere and no overall magnetic field that deflects charged particles. The annual dose equivalent due to cosmic rays at times of solar minimum is about 30 rem. Also, the lunar surface is not protected from solar flare particles; at energies above 30 MeV, the dose equivalent over the 11-year solar cycle is about 1000 rem, most of those particles arrive in one construct shelters several meters below the lunar surface. At moderate depths below the lunar surface ($<200~g/cm^2$) the flux of secondary neutrons These doses greatly for radiation workers. For permanent lunar residents, it is necessary to nuclei heavier than atmospheric N and C) generate many more neutrons in the heavy nuclei like Ar and Fe have a large probability for generating tumors or of 1% of that due to neutrons. However, gamma ray line emission from excited these lines permit the exceed the permissible annual dose--0.5 rem for the general public and 5 rem exceeds considerably that in the upper atmosphere of the earth. This comes about because cosmic ray interactions with lunar material (that contains many nuclear evaporation process. The annual dose equivalent due to neutrons is about 20 or 25 rem within the upper meter of the lunar surface. Recent experiments show that small doses (an absorbed dose of about 10 rad) of fast fetal abnomalities. We therefore feel it is useful to present the material at the lunar surface. The dose equivalent due to gamma rays generated by nuclear interactions near the lunar surface is only of the order nuclei and nuclear spallation products generated by cosmic rays near the attenuation rate of heavy cosmic ray nuclei in tissue and in shielding determination of lumar composition with electronic counters, or two gigantic flares, each lasting only about 2 days. lunar surface is of considerable interest:

Severna Park, Maryland 21146

1. INTRODUCTION

The cosmic ray environment on the lunar surface is inhospitable for permanent settlement. This problem can be overcome, however, by adequately shielded conditions. We show in this paper that during the four week lunar day-night cycle, the permanent settlers may work 10 hours per 24 hour interval, for the two week long lunar day on the lunar surface, i.e. about 20% of the total time. The remaining time has to be spent in habitats either under the lunar surface or at the surface under a mound built of lunar material. It should be noted that the lifting of material from the mound requires 1/6 the corresponding energy expenditure on the earth, due to the reduced gravity.

In this paper we explore the results of our radiation transport calculations. The primary cosmic ray nuclei (discussed by Adams and Shapiro (1965) in these proceedings) propagate in the lunar soil and undergo nuclear transformations. Our radiation transport calculations include the stable as well as unstable cosmic ray nuclides from H to Ni, ionization loss and solar modulation. Also the breakup of nuclei of the lunar soil, the production of neutrons and neutron generated nuclear recoils are taken into account. For radiobiological analysis the cosmic ray energy spectra are converted into LEI (Linear Energy Transfer or ionization energy deposition) spectra. These are then converted into absorbed doses and dose equivalents as a function of depth of lunar soil, and compared with the permissible dose limit of 5 rem/year for radiation workers.

2. THE PROPAGATION EQUATION

Cosmic ray nuclei fragment in collisions with the atomic nuclei in the lunar soil. The fundamental equation for cosmic ray propagation that includes the effects of nuclear transformations and energy losses based in Ginzburg and Syrovatskii (1964), is

$$\frac{3J_1}{3x} = -\frac{1}{\lambda_1} + \sum_{j>1} \frac{J_1}{\lambda_{1j}} + \frac{3}{3E} \left[J_1 \left(\frac{dE}{dx} \right)_1 \right]$$
 (1)

Here J_1 is the differential flux of cosmic-ray particles of isotopes of type i, x is the path length in units of g/cm^2 , dE/dx is the (positive) stopping power, $\lambda_{\underline{1}}$ is the fragmentation mean free path of a nucleus of isotope i, and $\lambda_{\underline{1},\underline{1}}$ is the mean free path of a nucleus of type j yielding one of type i. The cross sections used are those of Silberberg and Isao (1973), Letaw (1583a), and Letaw et al. (1983b). For a composite material, $\lambda_{\underline{1}}$ and $\lambda_{\underline{1},\underline{1}}$ are weighted over the nuclei of a mixture, with N decomposed so as to represent the individual number of atoms/cm³ of a given type in the lunar material. For our calculation we adopted the composition given by Reedy (1978), with the relative abundances of nuclei as shown in Table 1.

3. CALCULATION OF DOSE

The output of the propagation program yields the energy spectra dJ_4/dE of all nuclear species at various depths of a given material. For the calculation of the dose, the energy spectra are converted into rate of ionization energy loss (or LET) spectra. Using the abbreviated notation $dJ_4(S)/dS=J_4(S)$, where S is the stopping power or dE/dx, the integral LET

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spectrum N₁(S₀) is given by

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$$N_1(S_o) = \int_{S_o} J_1(S) dS$$
 (2)

The absorbed dose rate from nuclides of type i, with stopping power $\mathrm{S>S}_{\mathrm{O}}$ is given by

$$b_1 (S_o) = \int_{S_o} J_1(S) SdS$$
 (3)

If x is in units of g/cm², J in units of particles/cm² sec, and E is in units in units in units of rad/sec. For the dose equivalent, the integral of Eq. 3 contains the quantity factor Q(S), defined in terms of lET intervals, and approximated as in Silberberg et al. (1984). The dose equivalent rate is given in units of rem/sec. The doses have been calculated for energy deposition in water, i.e. for biological tissue-like material.

4. DOSE DUE TO COSMIC RAYS

Fig. 1 shows the LET spectra and the integral absorbed dose rates as a function of shielding in lunar material, from 1 to 200 g/cm 2 . The total absorbed dose rate in units of rad/year can be read off at the left hand

Fig. 2 shows the corresponding LET spectra with the quality factor included in the integration of Equation 3, i.e. the integral dose equivalent rate, from 1 to 200 g/cm². The units are rem/year. In both Figs. 1 and 2, the shoulder above approximately 1500 MeV/(g/cm²) results from the contribution of the highly ionizing iron nuclei. The large reduction of the dose at high values of LET is due to the depletion of cosmic-ray iron with shielding, both because of its large spallation cross section, and high rate of ionization loss as a result of which slower iron nuclei stop in the shielding.

Fig. 3 shows the attenuation of the annual integral absorbed dose and dose equivalent due to cosmic ray nuclei. After about 100 g/cm², the dose equivalent due to nuclei is similar to that of the absorbed dose, because of the breakup of heavy nuclei. However, as we show later, when neutron generated nuclear recoils are considered, the difference between the absorbed dose and the dose equivalent persists.

5. DOSE DUE TO NEUTRONS

The dose rate due to neutrons is calculated using (a) the neutron depth profile in lunar material measured by Woolum and Eurnett (1974), and the calculations of Lingenfelter et al. (1972), (b) the energy spectra of neutrons in lunar soil, calculated by Reedy and Arnold (1972), and (c) the relationship between the neutron flux and the absorbed dose and dose equivalent, as a function of energy, given by Armstrong et al. (1969). Table 2 gives the annual dose equivalent of the neutron dose in lunar material, as a function of depth.

7. GAMMA RAY LINES

6. PEFMISSIBLE DOSE AND SHIELDING REQUIREMENTS

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We note from Table 2, that only for >400 g/cm² the annual dose equivalent becomes smaller than 5 rem, the permissible annual dose for radiation workers. At the time of a giant flare, like that of February 1956, the dose over the two-day duration of the flare exceeds the annual dose of Table 2 by an order of nagnitude. At the time of such a flare, a shield of 700 g/cm² is required to reduce the dose to the level permissible for radiation workers.

For a few astronaut-volunteers over 30 years of age, the Fadiobiological Advisory Panel (1970) has permitted higher dosages: an annual dose of 38 rem, and a life-time limit of 200 rem. The latter limit is reached already in about ten years on the lunar surface even in the absence of solar flares.

Fig. 4 shows a comparison of the annual dose equivalent due to cosmic ray nuclei and neutrons, as a function of depth in lunar material, down to 500 g/cm². It can be seen that for a shielding >400 g/cm², the annual dose is brought down to the level permissible for radiation workers. Even with such shielding, one receives in 40 years a dose of 200 rem, the permissible life-time dose for a few astronaut-volunteers. On rare occasions, a couple of days per 11-year solar cycle, additional shielding is needed at the time of giant solar flares.

The biological effects of gamma rays induced by cosmic ray and solar flare particle interactions in the lunar soil are relatively minor. On the other hand, the gamma ray lines are likely to be useful for mineral prospecting on the moon. Concentrations of elements like U, Th, Ti, K can be located as well as the more common elements shown in Table 1. The emission rates of gamma ray lines on the lunar surface have been explored by heedy (1978).

8. CONCLUSIONS

For permanent residents on the moon, about 20% of time (or 40% of the two-week day-light time) can be spent without significant shielding. Most of the time should be spent in shelters of >400 g/cm², or about two meters of densely packed lunar soil, either below the surface, or at the surface beneath a shielding mound. At the time of rare gigantic flares, shelters >700 g/cm² are needed - such a protection is particularly important for radiation-sensitive fetuses.

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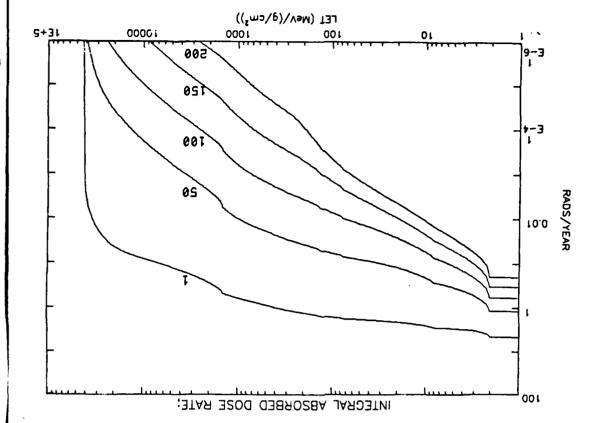
Table 1. Felative Abundances of the Nuclei of the More Common Elements in

Lunar Soil.

Table 2. The Annual Dose Equivalent Due to Cosmic-Ray Generated Neutrons.

		Depth (g/cm²)	Annual Dose (rem
Element	Abundance (%)	0	1.5
O	19	01	3
r.	a	20	7
Al	6	100	13
SI	16	200	12
Ca.	9	300	ဆ
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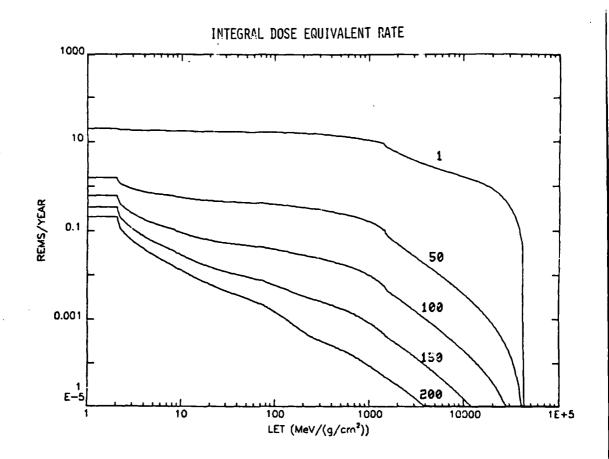
1. The LET-distributions of the integral absorbed dose rates in units of rads/year, as a function of shielding from 1 to 200 g/cm 2 .

Figure Captions

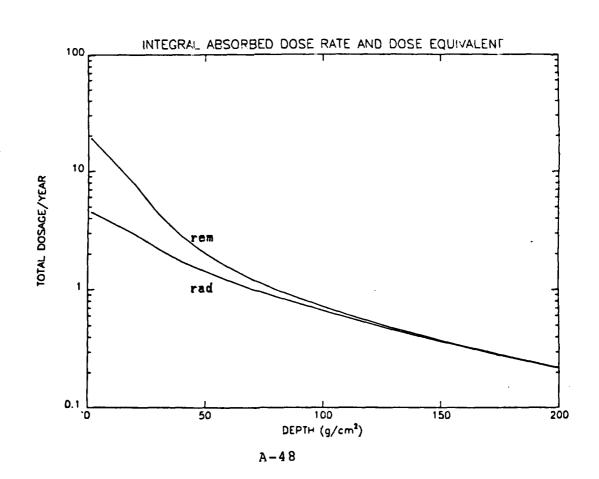
2. The LET-distributions of the integral dose equivalent rates in units of rems/year, as a function of shielding from 1 to 200 g/cm 2 .

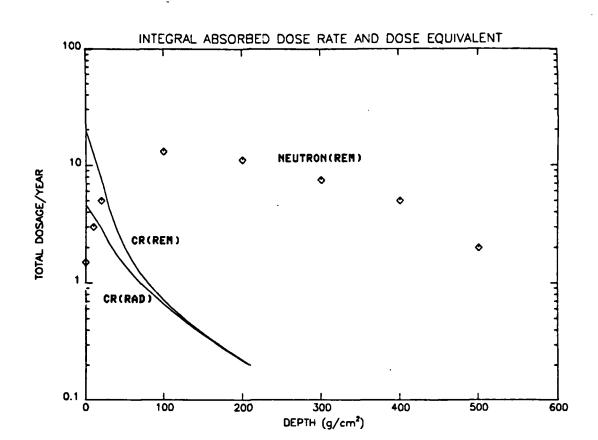
 The attenuation of the annual dose due to cosmic ray nuclei with shielding. The upper and lower curves show the dose equivalent and absorbed dose rates, respectively. . A comparison of the annual dose equivalent due to secondary neutrons and cosmic ray nuclei, as a function of shielding. Also the absorbed dose rate due to cosmic ray nuclei is shown.

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Non-Geometric Behavior of Nucleus-Nucleus Total Inelastic Cross Sections

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E.O. Hulbert Center for Space Research Rein Silberberg and C.H. Tsao Naval Research Laboratory Washington, D.C. 20375 · 選続は選出は過速をはなりはないという。

Geometric models of high energy nucleus-nucleus reactions,

in which total inelastic cross sections increase as $A^{2/3}$, are

violated under certain conditions, In several elements, for

example, Ca, the nuclear skin of lighter isotopes extends farther than for heavier isotopes. Since the mean free path of nucleons

more strongly with the total skin extent than with the radius

and therefore can be smaller for heavier isotopes.

in nuclear matter is short, the cross section is correlated

High-energy (> 100 MeV/nucleon) nucleus-nucleus cross sections are of interest in numerous disciplines where the frag-

mentation of fluxes of heavy ions in passage through matter

is important. These disciplines include experimental nuclear physics, radiomedicine, radiation effects, cosmic-ray physics,

and high-energy astrophysics. The total inelastic cross section characterizes the total loss of a flux of heavy ions due to

fragmentation. In general these cross sections are most accurately represented by semi-empirical formulas¹ which interpolate between

the relatively scant experimental data. However, because the experimental data are so patchy, semi-empirical formulas are

susceptible to large, systematic errors and tend to wash out

The most primitive model of high-energy total inelastic cross sections is that of two (classical) colliding hard spheres. In this case, the interaction cross section is

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where the radii $\rm R_1$ and $\rm R_2$ of the nuclei are taken to be proportional to $\rm A^{1/3}$. A better model of the total inelastic cross section was developed by Bradt and Peters 2,

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(3)

The additional free parameter, b, is the amount of overlap between the hard spheres necessary for an interaction to take place.

Both of these models are unsatisfactory because no choice of free parameters accurately predicts all cross sections at all

In an effort to correct the deficiencies of earlier models, Karol³ introduced the soft-spheres model. Within this model nuclei are treated as spheres with a nuclear density decreasing radially outward from the center. The nuclear density distribution is characterized by the half-way radius, c, and skin thickness, t. For any given impact parameter the overlap of nuclear matter and the total NN cross sections are folded together to yield the transparency. The total inelastic cross section is found by integrating over impact parameters.

While conceptually accurate, Karol's model predicts total inelastic cross sections about 10% greater than measured.4
As first pointed out by Wilson and Townsend⁵ some of this disagreement can be traced to Karol's use of the nuclear charge density distribution parameters to represent the matter density distribution using the proton charge density yields a matter density distribution with slightly larger half-way radius and significantly smaller

skin thickness.

When these new

parameters are incorporated into the soft-spheres model we find substantially better agreement with experiment.

model, that among isotopes of a given element the total inelastic counterpart (e.g., 42ca), hence the total inelastic cross section cross section on any target may not increase monotonically with $^{4\partial}\mathsf{Ca}$) this results in a skin extent less than that of a lighter mass. This result is in direct contrast with geometric models (Egs. (1)-(2)). We trace our result to the strong correlation the total inelastic cross section. Although a heavier isotope generally has a larger half-way radius, the skin may actually be thinner because of stronger binding. In some cases (e.g., between the skin extent (radius at 10% central density) and In this Letter we show, using the updated soft-spheres

Cross Section Model

The total reaction cross section within the soft-spheres

$$\sigma = 2\pi \int_{-\infty}^{\infty} \left[1 - T(r) \right] r \, dr \tag{3}$$

where details of nuclear structure, electromagnetic interactions This semi-classical model is applicable only at high energies an important contributor to the cross section when two highly projectile passage through the target at impact parameter r. incorporated the phenomenon of photodisintegration which is and exclusion principle effects may be ignored, We have not where T(r), the transparency function, is the probability charged nuclei collide.

Within the soft spheres model the transparency function

$$T(r) = \exp\left[-\overline{\sigma} \int_{-\overline{\omega}} \left(\int_{0} \rho_{\tau}(r, \bar{z}, \vec{x}) \rho_{\rho}(r, \bar{z}, \hat{x}) d^{3}\vec{x} \right) d_{\Xi} \right]$$
 (4)

distributions, which are taken to be homogeneous. The parameter where ho_{T} and ho_{P} are the target and projectile matter density z is the distance along the beam to a normal plane through the

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The average nucleon-nucleon collison cross section is

$$\vec{\sigma}(E) = \left[\left(\frac{\vec{E}_T}{A_T} \right) \left(\frac{\vec{Z}_P}{A_P} \right) + \left(\frac{N_T}{A_T} \right) \left(\frac{N_P}{A_P} \right) \right] \sigma_P(E) + \left[\left(\frac{\vec{Z}_T}{A_T} \right) \left(\frac{N_P}{A_P} \right) + \left(\frac{N_T}{A_T} \right) \left(\frac{\vec{Z}_P}{A_P} \right) \right] \sigma_P(E)$$
(5)

where $^{2}T(p)$, $^{N}T(p)$, and $^{N}T(p)$ are, respectively, the proton, neutron, and mass numbers of the target (projectile); $^{\circ}T_{pp}$ is the proton-proton ($^{\circ}$ neutron-neutron) total cross section; and $^{\circ}T_{pn}$ is the proton-neutron total cross section. All energies are in units of kinetic energy per nucleon. $^{\circ}T_{pn}$ quantifies the average rate at which projectile matter interacts with target

For light nuclei (A < 40) this is a satisfactory model of the actual distribution. Free parameters are specified by the RMS charge radius a and normalization to the mass. For heavy nuclei the Gaussian is "surface-normalized". Matching the Gaussian distribution to a Fermi distribution at the 50% and 10% of central density radii determines the free parameters in terms of the half-way radius c and skin thickness t. The Gaussian is then a good fit to the surface but overestimates the central density. The approximation is justified because transmission is negligible in the central region regardless of model. The Gaussian approximation allows an analytical solution to Eq. (3).

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Our model differs from Karol's in the determination of free parameters in the density distribution. While he uses the parameters of the charge distribution (a or, c and t) as an adequate model of the matter distribution, we deconvolute the charge distribution using the proton charge distribution to determine the matter distribution. The deconvolution is necessary because nucleon-nucleon total cross section measurements implicitly incorporate particle structure, In the case of light nuclei this deconvolution amounts to replacing the RMS charge radius with

$$\left(a^2 - a_p^2\right)^{\gamma_2}$$

where $a_{\hat{p}}$ is the proton charge radius (0.8 fm). For the heavy nuclei we compute parameters c'and t'such that

$$\rho_{\xi}(c,t,\vec{x}) = \int_{C} \rho_{r}(\vec{x}-\vec{x}') \rho_{m}(c',t',\vec{x}') d^{3}\vec{x}'$$
 (6)

is satisfied at radii c and c \pm t/2. ρ_q and ρ_m are the charge and mass densities of the nucleus, both taken to be Fermi distributions. ρ_p is the proton charge distribution. Results of the deconvolution are shown in Table I. We note that c'is slightly greater than c while the skin thickness t'is substantially smaller than t.

Conclusions

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The model proposed above predicts total inelastic cross sections roughly 10% smaller than the original soft spheres model. This reduces discrepancies with high energy measurements noted by Webber⁴ and Wilson and Townsend⁵. For example, the total reaction cross section for protons on Fe is 70% ± 12 mb at 710 NeV/nucleon and 769 ± 11 mb at 1050 NeV/nucleon, while the original soft spheres model predicts 812 ± 40 mb and 829 ± 40 mb respectively, and the model proposed here predicts 745 ± 35 mb and 759 ± 35 mb respectively.

the parameters of the charge distribution have been tabulated.

The parameters in the matter distribution are derived using

Eq. (4). Associated calculations 9 support the conclusion that
the matter distribution inferred from these measurements is
qualitatively correct despite the neglect of neutrons. The
computed total inelastic cross sections of the calcium isotopes
are shown in Fig.1 where they are compared with projections
based on a geometric model. The difference between the two
models is about 10% for 40ca.

The anomalous behavior of these cross sections may be traced to the importance of the nuclear skin in interactions. Since the mean free path of nuclear matter in nuclear matter is short, the possibility of an interaction depends more on the skin extent

(c' + t'/2) than on the half-way or RMS radil. Charge densities of 42 Ca and 48 Ca are shown in Fig. 2. Though the half-way radius of 48 Ca is greater than that of 42 Ca, the skin extent is smaller accounting for the smaller cross section. The smaller skin extent may be traced to the nuclear stability of 48 Ca, Similar behavior occurs among Sn isotopes and presumably any element where there are several isotopes with large mass differences.

The predictions made here can be tested with existing facilities. At the Bevalac, isotopic beams of "Ca passing through any light target should show 10% deviation from geometric models per mean free path. The total inelastic cross sections of all Ca isotopes should lie within ± 5% of one another. In addition to their intrinsic importance these measurements at high energies could also prove to be sensitive probes of the nuclear matter distribution.

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Table I. Comparison of half-way radius and skin thickness for charge (c,t) and matter (c',t') densities using a Fermi distribution. There is a weak correlation between radius and skin thickness at the level indicated by error bounds.

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SACRET CONTROL OF THE CONTROL OF THE

c (fm)	(fm)	(<u>m</u> j) 4	((t w)
	/	7,3,7	,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,
3.00	3.07 ± 0.01	1.50	0.89 ± 0.02
4.00	4.05 ± 0.01	2.00	1.56 ± 0.02
5.00	5.04 ± 0.01	2.50	2.15 ± 0.02
00.9	6.04 ± 0.01	3.00	2.71 ± 0.02
7.00	7,03 ± 0,01	3.50	3.24 ± 0.02
8.00	8.03 ± 0.01	4.00	3.77 ± 0.02

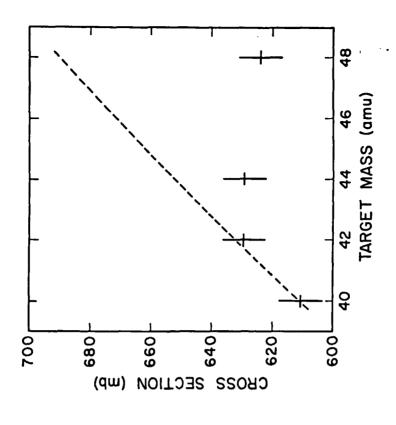
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Figure Captions

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Figure 1: The total inelastic cross section for protons on several calcium isotopes at 2 GeV/nucleon as predicted by the soft-spheres model (individual data points) and projected from \$^{40}Ca using a geometric model. Errors on data points are due to uncertainties in half-way radius and skin thickness.

Figure 2: The charge densities of 40 Ca and 42 Ca. The half-way radius of 46 Ca is greater than that of 42 Ca, while the skin extent (radius at 10% central density) is smaller. 48 Ca in this model has a smaller total inelastic cross section because of its smaller skin extent.



Environmental Models for Single Event Upset Estimation

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Severna Park, MD 21146

1. Introduction

Cosmic ray physics and the associated problem of high energy ion transport have found many important applications in recent years (Fig. 1). These include particle radiation damage to materials, particle beam weapons, radiation dosimetry, radiomedicine, and background in scientific instruments. In space, where particle intensities are great, the natural particle environment is hostile to electronic systems and life.

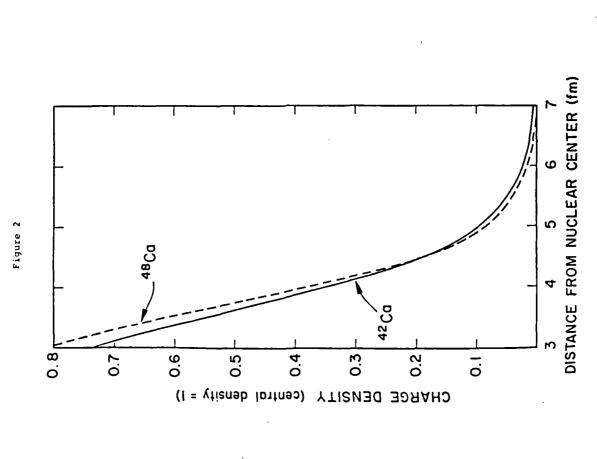
In this talk we are concerned with the causes of single event upsets (SEUs) in space. These upsets occur in microelectronics when a single ionizing particle passes through sensitive circuitry depositing thousands of electron/hole pairs. Collection of these charges may result in bit flips, latchup, or logical errors. If these errors go uncorrected there is significant potential for spacecraft failure. We have heard some discussion of these failures in this conference.

The procedure we use for estimation of single event upsets is divided into five parts (Fig. 2):

- 1. Incident particle flux specification
- 2. Geomagnetic field transmittance
- 3. One dimensional propagation through thick shielding
- 4. Geometric integration over angles
- 5. Energy deposition computations

The natural radiation environment (incident flux) is altered (though not necessarily weakened) by the shielding of Earth's magnetic field and the spacecraft structure. This shielding slows or stops all particles and fragments some particles into lighter, less ionizing, species. There are directional aspects to each of these processes so the calculations are done in many directions then integrated over all angles. The result is the particle fluxes for each charge and energy at the electronics.

The final step in the computation is to determine the rate of energy deposition (and hence the rate of charge deposition) in the chip. For heavy ions such as iron (charge = 26) energy is deposited directly by ionization loss. With protons direct ionization loss is insufficient to cause upsets. They cause upsets indirectly through recoils of silicon nuclei in elastic and inelastic collisions.



2. The Natural Radiation Environment

The natural particle environment is the single greatest source of uncertainty in estimating single event upset rates in spacecraft. A number of factors are responsible for this uncertainty. First, the particle environment has not been fully explored. Uncertainties in the environment, for example, the trapped heavy ion abundances, lead to incomplete environmental modeling. Since trapped heavy ions are very effective at producing upsets they may, even in small numbers, dominate the trapped protons in causing SEUs.

A second factor is the intrinsic unpredictability of some astrophysical processes. Solar energetic particle events are, at best, heralded by light which gives us only a few minutes advanced notice. Intensity and heavy ion enrichment are impossible to forecast. Similarly the dynamics of terrestrial magnetic fields, for example magnetic storms, lead to large uncertainties in radiation belt fluxes.

the natural radiation environment consists of (Fig. 3):

- 1. Galactic cosmic rays
- 2. Trapped particles
- Solar energetic particles

Each of these particle groups has unique characteristics impacting on the question of SEU estimation.

Galactic cosmic rays are composed of all elements from hydrogen to uranium. Protons and alphas are most common. Heavy ions account for about 1% of cosmic rays. Elements heavier than nickel are extremely rare. Composition is roughly the same as in the solar system except that some rare elements are built up by fragmentation of common elements during passage through the interstellar medium (Fig. 4). The mean cosmic ray energy is around 1 GeV/nucleon and the energy spectra are hard (Fig. 5). Pecause the energy spectrum is so hard, material shielding does little to protect electronics from cosmic rays. Split curves indicate the upper and lower limit of variations with solar cycle.

Heavy ions in cosmic rays are the dominant cause of single event upsets. Iron deposits charge 600 times faster than protons almost making up for its lower abundance. In addition most circuitry is not susceptible to the direct ionization of protons. Recoils from proton interactions are extremely rare, hence the direct ionization of heavy ions dominates.

Solar flares occur at unpredictable intervals. Their intensities vary over a wide range (following a log-normal distribution). The proton flux from one of the most (particle) intense flares ever observed (August, 1972) is shown in Fig. 6. Total fluxes can be many orders of magnitude greater than cosmic ray fluxes, but the energy spectrum is much steeper. Since there are few high energy particles shielding is much more effective against solar flare particles.

In solar flares as well as cosmic rays it is the heavy ions which are responsible for SEUs. Very little statistical information is available about heavy ions in solar flares. Abundances are roughly the same as in cosmic rays; however, some flares are substantially enriched (up to a factor of 10) in heavy ions. Forcasts of heavy ion fluxes in solar flares are not possible. Modeling of heavy ion fluxes is inadequate because effort has not been focused on analyzing available data and gathering new data. We use a variety of worst case models to characterize fluxes.

Trapped protons are extremely abundant in the radiation belts (about 2000 nautical miles at the equator) and tail off near Earth and at geosynchronos orbit (Fig. 7). They are so abundant that even though it takes more than 100,000 trapped protons to do the damage of one cosmic ray heavy ion, in many orbits trapped protons are the dominant cause of SEUs. Even in near Earth orbit trapped particles mirroring at the South Atlantic anomaly may greatly increase instantaneous upset rates. Even minute contributions of heavy ions in the trapped radiation would substantially increase upset rates in the radiation belts.

3. Geomagnetic Shielding

For near Earth orbits the geomagnetic field shields spacecraft from low energy cosmic rays and solar flare particles. Just how effective this shielding is depends on the orbit (Fig. 8). In India the geomagnetic cutoff occurs at rigidity 16 GV. Protons with energies less than about 16 GeV and heavier ions with energies less than about 8 GeV cannot penetrate the field. At the magnetic poles much lower energy particles penetrate.

The cutoff is dependent on orientation (Fig. 9). A factor of 2 difference in cutoff from east to west is not uncommon. Cosmic ray ion intensities are highest coming from the west. Geomagnetic shielding, spacecraft shielding, Earth's shielding and chip orientation all introduce directional dependencies into upset rate estimates. These may offer possibilities for reducing upsets in some space systems.



A complete set of particle environment models exist. These are based on cosmic ray and solar flare modeling done at the Naval Research Laboratory and trapped radiation modeling done at NASA. In addition, extensive calculations of geomagnetic shielding have been done at AFGL. At Severn Communications Corporation we have gathered these models together and incorporated them into our propagation and energy deposition codes. These codes are constantly being improved upon to give the most accurate possible estimates of SEU rates in space systems and high altitude aircraft.

Several deficiencies exist in particle environmental models. Among the most pressing issues are the questions of heavy ion abundances trapped in the radiation belts and in solar flares. NRL's TRIS experiment should improve our understanding of the trapped heavy ion population allowing some improvement of the models. A detailed statistical study of solar flare heavy ions would be necessary to accurately characterize worst case models. Data on heavy ions have been collected in several satellite experiments, but we know of no programs to analyze this data.

Among the most pressing issues to come out of this conference was the need for validation of SEU rate estimation procedures. Our current estimation techniques depend on environmental models, propagation els, and device models which have individually been tested. The overall effectiveness of these techniques has not been verified by comparison with observed upset rates. The need for this validation is critical. A desirable outcome of this work would be the standardization of methods for estimating SEU rates allowing for meaningful incorporation into systems reliability specifications.

High Energy Ion Propagation Applications

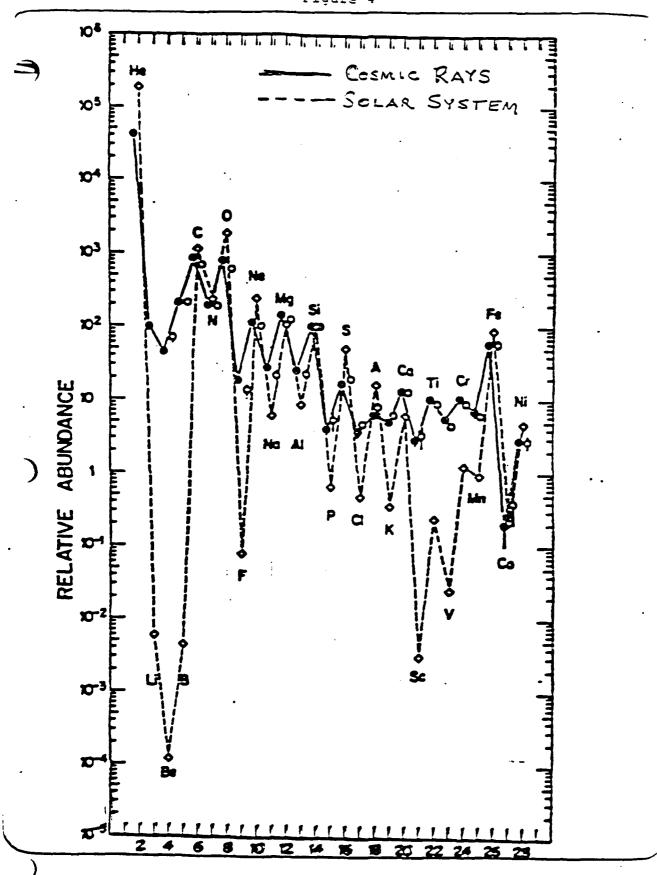
- Cosmic Ray Physics
- Single Event Upsets
 (Space and Atmosphere)
- Radiation Dose in Space
- Particle Beam Weapons
 - Gamma Ray Emissions

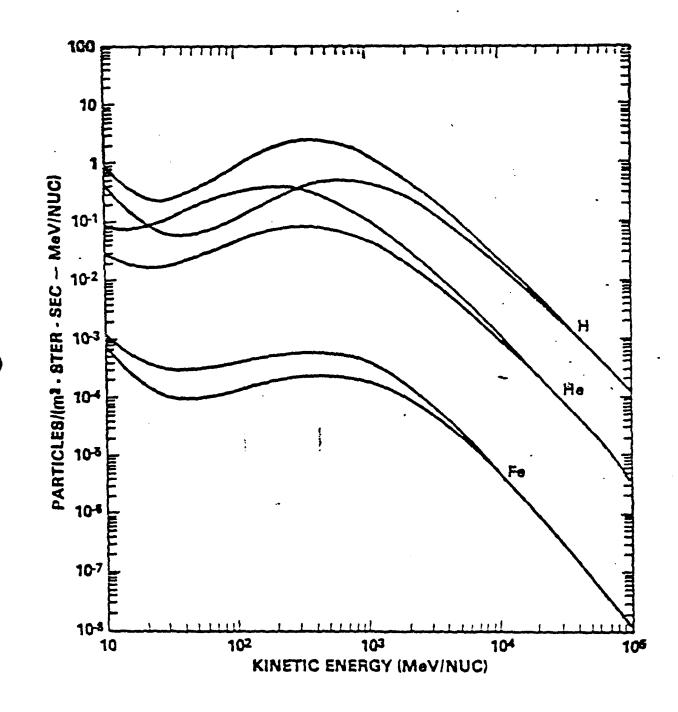
Program Organization

- Incident Particle Flux
- Geomagnetic Transmittance
- Propagation in Materials
- Geometric Integration
- Secondary Effects

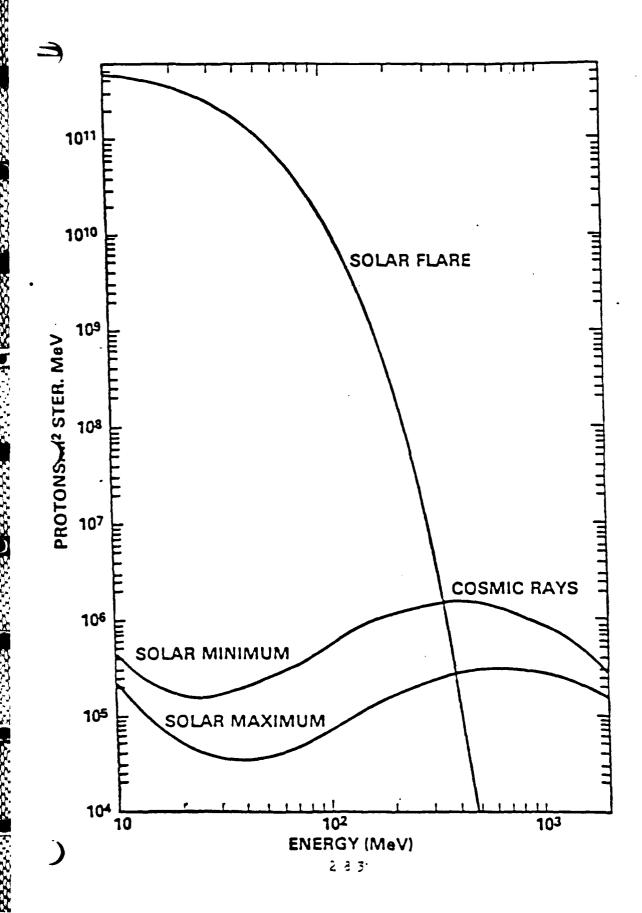
Natural Particle Environment

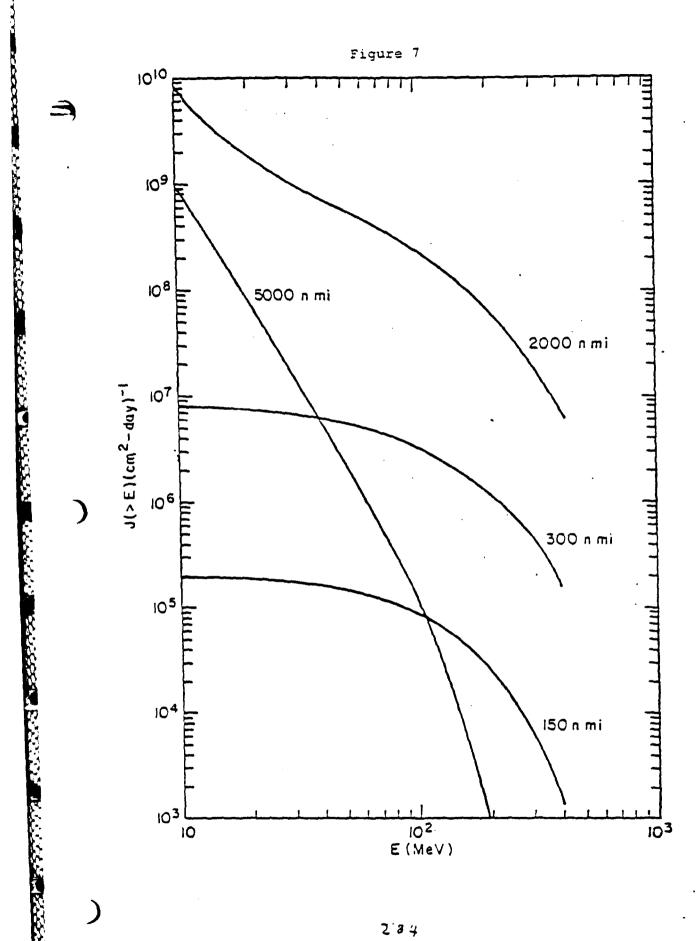
- Galactic Cosmic Rays
- Trapped Particles
- Solar Energetic Particles
- Anomalous Component



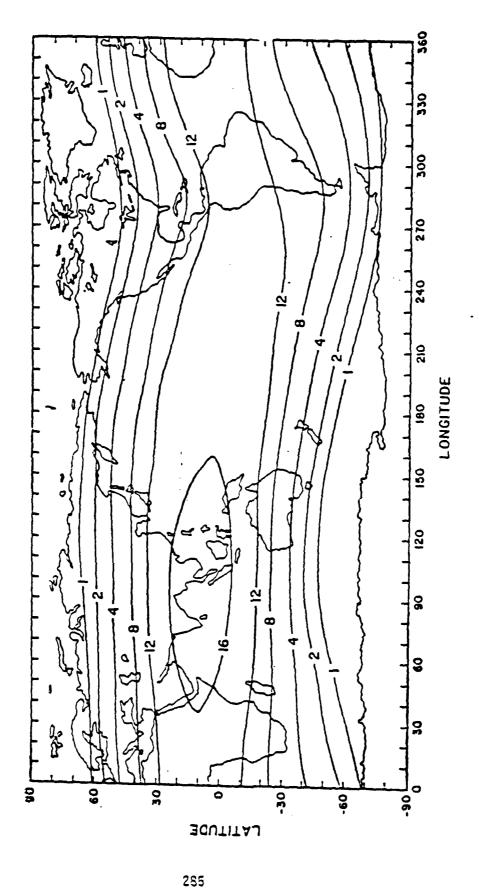


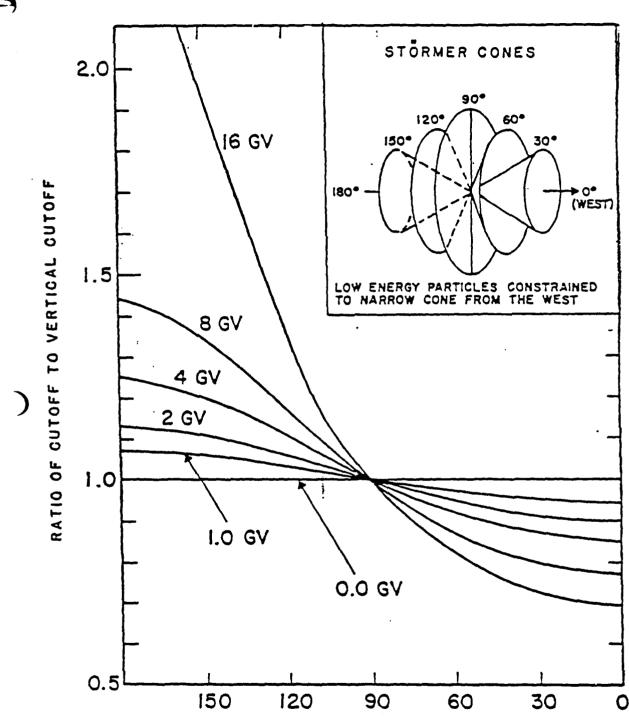
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STÖRMER CONE ANGLE FOR POSITIVELY CHARGED PARTICLES
(Degrees from West)

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Bulletin of the American Astronomical Society

v. 16, no. 2, p. 448 (1984)

04.11 Uncertainties in Cosmic Ray Source Composition

J. R. Letaw (Severn Communications Corp), R. Silberberg and C. H. Tsao (NRL, Washington, DC)

The calculation of the composition of cosmic rays at the source regions is affected by uncertainties in partial nuclear cross sections. About half of the light cosmic ray nuclei and up to 90% of the heavier nuclei fragment in interstellar gas between the sources and the earth. Hence many of the elemental abundances are dominated by the contribution of secondary fragments and predictions are sensitive to cross section errors. Henshaw and Wiedenbeck (1983 International Cosmic Ray Conference) calculated the uncertainties in the source composition for the respective cases of correlated and uncorrelated errors in cross section calculations. Based on the differences between the calculated and measured abundances of elements that are predominantly secondary, we find that for elements with 2 < 40, the errors are mainly uncorrelated. The implied uncertainties in source abundances are also relatively modest—much less than in the case of correlated errors. For the ultra—heavy secondaries (61 < 2 < 75), however, the calculated production cross sections at 1 GeV/u (prior to adjustments based on data of Kaufman, et al.) were too small by a factor of two. Hence, for the ultra—heavy nuclei, the cross section calculations, especially their energy dependence, had a large correlated component.

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Bulletin of the American Physical Society

v. 29, no. 4, p. 735 (1984)

HG 13 Late Stage in Acceleration of Cosmic Rays
R. Silberberg, C.H. Tsao, E.O. Hulburt Center for
Space Research, NRL, J.R. Letaw, Severn Communications
Corp., and M.M. Shapiro, Univ. of Iowa and Univ. of
Bonn

There are several anomalies in the composition of cosmic rays; in particular for low energy N, F, Al, Cr, Mn, the e-capture isotopes Ar, V, Cr, and at higher energies Z 75. All of these discrepancies are resolved by for 61 assuming that cosmic ray spallation reactions occur at an energy about 1/4 of what is observed near the solar system. This observation is interpreted by assuming three stages in the cosmic ray acceleration and propagation process: The principal acceleration of cosmic rays occur near their source regions. (2) This is followed by an extensive period of traversal of interstellar gas with nuclear Thereafter, the particles are further fragmentation. (3) accelerated by weaker and dissipated shock waves in the hot, tenuous regions of the interstellar medium.

Bulletin of the American Physical Society v. 29, no. 4, p. 735 (1984)

HG 14 Ultraheavy Cosmic Rays and Electron Capture Decay J.R. Letaw, Severn Communications Corporation, R. Silberberg and C.H. Tsao, E.O. Hulburt Center for Space Research, NRL

General results concerning electron stripping and attachment in nuclei, and the treatment of electron capture decay in cosmic ray propagation are presented. We show that all galactic cosmic rays achieve their equilibrium charge state faster than the rate of other interaction processes. Effective decay rates for all cosmic ray species, except possibly actinides, may then be determined assuming each species has at most a single attached electron. These methods are applied to the ultraheavy cosmic rays showing the sensitivity of elemental and isotopic abundances to density and energy.

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THE ASTROPHYSICAL JOURNAL SUPPLEMENT SERIES, \$6.369-391, 1984 November 8 1984. The American Autonomical Screey All rights marred Planks in U.S.A.

PROPAGATION OF HEAVY COSMIC-RAY NUCLEI

Severa Communications Corporation JOHN R. LETAW

E.O. Hulburt Center for Space Research. Naval Research Laboratory Received 1984 March 20, accepted 1984 May 29 REIN SILBERBERG AND C. H. TSAO

ABSTRACT

Techniques for modeling the propagation of heavy cosmic-ray nuclei, and the required atomic and nuclear data, are assembled in this paper. Emphasis is on understanding nuclear composition in the charge range 3 < Z < 83. Details of the application of "matrix methods" above a few hundred MeV per nucleon, a new treatment of electron capture decay, and a new table of cosmic-ray-stable isotopes are presented. Computation of nuclear fragmentation cross sections, stopping power, and electron stripping and attachment are briefly

Subject headings: atomic processes — cosmic rays: abundances — cosmic rays: general — particle acceleration

1. INTRODUCTION

Propagation of cosmic rays in the Galaxy has for many years been the subject of much attention (Ginzburg and Syapius 1964; Fitchel and Reames 1968; Glocekler and oksipii 1969; Shapiro and Silberherg 1970). Details of cosmic-In these models cosmic rays diffuse through the interstellar medium (ISM) undergoing nuclear fragmentation and decay and suffering energy loss in atomic collisions. Details of the scattering process, including possible acceleration mechanisms, are ignored. Certain characteristics of cosmic-ray composition, such as the anomalously high abundances of Li. Be, and Bi (Z=3-5) relative to solar system abundances, are well understood within diffusion models. On the other hand, much at the sources, the mean diffusion time, and energy losses in ray motion within the Galaxy, and certainly sources and acceleration mechanisms, are not well known. However, much information about cosmic-ray history, including composition about the elemental and isotopic composition of cosmic rays can be understood in terms of intragalactic diffusion models. the heliosphere, is revealed by observed abundances

and nuclear data required to perform these computations is presented. We emphasize the study of the nuclei Li through Bi (Z = 3-8), although much of what is presented applies to other nuclei. We restrict ourselves in this paper to propagation In this paper a discussion of certain propagation techniques equations of the form:

$$\frac{\partial J_i(E,x)}{\partial x} = -\frac{J_i}{\Lambda_i(E)} + \sum_k \frac{J_k}{\Lambda_{ik}(E)} + \frac{\partial}{\partial E} \left[w_i(E) J_i \right], \tag{1}$$

where Λ_s is the mean free path for losses of species i due to nuclear fragmentation and radioactive decay, Λ_{ik} is the mean free path for gains of species i from species k_s and w_s is the

1000

(positive) ionization loss rate. Within this model diffusion effects are represented by a path length distribution. P(x, E). Conditions under which such a simplification is possible are

At medium and high energies this cosmic-ray propagation equation may be simplified to a set of coupled linear equations in one variable of the form: discussed by Lezniak (1979).

$$\frac{dJ_i}{dx} = \sum_i M_{i,J_i}.$$
 (2)

Energy appears in this equation only parametrically, not as an independent variable.

an entire galactic propagation may be reduced to one, or at most a few, computational steps. Stepping through small path lengths can often be avoided in compositional studies by using these methods.

In § II we discuss solutions to equation (1) and the matrix treating propagation and, particularly, path length distribu-tions. Further, they may be extended to treat accurately ionization loss and solar modulation at energies above a lew Techniques for solving equation (2) are discussed in § II and are generally termed "matrix methods." The matrix methods provide a powerful and conceptually simple means for bundred MeV per nucleon (henceforth, MeV N-1). In effect,

ionization loss, electron attachment and stripping, and solar modulation. In Appendix A a new list of 433 isotopic species which are nearly stable in cosmic-ray propagation is premethods with emphasis on general features of the propagation problem, including path length distributions and error analynuclear and atomic data are required to carry out actual computations. Later sections treat the physical effects which change the relative elemental and isotopic abundances of sis. While these methods provide a structure for propagation cosmic rays. These include nuclear fragmentation and decay

The five quantities appearing in equation (1) are the follow-

Vol. 56

- 1) The particle fluxes, J;

computing electron stripping and attachment cross sections. A correction term for heavy nuclei, rist included in The need for a complete discussion of cosmic-ray propaga-

previous cosmic ray treatments, is presented here

- 3) The path length, x;
- 4) The modification matrix, M,;

reactions (including charge exchange) proceed to a lower species index. Some nuclear decays, specifically positron and electron capture decay, violate this ordering; hence, if it units, and these units are preserved in propagation because equation (1) is linear. The species index, it, labels all nuclear of ascending mass, and within that descending charge, computations are considerably simplified because all fragmentation species in the calculation. If the species are arranged in order compositional changes reduce the species index. A list of the 433 cosmic-ray nuclides from Li through Bi and associated nuclear The stopping power, w.
 The particle fluxes, J., may be expressed in any convenient generalis not possible to order cosmic-ray nuclides such that all data is presented in Appendix A. 1 Compositional data of unprecedented accuracy and de-tail are now being reported. Elemental abundances of all counter ray species with Z \le 30, and even charge elements to Z = 82, have been measured by satellite-borne instruments with excellent charge resolution (Engelmann et al. 1981; Binns et al. 1981; Young et al. 1981; Garcia-Munoz, Simpson, and Wefel 1981). Correct propagation models applying all known physical effects are necessary to determine the implications of et al. 1981. Fowler et al. 1981. Binns et al. 1982) Isotopic abundances have now been reported for all elements through Ni (Webber 1981; Wiedenbeck and Greiner 1981; Mewaldt tion data has grown over the last few years for several reasons.

units, the energy of products of fragmentation collisions is approximately the target energy ("straight-ahead" approxima-The energy, E, is measured in units of MeV N 1 In these given at E MeV are equal to the cross sections of the same nuclei on a proton target at E/m_p MeV N⁻¹ ($m_p = 1.007276$ Cross sections of protons on target nuclei which are (non

problems are known, great uncertainty remains in the partial cross sections. The semempined formulation of Silberberg and Tsao (1973a. b) has errors of up to 50% for heavy elements. The need for more theoretical and experimental

work in this area is critical. Because the cross section errors also propagate in propagation studies, techniques for monitor-

While many of the physical data needed in propagation

these measurements

The path length, in units of g cm⁻², is a measure of the total amount of matter passed through in the ISM. Although H av. He are by far the major components of the ISM, all species are included in the definition:

3. United in exactions used different data in their propaga-yen is tudies. For example, total inclassic cross sections for hucker on hydrogen are known with a mean error of 5% at 100 BeV. P. (Letaw. Subberber, and Taso 1983a). At high Merges, where the cross sections are energy independent mean errors are - 1%. However, empirical fits used by differ-

3 Different researchers use different data in their propaga

ing them should continue to be investigated

ent groups vary by as much as 10%. Quantitative evidence of errors resulting from varying data among researchers has been prevented by Freier (1981) Such discrepancies can be avoided Finally, the importance of many factors in propagation calculations cannot be overstated. Effects such as ionization loss, electron capture decay modes, energy-dependent cross

by careful attention to the data and standardized data bases.

velocity, and t is universal time. The path length is the mass of a one square centimeter column of ISM with height equal to the distance traveled by the cosmic ray in t seconds. It should be noted that this interpretation applies only in homogeneous media and that the path length is weakly energy dependent. In terms of the number density of H: where ρ is the mean density of the ISM, v is the cosmic-ray

$$x = (n_H/N_A) \text{ or } \sum b_i A_i. \tag{4}$$

rays than for lighter muchdes. Their influence in the analysis of recent ultraheavy data therefore bears investigation (Letaw, Silberberg, and Tsao 1984)

Equation (1) is the fundamental equation for propagation of high energy ions in matter in the "straight-ahead" ap-proximation. In this approximation collisions which change The energy less mechanisms are lumped into the stopping

II PROPAGATION METHODS

the particle species do not change their energy or direction. power, $w_i(E)$, and are treated as continuous processes which cause no change in particle direction. This equation provides

sections, and solar modulation can cause significant compositional changes. These effects are greater for ultraheavy cosmic where N_A is Avogadro's number and b_i is the abundance of atoms of species i in the ISM relative to H. Using Cameron's (1982) local galactic abundances for the ISM composition, the sum is 1.30. The presence of helium substantially changes the path length definition and is not entirely cancelled by corresponding changes in the modification matrix.

The modification matrix, M_{ij} contains the cosmic ray/15M interaction terms. The most important of these interactions, and, hence, provide information on cosmic-ray propagation; some such elements are Li, Be, B, F, $17 \le Z \le 19$, $21 \le Z \le 25$, and many elements with Z > 40. In addition, many elements Among the cosmic-ray nuclei heavier than helium, most have derived from products of nuclear spallation reactions from the viewpoint of composition, is nuclear fragmentation. suffered nuclear spallation reactions since their acceleration. Many of the elements observed in cosmic rays are overwhelm-

heavy nucles with the light components of the ISM at high energies very closely conserve the velocity and direction of the projectile fragments (Westfall et al. 1978, Greiner et al. 1975).

an excellent model of beavy nuclei propagating in the ISM when combined with a path length distribution. Collisions of

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HEAVY COSMIC-RAY NUCLEI

edge of cross sections and propagation conditions; some such elements are N, Na, Al, and Ca and Co. Nuclear decay, have large secondary contributions, and the determination of ionization loss, and electron stripping and attachment also contribute to compositional changes. The detailed nature of the residual source component requires highly precise knowl-

the medification matrix is discussed in later sections.

The stopping power, w, in units of (MeV N - 1)/(g cm - 2) is discussed in § IV. Energy loss due to atomic collisions in the interstellar medium is represented by this term. Energy loss and gain mechanisms due to interactions with ambient electro-magnetic fields and shocks are not contained in the stopping

An exact, iterative solution to equation (1) is

$$J_i(E_j, x_j) = \Pi(x_j) \frac{w_j(E_j)}{w_j(E_j)} J_j(E_j, x_j = 0) + \Pi(x_j)$$

$$\times \int_0^{t_i} \Pi^{-1}(x) \frac{w_i(E)}{w_i(E_i)} \sum_{A>t_i} \Lambda_{i,i}^{-1}(E) J_i(E,x) dx,$$

where energy and path length are related uniquely by

$$x = \int_{E}^{E_{c}} \frac{dE'}{w_{j}(E')}.$$

Ş

$$\Pi(x) = \exp\left[-\int_0^x \Lambda_i^{-1}(E') dx'\right]$$

The fluxes of all progenitors of a species must be known to this condition is that the modification matrix must be upper triangular. When this is not possible, as is generally the case, determine its flux in this solution. An equivalent statement of equation (5) may be applied repeatedly to the entire set of

when the transformation equations are of the form of equation (2). We discuss reduction to this form in § 1V. The matrix methods were introduced by Davis (1960) and shown by Cossits and Wilson (1973) to be a natural way in which to treat exponential path length distribution. The solution to equation (2) is nuclides to yield an approximate, rapidly converging solution. Matrix methods are applicable to cosmic-ray propagation

$$J_i(x) = \sum_{i} [\exp Mx]_{i,J_i}(0).$$
 (6)

sion. This solution gives the change in a flux of particles upon passage through x g cm $^{-2}$ of ISM. It is generally termed the "slab" model. This model and a measurement (O'Dell, Shapiro, approximate amount of matter traversed by cosmic rays (Badhwar, Daniel, and Vijayalakhmi 1962).

Early compositional studies (Cowsik et al. 1967; Shapiro and Silberberg 1970) showed that, in fact, all cosmic rays do The main'x exponential is defined by its power series expanand Stiller 1962) of the L/M ratio were sufficient to give the

to the model of propagation by diffusion through the galaxy. Propagation by diffusion is conveniently described using a path length distribution, P(x), normalized so that not pass through the same amount of matter. This conforms

$$\int_{x}^{\infty} P(x) dx = 1. \tag{7}$$

With such a path length distribution, the solution to the propagation problem is

$$J_i = \int_{-\infty}^{\infty} dx P(x) [\exp Mx]_{i,J_i}(0)$$
. (8)

If $P(x) = \delta(x - \lambda)$, this is the slab model. If however, we use an exponential path length distribution with mean path length, λ ,

$$P(x) = \frac{1}{\lambda}e^{-x/\lambda},$$
 (9)

the integral in equation (8) can be evaluated analytically yielding

3

$$J_{i} = [1 - M\lambda]_{i}^{-1} J_{j}(0). \tag{10}$$

The propagation is accomplished simply by solving a set of coupled linear equations. The mean path length, like M, can be species and energy dependent

Protheroe, Ormes, and Comstock 1981) Composition of path lengths is discussed by Simon (1977). Some of the distribu-Other path length distributions may be useful in accounting for various elemental ratios (Shapiro and Silberberg 1970; tions are summarized in Table 1. The integral in equation (8) can often be simplified by diagonalizing the modification matrix (Margolis 1983).

ification matrix is structured so that interactions which change the species involve off-diagonal elements. While the total It is often of interest to separate the portions of the cos-mic-ray flux which have not undergone interactions—the primaries—from those that have—the secondaries. The mod-9 diagonal element, the partial cross sections contribute positive, species-changing amounts off the diagonal. The primaries are therefore found using exclusively diagonal elements of the inelastic cross sections contribute a negative amount modification matrix.

this case hypotheses concerning the source abundances can be examined for their consequences. While such an approach is desirable from the standpoint of theory, it is often useful in data analysis to proceed in the reverse direction. In this way the source composition suggested by experimental data is proach. The source composition implied by flux data which has passed through an x g cm⁻² slab of ISM (the inverse of eq. (6)) is In general, cosmic-ray propagation calculations are per-The matrix formulation is easily adapted to this apformed forward in time from sources to the heliosphere.

$$J_i(0) = \sum [\exp(-Mx)]_{i,j}J_i(x).$$
 (11)

NICLIDIS UNSTABL TO ELECTRON CAPILIRE AND TO ANOTHER
DELAY MORE WITH HALL-LIFE > 1000 YEARS*

	NOVELECTRO	NOVELECTRON CAPTURE	ELECTRON	ELECTRON CAPTURE
lotope	Half-Life	Daughter	Half-Life	Daughter
1. JAI. 26	# 78E + 05	1234G 26	4 (NE + 06	12MG 26
201	3 OPE + 05	IRAR 16	1 SRE + 07	165 36
4	1 43E + 09	30CA 40	1 20E + 10	IXAR 40
\$ 17×	\$ 00E + 11	27CO 59	7 SOE + OA	27CO 59
UNB 65	\$ 33E + 10	40ZR 92	3 20E + 07	40ZR 92
17AG 105	1.26E - 04	46PD105	1 13E - 01	46PD105
N. 1 V 1.5	144E	\$8CE138	1 62E + 11	SeBAL 18
21 145		SUPRIAL	1 77E + 01	60ND145
	\$ 09E + 03	62SM145	2 SSE - 02	63ED149
	411E • 07	62SM147	3 29E - 01	63EU151
71 AT6	2.23E + 03	72HF177	6 46E - 03	72HF177
7RPT 1RR	9 31E + OF	76OS184	2 79E - 02	76OS188
R3B1 206	2.14E + 03	82PB206	1 71E - 02	R2PB206
C. INT	3.17E + 05	R2PR307	3 80E + 01	82PB207

*Half-lives in years.

TABLE

NUCLIDES UNSTABLE TO ELECTRON CAPTURE, WITH ALLOWED, BITT UNDRESERVED, ALTERNATE DECAY MODE!

Mail Life Daughter Longee Half Life Daughter Longee Half Life Daughter Longee Half Life Longee Half Life Longee Longe Longee Longe Longee Longe Longee Longe Longee Lo						
1, 1, 1, 1, 1, 1, 1, 1, 1, 1, 1, 1, 1,	Iwinpe	Half Life	Daughter	Isotope	Half-Life	Daughter
1,51E 01 2,67E 54	24'R 48	(22TT 48	66DY157	9 24E - 04	65T B157
167E - 02 26EE 54 70YB164 144E - 04 166E - 03 36EE 54 72HF170 181E - 02 177E - 01 37RB 85 72HF170 181E - 02 177E - 01 37RB 85 72HF170 181E - 02 187E - 03 37RB 86 72HF170 181E - 02 187E - 03 37RD 94 77LA178 274E - 04 187E - 03 37RD 94 77LA178 274E - 04 187E - 03 37RD 94 77LA178 772E - 04 187E - 03 37RD 94 77RB 82 772E - 05 187E - 03 37RD 94 77RB 82 772E - 05 187E - 04 37RD 94 77RB 82 772E - 05 187E - 04 37RD 94 77RB 82 77RE - 05 187E - 04 37RD 94 77RB 82 77RE - 05 187E - 04 37RD 94 77RB 82 77RE - 05 187E - 04 37RD 94 77RB 82 77RE - 05 187E - 04 37RD 72 77RB 94 77RB 94 187E - 05 37RD 72 77RB 94 77RB 94 187E - 05 37RD 72 77RB 94 77RB 94 187E - 04 37RD 72 77RB 94 187E - 05 37RD 72 77RB 94 187E - 05 37RD 72 77RB 94 187E - 05 37RD 73 37RD 94 187E - 05 37RD 73 187E - 05 187E - 05 187E - 05 37RD 73 187E - 05	3 777	8 S4E - 03	-	67HO159	6 27E - 05	66DY159
169E - 01 34SE 56 72HF170 181E - 02 17NE 61 17NE 81 71LU172 181E - 02 17NE 61 17NE 61 17NE 62 17NE 62 17NE 62 17NE 63 17NE 63 17NE 63 17NE 64 17NE 64 17NE 65 17NE 64 17NE 65	28.71.56	1 67E - 02		70YB164	. 144E-04	68E R164
176 01 178 81 171 171 181 02 171 181 02 171 181 02 171 181 02 171 181 02 171 181 02 171 181 02 171 171 181 02 171 171 171 02 02 02 03 03 03 03 03	36KR 76	1 69E - 03				
177E - 01 378B 85 77HLU77 181E - 02 181E - 02 181E - 03 181E - 0	378.83	2 34E 01		72HF170	1 R3E - 03	70Y B1 70
177E - 0	:			711.0172	1 83E 02	70Y B172
1 ME - 0		1 77E - 01	37RB 85	72HF173	2 74E - 03	211, 1113
100 E - 04 0.07 R 91 0.17 A17 R 2.74 E - 04 0.07 R 91		1 NAE - 03		74W 174	5 SIE - 05	72H F174
9 98 E - 03	2 8 X 14	1 00E • 04		73TA178	2.74E - 04	72H F1 78
118E - 07 42MO 95 14W 179 172E - 05 16OS180 18E - 07 17E - 07 18E 181 17E - 07	ARU R	9 89E - 05	42MO 94			
111E - 02	41IC 95	2.28E - 03		74W 179	7 22E - 05	
11E 07 QNO 96 78 EBB 23 EE 09 23 EE 09 23 EE 09 23 EE 10 23 E				76OS180	4 18E - 05	
198E - 03 11TC - 9 79RE182 790E - 03 200E - 04 44KU102 29RE194 104E - 01 200E - 03 200E - 04 44KU102 200E - 04 44KU102 200E - 04 44KU102 200E - 04 44KU102 200E - 04 200E -	41TC 96	1.18F - 02	42MO 98	75RE181	2 28E - 03	
2 90E + 00 2 90E + 00 2 100E - 01 3 90E - 04 3 90E - 04 3 90E - 04 3 90E - 01	44811 97	7 89E - 03	43TC 97	75RE182	7 30E - 03	
2.00E - 05 44CD103 76OS185 2.56E - 01 71R187 1.00E - 01 740E - 0	45RH102	2 90E + 00	44RU102	75RE184	104E-01	74W 184
59E - 04 44CD110 771R187 25E - 01 771R187 120E - 01 771R187 120E - 02 15E - 01 771R187 120E - 03 120E	MOINSON TO SOUTH	2 OOE : 05	48CD108			
115E - 01 491 N11 110E - 03 491 N12 491 N1	401N110	5 59E - 04	44CD110	76OS185	2 S6E - 01	75R E185
115E - 01 461 N1 11 11 11 11 11 11 11				77IR187	1 20E - 03	760 5187
151E 02 505N120 771R190 131E-02 131E-02 131E-02 131E-02 131E-02 131E-02 131E-02 131E-02 131E-03 131E-03 131E-03 131E-03 131E-03 131E-03 131E-03 131E-04 131E-04 131E-04 131E-04 131E-04 131E-04 131E-05 13	111.1307	1156 . 01	1117 JOY	80HG190	3 BOE - 05	78P T190
100 100	Mariti		00.11303	77IR190	3 23E - 02	760 SI 90
2.9E - 03 577E1.23	0.18610		10 P. 12	79AU191	3 65E - 04	18P T191
146 - 0 5716.23 78A U193 458 - 504 78A U193 2 006 - 0 158 - 0 168 - 0	321E121		21112			
190E 02 190E 03 190E 04 190E 05 190E	MAE: 22			80HC:193	4 S6E - 04	79AU193
379E 07 555 S131 60HG(185 114E 03 399E 04 586 A132 62PB196 701E 03 312E 04 58C E138 62PB196 774E 04 736E 01 60ND144 61B1199 513E 05 956E 01 65ND144 61B1190 513E 05 136E 01 65ND144 61B1130 134E 05 136E 01 63SM150 63B1234 138E 01 136E 02 64B1234 138E 01 136E 03 64B1234	671 166		7712176	19AU193	2 00E - 03	78P T193
39E 02 35C 53J1 ggpB196 700E 05 68 62 62 62 62 62 62 62 62 62 62 62 62 62				80HG195	1 14E - 03	79AU195
300	S6BA131	3 29E 02	55C SI 31	82PB196	7 03E - 05	80HC1%
5.12E - 06 58C E1 18	SECELVE	399E - 04	56B A I 32	67DR198	2.74F - 04	80HC:198
7.26E - 01 60ND144 F181199 513E - 05 9.56E - 01 60ND144 F171102 544E - 04 8117.02 546E - 02 8117.02 546E - 03 8117.03 546E - 03 81	60ND138	5 A 2 E - O4	58CE138			
9.9E-01 60ND144 81T1199 844E-04 81T1.202 346E-02 346E-02 346E-02 346E-02 44E-04 81SISOA 128E-03 44E-04 44E-04 81SISOA 128E-04 81SISOA 128E-0	61PM143	7 26E - 01	60ND143	6181100	\$ 1 1F - 05	81 T L 199
1 00E 01 625 M130 8117.202 3 34E - 02 8117.202 3 34E - 02 825 M130	61PM144		\$0ND14E	80 113	# 44E - 04	80HC199
3 60E + 01 625 M150 8381204 128E - 03				81 TJ 202	3 34E - 02	80HG 202
1 ASE OF ACCIDIAN PROPERTY OF THE POST OF	61611150	3.60E + 01	62S M150	8381204	1 28E - 03	82P B204
20 - 30 - 30 - 30 - 30 - 30 - 30 - 30 -	6518156	1 45E - 02	64GD156	83B1208	3.68E+05	82P B208

*Half-lives in years

Decay of cosmic rays satisfies

$$\left(\frac{dJ_i}{dt}\right)_{decay} = -\frac{J_i}{\gamma \tau_i} + \sum_j \frac{\theta_{i,j} J_j}{\gamma \tau_j}, \tag{25}$$

where τ is the mean lifetime and γ is the time dilation factor. At high energies the lifetime is considerably increased by the γ actor. The branching ratio ρ_{γ_i} is the fraction of decays of species j, which ultimately yield species i. In terms of path length this equation is

$$\left(\frac{dJ_{1}}{dx}\right)_{decay} = \frac{N_{A} \ln 2}{n_{H} \nu \gamma \left(\sum b_{1} A_{1}\right)} \left[-\frac{J_{1}}{(\tau_{1})_{1/2}} + \frac{D_{0} J_{1}}{J_{1/2}} \right].$$

(56)

where $(\tau_i)_{i,2}$ is the half-life of species t. For many isotopes, a much suppressed positron (or electron) decay competes with the electron capture decay mode (see Table 4). Such isotopes, for example. "Mn (Cases 1973), are possible cosmic-ray clocks. Those isotopes for which positron decay is possible $(Q \ge 1.022 \text{ MeV})$ are indicated in Table 5.

Unstable cosmic rays yield information about their origin and propagation which is not available from stable isotopes. The amount of ¹⁰Be is strongly dependent on the relation between the material traversed and the time taken to do so; thus, it is a measure of the density. Long-lived primaries, such as U and Th, indicate the age of matter at the sources. Electron capture nucleic carry information about cosmic rays before acceleration and in dense regions, and on adiabatic deceleration in the solar system.

VI. ELECTRON CAPTURE DECAY

Nuclides which decay by capturing a K-shell electron are more stable in cosmic rays than in the laboratory. In addition the nuclear processes which affect composition, electron stripping and attachment rates are critical in determining the evolution of these nuclides. At low energies, where the attachment rate is comparable to the stripping rate, most nucle have attached electrons, and electron capture decays are not inhibited. At high energies, at least for lower charge nuclei, stripping occurs much faster than attachment, preventing electron capture decay.

The abundances of primary cosmic rays which decay by electron capture can be used to estimate the time between synthesis and acceleration of cosmic rays. The relative but dances of Fe, Co, and Nii as affected by electron capture nuclides 7Co, *Ni; and *Ni (Soutoul, Casse, and Juliuson 1978) and the abundance of *Ti (Shapiro and Silberberg, 1973) are determined by the time spent at low energies where electron attachment is common.

Secondary nuclides such as 'Be, 'JAr, "ICa, "V, 'ICr, 'JMn, and 'J'Fe behave at certain energies as other cosmic-ray clocks (e.g., 'Be). At intermediate energies, where attachment is rare but non negligible, these nuclides can have lifetimes comparable to the cosmic-ray age (~10' yr). Since the attachment

rates are strongly dependent on energy, these nuclides reveal additional information on cosmic-ray deceleration (Raisbeck et al. 1973) and acceleration (Siberberg 1983). The possibility of utilizing electron capture nuclides to measure density variations has been explored by Raisbeck et al. (1975).

The electron capture nuclides can be incorporated into the cosmic-tay propagalion equations in a straighton-and way by treating all charge states separately and following the transitions from one state to another with stripping and attachment cross sections. It is not necessary to follow all charge states, though, because the majority of cosmic rass are fully ionized or have one electron attached. The exceptions to this rule are activities at low energies. We now show that with this provision, coamic rays reach their equilibrium charge state in a path length much shorter than the frogmentation mean free path and length much shorter than the frogmentation mean free path and electron capture nuclides may be treated as single isotopes with two decay modes in cosmic-ray propagations.

If N is the number of fully ionized nuclei and N^* is the number of nuclei with one attached electron, the rate equations for transitions are

$$\frac{dN}{dt} = -aN + sN^{\bullet} - dN, \qquad (27)$$

$$\frac{dN^{\bullet}}{dt} = aN - sN^{\bullet} - d^{\bullet}N^{\bullet}, \qquad (28)$$

where a and s are the attachment and stripping rates, respectively, and d and d's are the decay rates for N and N's respectively. These rates are inversely proportional to mean free paths defined in Appendix B. The rate of electron capture is less than one-half the laboratory rate because only a single K-shell electron is available (Wilson 1978). Note that d'>d because all decay modes allowed for N are allowed for N's Creation and destruction by fragmentation are small and ignored here as justified by the consistency of the results

An exact solution to the coupled equations can be obtained. Solving only for the ratio N*/N we find that it approaches the equilibrium value:

$$(N^{\bullet}/N)_{eq} = (2s)^{-1} \left\{ \left[(s-o+\Delta)^2 + 4\alpha t \right]^{1/2} - (s-a+\Delta) \right\}$$

8

at the rate:

$$R^{\bullet} = \left[(s - a + \Delta)^2 + 4as \right]^{1/2} \ge s. \tag{30}$$

where $\Delta = d^* - d^* =$ electron capture rate $\frac{1}{2}$, Equation (30) shows that the approach to equilibrium charge state is always faster than the stripping rate in a two-state

State is always faster than the stripping rate in a two-state system. The stripping mean free path in pure hydrogen, A, is shown in Figure 3. (Formulas for computing stripping and attachment cross sections are discussed in Appendix B).

From Figure 3, $\lambda_i \le 0.2$ g cm⁻² for all charges and energies, whereas even the highest charged cosmic rays have a fragmentation mean free path $\lambda_i \ge 0.75$ g cm⁻². Thus, during propagation cosmic rays may be assumed to exist in their

Fig. 3. Simping mean free path in H as a function of charge and energy. The stripping mean free path is roughly independent of energy above 1 (ieV. N.)

equilibrium charge state Equations (27) and (28) may be replayed by

$$(N+N)\left\{\frac{\left[n(N/N)+1\right]}{n(N/N)}\left\{\frac{n}{n}(N+N)\right\} - \left(N+N\right)^{\frac{1}{p}}$$

Give and Raisbock (1970) arrived at two limiting cases of equation (31) through incorrect arguments. If $\Delta \gg s.a.$ that is, if the electron capture decay is limited by the attachment rate, then equation (31) becomes

$$\frac{d}{dt}(N+N^*) = (d+a)(N+N^*). \tag{32}$$

the attachment rate, a, is shown in Figure 4 as a function of charge and energy. A pure hydrogen medium of density $n_{11} = 0.3$ atoms cm., was assumed. This effective half-life is inversely proportional to $n_{\rm H}$. effective electron capture half-life, 7, corresponding to

$$\tau_{\nu}(My) = \frac{732.65}{r_{H}\sigma_{\nu}(mb)}\hat{\beta}$$
 (33)

by the K-capture rate, then equation (31) becomes

$$\frac{d}{dt}(N+N^*) = -\left[d + \left(\frac{a}{s+a}\right)\Delta\right](N+N^*)$$
 (34)

electron capture decay is reduced by a multiplicative factor a. (s + a). This factor is shown in Figure 5

Although all the conclusions derived from equation (31) are not necessarily valid for actinides, the conclusion that the equilibrium charge state is approached at the stripping rate is supported by experiment (Fowler 1983). Reduction of the rate

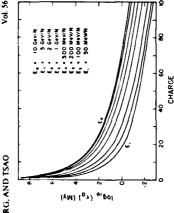


Fig. 4. The effective electron capture half life in H as a function of charge and energy. These curves show the rate of decay of nuclides shose electron capture lifetime is short relative to the attachment lifetime.

equations to the form of equation (31) is therefore possible, but is dependent on knowledge of several stripping and attachment mean free paths. With two K-shell electrons the electron capture rate is roughly doubled; therefore, the multi-plicative factor of equation (34) would be increased.

The effect of solar wind on the relative abundances of the isotopes is modeled by an effective potential difference, $\Phi(MT)$, within the heliosphere (Gleeson and Axford 1968) According to the model, the fluxes before and after propaga VII SOLAR MODULATION tion through the heliosphere are related by

$$J_{alter}(\epsilon) = \frac{\epsilon^2 - M^2}{\left(\epsilon + Z\epsilon\Phi\right)^2 - M^2} J_{belone}(\epsilon + Z\epsilon\Phi), \quad (35)$$

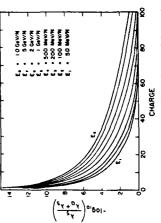


Fig. 5.—Lifetime dilation factor in H as a function of charge and energy. These curves show the increased lifetime of long-lived electron capture nuclei in galactic propagation.

HEAVY COSMIC-RAY NUCLEI

No. 3, 1984

379

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where e is the total energy, and M is the mass and Z is the charge of the propagating nucleus. In terms of the initial kinetic energy per nucleon, this is

inetic energy per nucleon, this is
$$J_{\text{ster}}(E - E_0) = \frac{(E - E_0)^2 + 2m_{\pi}(E - E_0)}{J_{\text{selece}}(E)}.$$

where

An expansion around the energy, $E' = E - \epsilon \Phi/2$ yields the flux at a rigidity independent energy:

$$J_{\text{after}}(E') = \left[1 - \frac{a(E - E_0 - E')}{E' + T}\right]^{-1}$$

sinhe initial
$$\times \frac{(E-E_0)^2 + 2m_u(E-E_0)}{E^2 + 2m_vE} J_{avine}(E). \quad (37)$$
 For example, we calculate the effect of solar modulation of 400 MF on charged particles with energy of 1 GeV N⁻¹. If the spectral index is 27, the flux of charged particles with $Z/4 = 0.5$, such as C. N, and O $(Z=6.8)$, is reduced by a factor of 0.5 such as C. N, and O $(Z=6.8)$, is reduced by a factor of 0.744 Fourthous, with $Z/4 = 0.387$, it is reduced by a factor of 0.755 in relative abundances are caused by solar modulation.

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APPENDIX A

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LIST OF COSMIC-RAY ISOTOPES

propagation. The data are extracted from Table of Isotopes (Lederer and Shirley 1978). The 413 cosmic-ray stable muchdes between Li and Bi are listed in the first column of the table. The nuclides are either (i) absolutely stable, (ii) decay by modes other than electron capture with half-life greater than 1000 yr; or (iii) decay primarily by electron capture with no other known decay In this appendix we present a list (Table 6) of "cosmic-ray- stable" nuclides and associated nuclear data relevant to cosmicmode having a half-life less than 1000 yr.

The isotopes of H and He, and the actinides, are omitted from this list because the study of their abundances demands

substantially different treatment from that presented in this paper. To a good approximation, the abundances of the nuclides Lithrough Bi in the Galaxy neither affect not are affected by propagation of the omitted nuclides. Along with each cosmic-rap- stable nuclide are up to six nuclides which decay rapidly (< 1000 yr by modes other than electron capture) into it and the associated branching ratio. These, "parents," when produced in fragmentation of a heavier nuclide; in effect, immediately increase the abundance of the stable nuclide. The parents consist of essentially all isotopes known well enough compute the branching ratios. Unknown isotopes were included when fragmentation cross sections indicated their importance. In the occasional case where there are more than six parents, the remainder have been omitted with a resulting error of less than 1% in GeV N 1 is 31 mb Most of this production comes from immediate decays of "Br and "Kr, about two mass units to the neutron-poor side of the mass stability point. We eliminate "Ga from the list in favor of the less stable "Sr because the cross section for production of "Ga is more than three orders of magnitude less than that of "Sr. In this typical case the overall error in the production rate of the stable nuclide. For example, the total production cross section for 3Se from "Zr in pure hydrogen at 1 to predict decay-branching ratios. Where necessary, all particle decay chains (including internal transitions) were followed total production of 77Se due to omission of parents is ~ 0.001%

modes. These must be distinguished because of the problems of electron stripping and attachment discussed in the main body of this paper. The half-lives are in years (365°25) and are based on the recommended value in the Table of Isotopes. We assume each cosmic-ray-stable nuclide has at most one ultimate daughter of non-electron-capture decays. This is true if branching ratios less than 1% are ignored. The electron capture half-life of 9/Nb was not reported; thus, we adopt 10⁴ yr as recommended in Muller The final columns contain the half-lives and ultimate "daughters" for the non-electron-capture and electron-capture

generally decays by electron capture, and no positron decay has been observed to the 28 level. Positron decay is allowed with Q = 0.63 MeV. Since the electron capture half-life is 2.46×10^{-3} yr, even a positron decay branch of 10^{-3} would convert "Cr from a cosmic-ray-stable isotope to a parent of "T. In this case, the possitivity of "Cr arriving in cosmic rays depends critically on the minute positron decay branch. There are 25 cosmic-ray-stable isotopes for which allowed beta-decay modes have not been observed. (These isotopes are indicated by a "?" in the non-electron-decay mode lifetime). Of these, "Ann and "Rh and "Rh would be The primary deficiency in nuclear data as it applies to the understanding of cosmic-ray nuclei is the lack of branching ratios between electron capture and positron decay modes. The most important effect of this is that an electroh capture isotope, considered stable in our list, might have a rare positron decay mode which effectively makes it unstable. For example, "Cr electron, rather than positron, emission.

further effect of the unknown positron branching ratios is in computing the branching ratios of parents. When positron decay electron capture compete with electron decay or an internal transition, and the overall lifetime is very short, the electron

Vol. 56

	PATH LENGTH DISTURETIONS		
Distribution	Normalured Form	Mean Path Length	Model
Delta function	8(1-3)	V	qels
Euponential		~	kaky box
Fuelk coponental	$\frac{1}{\lambda_1 - \lambda_2} \{e^{-t/\lambda_1} - e^{-t/\lambda_2}\}$	γ' + γ'	nested leaky box
Fully truncated exponential	$0 \\ \frac{1}{\lambda}e^{-(x+-\delta)/\lambda} \\ + \frac{1}{\lambda}e^{-(x+-\delta)/\lambda}$	9 + <i>K</i>	(none)
Linearly inuncated exponential	$\frac{x/\delta}{(\lambda + \delta/2)} \qquad x < \delta$ $\frac{(\lambda + \delta/2)}{(\lambda + \delta/2)} e^{-(1-\delta)/\lambda} x \ge \delta$	$\frac{\lambda^1 + \lambda \beta + \beta^2/3}{(\lambda + \beta/2)}$	(none)

The inverses using other path length distributions are found in

Negative source abundances are often implied by the inverse propagation. These serve to emphasize the importance of error analysis. Such analysis shows, for example, that there is a 50% error in estimating the source abundance of N, pritopic uncertainties are even greater. Error analysis in the figurest formulation is straightforward. If the errors are small a 50% error in estimating the source abundance of N_s primarily due to cross section uncertainties (Guzik 1981). Iso-

and random, one can use small error analysis

The mean quare flux error in the exponential path length
Of Inbution calculation (eq. (10)) due to uncertainty in the
modification matrix is therefore

$$8J_{i}^{2} = \lambda^{2} \sum_{i} \left[(1 - M\lambda)_{i,i}^{-1} \right]^{2} 8M_{j,k}^{2} J_{k}^{2}; \tag{12}$$

 $\delta M_{\rm c}$ is the matrix of root mean square errors in the elements of $M_{\rm c}$. Errors in the inverse calculation are dependent on uncertainties in the modification matrix and the arriving fluxes:

$$\delta J(0)^2 - \sum [(1 - M\lambda)_{i,j}]^2 \delta J_j^2 + \lambda^2 \sum \delta M_{i,j}^2 J_j^2$$
 (13)

The assumption of random errors in the modification matrix is not always justified Especially when using semiempineal formulae, one must suspect systematic errors which lead to correlations in the elements of 8M_s. Himshaw and Wieden-beck 1983. These may be estimated by more conservative treatment of the errors; for example, if the errors are totally correlated, equation (13) becomes

$$\delta J_{i} = \lambda \sum_{i} [1 - M \lambda]_{i}^{-1} \delta M_{j,k} J_{k}.$$
 (14)

The versatility and elegance of mains methods in cosmic-ray propagation are eviden Details of the propagation on a small scale main independently of large-scale consider about The method offers a clear treatment of different path

and errors. Numerical work requires only matrix routines and can usually be done in closed form. In the remaining sections, small-scale physics of propagation and reduction of the propa-gation equations to the required form is discussed. length distributions, primary and secondary contributions,

III. NUCLEAR FRAGMENTATION

tion. These transformations involve two sets of physical quantities, the total inelastic cross sections o, and the partial cross sections a,. For an ISM of pure H, the fragmentation equation is From the viewpoint of composition, nuclear fragmentation of cosmic rays in collision with atoms of the interstellar medium is the most important physical process in propaga-

$$\left(\frac{dJ_i}{dt}\right)_{\text{fragmentation}} = -n_{\text{H}} v \sigma_i J_i + n_{\text{H}} v \sum_{j} \sigma_{i,j} J_j. \tag{1.}$$

The total inelastic cross sections include, in principle, all interactions in which the incoming and outgoing particles differ. In practice, only mass and charge changing reactions are measured and used. An empirical formula for Li and heavier nuclei at energic greater than 10 MeV N⁻¹ is given by Letaw, Silberberg, and Tsao (1983a):

$$\mathbf{e}_{i} = 45A_{i}^{0.7}[1 + 0.016 \sin{(5.3 - 2.63 \ln{A_{i}})}]$$

 $\times [1 - 0.62e^{-E/300}\sin{(10.9 E^{-0.23})}] \text{ mb.} (16)$

where E is the energy in MeV N ¹ and A, is the mass of species 1. For He an overall multiplicative correction of 0.8 is required. For Be, an energy-dependent multiplicative factor is required at low energies:

The general nature of the energy dependence in this expres-sion is shown in Figure 1. At low energies, a universal fit is

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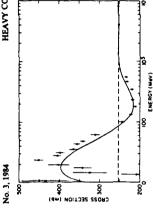


Fig. 1 — Total inclusive cross section of protons on carbon as a function of energy. Experimental data are compared with the empirical formula (eq. [16]).

extremely difficult because of resonance effects. Above 100 MeV N⁻¹ the mean error is less than 5%. The most complete source of partial cross sections is the semiempirical formulae (Silberberg and Tsao 1973a, b. 1977a, b. Tsao and Silberberg and Tsao, Silberberg, and Letaw 1983) which fill in the numerous gaps in experimental data. The basic equation for calculating the partial cross sections is

$$o_{i,j} = o_0 f(A_i) f(E) e^{-P dA} \exp(-R |Z - SA_i + TA_i^2|^2) \Omega \eta \xi.$$

It is applicable for calculating cross sections (in units of millibarray) of targets having mass numbers in the range $9 \le A_i < 200$, and products with $6 < A_i < 200$, except for peripheral interactions with small values of $\Delta A = A_i - A_j$. For the latter reactions, a different equation was constructed. (A different equation was devised also for target elements as heavy as Th In equation (18), a_0 is a normalization factor. The factors f(A) and f(E) apply only to products from heavy targets (with atomic number Z > 30), when ΔA is large, as in the case of fission, fragmentation, and evaporation of light product nuclei. The parameter Ω is related to the nuclear structure and number of particle-stable levels of a product nuclide. The factor n depends on the pairing of protons and neutrons in the product nucleus; it is larger for even-even nuclei. The parameter ξ is introduced to represent the enhancement of light evaporation products. The factor $\exp{(-P\Delta A)}$ describes the diminution of cross sections as the difference of target and product mass, A.4, increases. It is closely related to the distribution of excitation energies discussed by Metropolis et al. (1958a, b) in their Monte Carlo study of nuclear spalla-tion reactions. A large excitation energy results in evaporation excitation energies peaks at small values; correspondingly, the partial cross sections are larger for small values of ΔA . The partial cross sections are larger for small values of ΔA . The remaining exponential factor (with r = 1.5) describes the distribution of cross sections for the production of various isovopes of an element of atomic number Z. This Gaussian-like topes of an element of atomic number Z. of many nucleons, i.e., in a large AA. The distribution

distribution is related to the statistical nature of the nuclear evaporation process (Dostrovsky, Rabinowitz, and Bivins 1958). The width of the distribution of cross sections is represented by the parameter R. The parameter S describes the location of the peaks of these distribution curves for small values of the product mass number A. The parameter TEquation (18) and its parameters are closely related to nuclear systematics of the prompt intranuclear cascade and nuclear evaporation processes. For this reason these relations provide describes the shift of the distribution curves toward greater neutron excess as the atomic number of the product increases. a surprisingly good fit to the experimental partial cross sec-

Li through U fragmenting into nuclei within the same mass range. (A recent extension based on baryon conservation [Letaw 1931] predicts cross sections for light fragment production.) They are applicable at energies above 100 MeV N - For the lighter elements $(Z \le 28)$ at energies above 2.3 GeV do not become energy independent until \sim 6 GeV N 4 , the errors are - 50%. At low energies all errors are larger. Errors in the partial cross sections are perhaps the major obstacle These formulae provide cross sections for all isotopes from N 1 where the cross sections become energy independent, errors are - 35%. For heavier elements, whose cross sections to detailed compositional analysis of cosmic rays. Further experimental studies of the fragmentation of abundant and Brautigam (1982). Additional work in semiempirical fits is cosmic-ray primaries are needed similar to those of Webber also required to fill in inevitable gaps in experimental data and to reduce fitting errors.

As a function of path length, equation (15) becon

$$\left(\frac{dJ_i}{dx}\right)_{\text{fragmentation}} = -\frac{J_i}{\lambda_i} + \sum_j \frac{J_j}{\lambda_{ij}}, \quad (19)$$

where collisions with other elements in the ISM are incorporated into the mean free paths as follows:

$$\lambda = \frac{10^{27}}{N_A} \left(\sum_{j} b_j A_j \right) / \left(\sum_{j} b_j \sigma^{(1)} \right). \tag{20}$$

in this expression oth is the total or partial cross section in millibarns on a target of species i and b, is the number density of species i relative to H in the ISM. Some measurements of these nucleus-nucleus cross sections are available (Lindstrom et al. 1975; Olson et al. 1983); however, only preliminary modeling has been performed (Silberberg, Tsao,

The mean free path in equation (20) is practically dependent only on the He/H ratio in the ISM. If this ratio is taken to be 0.068 (Cameron 1982), the fragmentation mean free path is -14% greater than in a pure hydrogen medium. Including He in the path length computation (eq. [4]) increases the path length by - 27%. Thus, the inferred mean path length in the ISM is -11% greater if He is included. and Shapiro 1976; Silberberg and Tsao 1977c; Karol 1975).

Ionization loss, that is, energy loss in electronic interactions with atoms of the interstellar medium, is a rigidity and

								G-DRING-KY	TISOR	M17						
ISOTOPE			_			PARE (BRANCHIN		10)					· WON-E.C •MALFLIFE	. DECMY DAUGHTER	*ELECTRON *HALFLIFE	CAPTURE DAUGHTER
3LI 7 9	3L 3L	E 6(1,00) I 11(0,01) I 9(0,65) I 11(0,61)	486	11(0.03)									• • • • •1,60E+06	58 10	**************************************	3LI 7
58 11 6 6C 12 6 6C 13	• 3L	10(1.00) I 11(0.38) E 12(0.91) 13(1.00) 14(1.00)	58	12(0.98)	711	12(0,96)	6C 8D	11(1.00) 13(0.12)					• • •5.73E•03	7H 14	•	
80 16 80 17	• 6C	15(1,00) 16(1,00)	7 K 9 F	16(1.00) 17(0.95) 17(1.00) 18(1.00)	1 ON E	17(1.00)	1 1NA	20(0.20)					:		:	
	• 80 • 9F • 9F	22(1.00)	9F 11NA 11NA		1 2M G 1 2M G	21(0.68) 22(1.00)	1 2M G	21(0.32)					•			
12NG 25 12NG 26 13AL 26	• 10% • 11%	E 24(1.00) E 25(1.00) A 26(1.00)	1 1 HA 1 45 I	25(1.00) 26(1.00)	13AL	25(1.00)								12NG 26	**.00E+06	1 <i>2</i> MG 26
145 I 29 145 I 30 15P 31	• 118 • 118 • 118	A 28(0.99) A 29(0.85) A 30(0.67) A 31(0.70) G 32(1.00)	1 1 M A 1 1 M A 1 2 M G	30(0.33) 31(0.30) 31(1.00)	12MG 12MG 13AL	29(1.00) 30(1.00) 31(1.00)	13AL 13AL 145 I	29(1.00) 30(1.00) 31(1.00)	15P 15P 163	29(1.00) 30(1.00) 31(1.00)		-	•			
165 34 165 36	143 15F	G 33(1.00) I 34(1.00) 35(1.00)	15P	34(1,00)	17C L	34(1,00)			1701	33(1.00)	1 8A R	33(0.66)		18AR 36	* * * * \$ *1.58E+0	7 163 36
18AR 36 18AR 37 18AR 38	• 198 • 198 • 165	37(1.00) 36(1.00) 37(1.00) 38(1.00) L 40(1.00)	20CA 20CA 17CL	37(0.24)		38(1,00)	5 OC Y	38(1,00)					•		9.58E-0	17CL 31
19K 40 19K 41 20CA 40	• • 170 • 213	L 39(1.00) L 41(1.00) C 40(1.00) C 41(1.00)	184 R 227 I	41(1.00) 41(0.95)	234								*1.43E+09	20CA 4	**************************************	0 1848 40 5 19K 4

TABLE	6 — Continue
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ISOTOPE PARENTS (BRANCHING RATIO)	NON-E.C. DECAY PELECTRON CAPTURE PHALFLIFE DAUGHTER PHALFLIFE DAUGHTER
20CA 42 * 18AR 82(1,00) 19K	
215C 45 0 19K 45(1.00) 20CA 45(1.00) 22TI 45(1.00) 23Y 45(1.00) 24CR 45(0.75) 22TI 40 0 24CR 45(0.25) 22TI 40 0 21SC 46(1.00) 23Y 46(1.00) 24CR 46(1.00) 22TI 47 0 19K 47(1.00) 20CA 47(1.00) 21SC 47(1.00) 23Y 47(1.00) 22TI 47 0 21SC 48(1.00) 23Y 48(1.00)	4.70E+01 20CA 4
22TI 49 * 19K 49(1.00) 20CA 49(1.00) 21SC 49(1.00) 22TI 50 * 19K 50(1.00) 20CA 50(1.00) 21SC 50(1.00) 21V 49 * 24CR 49(1.00) 25M 49(1.00) 21V 50 * 23V 50 *	9.03E-01 22TI 4
24CR 48 * 24CR 50 * 25MM 50(1,00) 24CR 51 * 25MM 51(1,00) 24CR 51 * 25MM 51(1,00) 24CR 52 * 22TI 52(1,00) 23V 52(1,00) 25MR 52(1,00) 26FE 52(1,00) 24CR 52 * 22TI 53(1,00) 23V 53(1,00)	(7) 22TI 48 =2.46E-03 22TI 4 7.58E-02 23V 5
24CR 54 * 23Y 54(1.00) 25MH 53 * 26FE 53(1.00) 27CG 53(1.00) 25MH 54 * 25MH 55 * 24CR 55(1.00) 26FE 54 * 27CO 54(1.00)	93.70E+06 24CR 5
26FE 55 * 27CO 55(1.00) 26FE 56 * 29CR 56(1.00) 25MH 56(1.00) 27CO 56(1.00) 26FE 57 * 25MH 57(1.00) 26FE 58 * 25MH 58(1.00) 27CO 58(1.00) 26FE 58 * 25MH 58(1.00) 27CO 58(1.00)	2.70E.00 25MW 5
27CO 57 * 26NI 57(1,00 27CO 59 * 26FE 59(1,00) 28NI 58 * 29CU 58(1,00) 28NI 58 * 29CU 58(1,00)	\$7.42E-01 26FE 5 (7) 26FE 56 \$1.67E-02 26FE 5 \$5.00E*11 27C0 59 \$7.50E*04 27C0 5
28N1 60 * 27C0 60(1.00) 29CU 60(1.00) 30ZN 60(1.00) 28N1 61 * 26FE 61(1.00) 27C0 61(1.00) 29CU 61(1.00) 30ZN 61(1.00) 28N1 62 * 26FE 62(1.00) 27C0 62(1.00) 29CU 62(1.00) 30ZN 62(1.00) 31GA 62(1.00) 28N1 64 * 27C0 68(1.00) 29CU 64(0.32) 28CU 63 * 27C0 68(1.00) 28N1 63(1.00) 30ZN 63(1.00)	7
29CU 65 * 28NI 65(1.00) 30ZN 65(1.00) 31GA 65(1.00) 32GE 65(1.00) 30ZN 64 * 29CU 64(0.68) 31GA 64(1.00) 32GE 64(1.00) 30ZN 66 * 28NI 66(1.00) 28CU 66(1.00) 31GA 66(1.00) 32GE 66(1.00) 30ZN 67 * 28NI 67(1.00) 28CU 67(1.00) 31GA 66(1.00) 32GE 66(1.00) 30ZN 68 * 28CU 68(1.00) 31GA 68(1.00)	

OTOPE	PARENTS (BRANCHING RATIO)	 NON-E.C NALFLIFE 	C. DECAY *ELECTRON CAPT! Daughter *Halflife Daugi	HTE
DZ # 70 • 29C	70/1 00\	•		
1GA 67 = 32G		•	•8.93E-03 30Z	
1GA 69 . 29C	69(1.00) 302H 69(1.00) 32GE 69(1.00) 33AS 69(1.00) 34SE 69(1.00)	•		
1GA 71 . 302	71(1.00)	:	#7.89E-01 30Z	2 8 (
2GE 68 • 33A	68(1.00) 3458 68(1.00)	•		
116	70(1.00) 33AS 70(1.00) 34SE 70(1.00)	•	•	
2GE 71 + 13A	71(1.00) 343E 71(1.00) 35BR 71(1.00)	•	*3.07E-02 31G	
2GE 72 * 30Z	. 72(1.00) 31GA 72(1.00) 33AS 72(1.00)	:	•	
2GE 73 • 30Z	73(1.00) 31GA 73(1.00)	•	•	
2GE 74 • 30Z	74(1.00) 31GA 74(1.00) 33AS 74(0.49)		_	
2GE 76 . 102	76(1.00) 31GA 76(1.00)	•	#2.20E-01 32G	GE
345 73 . 345	: 73(1.00) 35BR 73(1.00) 36KR 73(0.99)	:	•	
345 75 . 30Z	75(1.00) 31GA 75(1.00) 32GE 75(1.00)	·	*2.30E-02 320	GE
456 72 * 358	1 72(1.00) 36KR 72(1.00) 36KR 73(0.01) 1 74(0.51) 35BR 74(1.00) 36KR 74(1.00) 37RB 74(1.00)	•	•	
45E 74 • 334) 44(0.31) 3388 44(1.00) 3088 14(1.00) 3188 14(1.00)		42 247 41 32	
45E 75 . 35	1 75(1.00) 36KR 75(1.00) 37RB 75(1.00)	:	#3.24E-01 33/	3
	2 74/1 AAN 3698 76/1 AAN		•	
45E 77 4 320	77(1.00) 33AS 77(1.00) 35BR 77(1.00) 36KR 77(1.00) 37RB 77(1.00) 38SR 77(1.	.007	•	
4SE 78 4 310	78(1,00) 32GE 78(1,00) 33AS 78(1,00) 35BR 78(1,00) 79(1,00) 32GE 79(1,00) 33AS 79(1,00)	#6.50E+04	358# 79 *	
			•	
45E 80 . 320	: BO(1.00) 33AS BO(1,00) 35BR 80(0.03)	91.80F.420	0 36KR 82 *	
45E 82 . 32	82(1.00) 33AS 82(1.00)	•		
58 79 4 36	7 79(1.00) 378B 79(1.00) 38SR 79(1.00) E 81(1.00) 33AS 81(1.00) 34SE 81(1.00)	•	• • • • • • • • • • • • • • • • • • • •	
6KR 76 9 37		• (7)	34SE 76 *1.69E-03 34	13 E
		•	•	
6KR 78 - 37	8 78(1,00) 3838 78(1,00)	•	•	
36KR 80 * 35	R 80(0.97) 37RB 80(1.00) 38SR 80(1.00) B 81(1.00) 38SR 81(1.00) 39Y 81(1.00) 40ZR 81(1.00)	•	*2.10E+05 35	58 R
36KR 81 • 37	R 82(1,00) 37RB 82(1.00)	•	•	
16KR 83 • 32	E 83(1.00) 33AS 83(1.00) 34SE 83(1.00) 35BR 83(1.00)	•	•	
		0.88) *	•	
36KB 80 • 35	£ 84(1.00) 33AS 84(1.00) 33AS 85(0.23) 34SE 84(1.00) 35BR 84(1.00) 37RB 84(0 3 86(0.96) 33AS 87(0.02) 34SE 86(1.00) 34SE 87(0.02) 35BR 86(1.00) 35BR 87(0	0.02) *	•	
		• (7)	36KR 83 *2.36E-01 36	9K K
		1 001 48 405-1	0 3858 87 B	
788 87 · 33	\$ 85(0.77) 33A5 86(0.04) 34SE 85(1.00) 35BR 87(0.98) 35BR 88(0.06) 36KR 87(1	1.00) -4.00241	, , , , , , , , , , , , , , , , , , , ,	
	82(1.00) 40ZR 82(1.00)	•	#6.84E-02 36	6K R
385# 82 * 39	B 88(0,12) 397 88(1,00) 40ZR 88(1,00)	•		
305# 04 - 37 384# 85 0 39	85(1.00) 40ZR 85(1.00)	• (7)	37RB 85 *1.77E-01 37	7 8 8
1858 86 . 37	B 86(1,00) 39Y 86(1.00)		•	
3852 87 * 39	87(1.00) 40ZR 87(1.00) 41MB 87(1.00)	-		
	E 88(0.93) 35BR 88(0.94) 35BR 89(0.13) 36KR 88(1.00) 37RB 88(1.00) 39Y 88(1	1.00) *	•	
385# 88 * 3	E 88(0.93) 358K 88(0.94) 358K 89(1.00) 3788 89(1.00) 385R 89(1.00) 40ZR 89(1.00) 41M8 89(1	1.00}		
391 89 9 37 4018 86 9 41	B 86(1.00)	* (?)	385R 86 *1.88E-03 31 *2.28E-01 3	185
		11 001 6	-<. <qr-01 3<="" td=""><td>ا دن</td></qr-01>	ا دن
402 # 90 . 31	B 86(1.00) 42MO 86(1.00) B 90(1.00) 38SR 90(1.00) 39Y 90(1.00) 41MB 90(1.00) 42MO 90(1.00) 43TC 90(

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ISOTOPE				*ELECTRON *HALFLIFE	
102 R 92 0 102 R 93 0 102 R 98 0	588 91(0.91) 3588 92(0.16) 3688 91(1.00) 3788 91(1.00) 3858 91(1.00) 397 91(1.00) 588 92(0.84) 3688 92(1.00) 3788 92(1.00) 3788 93(0.01) 3858 92(1.00) 397 92(1.00) 688 93(0.97) 3688 94(0.5) 3788 93(0.99) 3788 94(0.10) 3858 93(1.00) 397 93(1.00) 688 94(0.87) 3788 94(0.90) 3788 95(0.08) 3859 94(1.00) 397 94(1.00) 788 95(0.87) 3788 97(0.27) 3858 95(1.00) 397 96(1.00)	•	41RB 93		
4188 92 * 4188 93 * 4188 94 *	2HO 91(1,00) 43TC 91(1,00) 3TC 92(1,00) 44RU 92(1,00)	* (?) *5.33E+10 *2.00E+0*	40ZR 92	*1.00E+0* *3.20E+07 *	
42NO 94 0 42NO 95 0 42NO 96 0 42NO 97 0 42NO 98 0 42NO 100 0	13TC 93(1.00) 44HU 93(1.00) 13TC 94(1.00) 13TC 94(1.00) 13TC 94(1.00) 13TB 95(0.92) 37RB 96(0.13) 385R 95(1.00) 39Y 95(1.00) 40ZR 95(1.00) 41HB 95(1.00) 13TB 96(1.00) 13TB 96(1.00) 13TB 97(0.73) 37RB 98(0.13) 385R 97(1.00) 39Y 97(1.00) 40ZR 97(1.00) 41HB 97(1.00) 13TR 98(0.87) 385R 98(1.00) 39T 98(1.00) 39Y 99(0.01) 40ZR 98(1.00) 41HB 96(1.00) 13TR 98(0.87) 385R 98(1.00) 39T 98(1.00)	:		*3, 00E *03	
#3TC 96 * #3TC 97 * #3TC 98 * #3TC 99 * #48U 94 *	148U 95(1.00) 858H 95(1.00) 19T 99(0.99) 80ZR 99(1.00) 81MB 99(1.00) 82MO 99(1.00) 15RH 96(1.00)	* (7) * (7) **-20E+06 *2.14E+05 * (7)	42MO 96		42HO 91
44RU 98 * 64RU 99 * 44RU100 * 44RU101 *	ISBN 98(1,00) 46PD 97(1,00) ISBN 98(1,00) 46PD 98(1,00) ISBN 99(1,00) 46PD 99(1,00) 47AG 99(1,00) BTC100(1,00) 45NN100(1,00) ISBN 1028101(1,00) 41NB101(1,00) 42R0101(1,00) 43TC101(1,00) ISBN 1028101(1,00) 41NB102(1,00) 41NB102(1,00) 42NO102(1,00) 43TC102(1,00)	• (7) •	*3TC 97	*7.89E-03	43TC 9
458H101 * 458H102 * 458H103 * 46PD100 *	NIMBION(1,00) N2MO10N(1.00) N3TC10N(1.00) NSPDIDI(1,00) N7AC101(1.00) NSCD101(1.00) NIMBIOS(1,00) NZMO10S(1.00) N3TC10S(1.00) NNRU10S(1.00) NTAC100(1,00) NSCD100(1.00) NTAC100(1.00) NSCD100(1.00)	# # (?)	46PD102	*3.30E+00 *2.90E+00 *9.86E-03	44RU10
#6PD103 # #6PD104 # #6PD105 # #6PD106 #			47AG107	*4.65E-02	458 H 10
46PD110 *	amorog(1,00) a3TC108(1,00) a4\$U108(1,00) 45RH108(1,00) a3TC11061,00) a4RU106(1,00) a5RH110(1,00) a8CD105(1,00) a4TR105(1,00) a8CD107(1,00) a4TR105(1,00) 505R107(1,00) 515R107(A,00)	11.26E+04	46PD105	1.13E-01	46PD10

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ISOTOPE		MON-E.C. MALFLIFE D			
47AG109 * 43TC109(1.00	44RU109(1,00) 45HH109(1.00) 46PD109(1,00)	•		:	
48CD106 # 49IN106(1.00 48CD108 # 47AG108(1.00	505 H T T T T T T T T T T T T T T T T T T	:		:	
48C D109 * 49I # 109(1.00	50\$#109(1.00) 51\$8109(1.00)	:		*1.24E+00	874G109
48CD110 * 47AG110(1.00	2222.07(1,007)	•		•	
48CD111 . 448U111(1.00	458H111(1,00) 46PD111(1.00) 47AG111(1.00)	•		•	
48CD112 # 44RU112(1,00	458H112(1,00) 46P0112(1,00) 47AG112(1,00) 49EH112(0.33)	•		:	
48CD113 * 46PD113(1.00	47AG113(1,00) 46PD114(1,00)	9.00E+15	4911113	:	
48CD116 # 46PD116(1.00		:		•	
49IW110 #		• (?)	48C D 110	#5.59E =0 ¥	
49IH111 * 503H111(1.00	5158111(1.00)	:		•7.75E-03	48C D 111
4918115 # 46PD115(0.95	47AG115(0.95) 48CD115(0.95)				
505 H 108 # 5158 108(1.00		• (7)	4 8C D 108	*2.00E-05	4800108
503H110 * 515B110(1.00		:		4.68E-04	48CD110
505 H112 - 49 H112(0.67) 52TE113(1,00) 53I 113(1.00)	(7)	# OT # 113	*3.15E-01	#01 H 1 1 2
) 5158114(1,00) 52TE114(1,00)	• ``'	7,22		492 = 113
	48CD115(0.05) 513B115(1.00) 52TE115(1.00) 53I 115(1.00) 54XE115(1.00)	•		•	
	5138116(1.00) 52TE116(1.00) 53I 116(1.00) 54XE116(1.00) 55C\$116(1.00)			•	
) 49IN117(1,00) 51SB117(1.00) 52TE117(1.00) 53I 117(1.00) 54XE117(1.00)) 47AG118(1,00) 48CD118(1.00) 49IN118(1.00) 51SB118(1.00)	:		:	
	48CD119(1,00) 49IH119(1,00)	•		•	
	48CD120(1,00) 49IN120(1.00)	•		•	•
) 48CD122(1,00) 49IW122(1.00)	•		•	
505 #124 # 48C D124(1.00		•		•	
503 N 126 # 49 I N 126(1.00)) 531 119(1,00) 54XE119(1.00) 55C3119(1.00)	•1.00E+05	5211120		50S#119
5188120 *	7 332 119(1,00) 3422 119(1,00) 3363119(1,00)	• (1)	503 N 120	*1.58E-0	
5138121 * 47AG121(1.00) 48CD121(1,00) 49IH121(1.00) 50SH121(1.00)	•		•	
) 491H123(1,00) 50SH123(1,00)	•		•	
) 54XE118(1,00) 55CS118(1.00) 56BA119(1.00)) 54XE120(1,00) 55CS120(1,00) 56BA120(1.00)	:		*1.04E-0	2 503 W 118
) 54XE 121(1,00) 55CS121(1.00) 568A121(1.00)	• (1)	5158121	*4.60E-0	5158121
52TE122 * 5158122(1.00) 531 122(1,00)	•		•	
527£123 *		•		:	
52TE124 # 515B124(1.00) 53I 124(1,00)) 50SN125(1,00) 51SB125(1,00)	:		:	
52TE126 - 5158126(1.00		•		•	
52TE128 4 505#128(1.00	5158126(1,00)	91.50E+24	54XE 121		
52TE130 . 505#130(1.00) 5138130(1,00)	#2.00E+21	54XE 13	•	
) 55C3123(1,00) 56BA123(1,00)	· (?)	52TE12	1.48E-0	
) 55C3125(1,00) 56BA125(1,00)	:		*1.05E-0	1 52TE 129
334 161 - 303#12/(1.00) 518B127(1,00) 52TE127(1.00)	-		-	

TABLE 6 - Continued

ISOTOPE	PARENTS (Branching ratio)	* NON-E.C. DECA *HALFLIFE DAUGHT	AY PELECTRON CAPTURE TER PHALFLIFE DAUGHTER
531 129 * 505N129(1.00 54XE122 * 55C5122(1.00) 515B129(1.00) 52TE129(1.00)) 56BA122(1.00)	*1.60E+07 54XE1	129 * 122 *2.29E-03 52TE122
54XE124 4 55CS124(1.00		•	•
54XE126 * 531 126(0.98) 55CS126(1,00) 56BA126(1,00) 57LA126(1,00)) 56BA127(1,00) 57LA127(1,00)	•	*9.97E-02 53I 127
54XE128 * 531 128(1.00) 55CS128(1,00)	•	•
54XE129 . 55CS129(1.00) 568A129(1.00) 57LA129(1.00) 58CE129(1.00) 59PR129(1.00)	•	•
54XE130 # 53I 130(1.00) 55CS130(0.97)) 51SB131(1.00) 52TE131(1.00) 53I 131(1.00)	•	<u>:</u>
54XE132 * 508 N132(1.00) 5158132(1.00) 52TE132(1.00) 53I 132(1.00) 55CS132(0.43)	:	:
54XE134 + 508H134(0.83) 5188134(1,00) 5188135(0,20) 52TE134(1,00) 53I 134(1,00)	•	•
54XE136 * 51SB136(0.68) 52TE136(0.99) 52TE137(0.08) 53I 136(1.00) 53I 137(0.06)	•	•
) 515B133(1.00) 52TE133(1.00) 53I 133(1.00) 54XE133(1.00)	:	2.65E-02 54XE131
55CS135 * 51SB135(0.80) 515B136(0,32) 52TE135(1.00) 52TE136(0.01) 53I 135(1.00) 54XE135(1.00)	*3.00E+06 56BA1	135 •
3684128 . 5714158(1.00		•	*6.65E-03 54XE128
5684130 * 55CS130(0.0)) 57LA130(1.00' 58CE130(1.00) 59PR130(1.00) 60MD130(1.00)	•	
5684132 . 55C\$132(0.51		(?) 55CS	131 *3.29E-02 55CS131
) 58CE133(1.00) 59PR133(1.00) 60ND133(1.00) 61PM133(1.00)	•	*1.07E+01 55C5133
5684134 # 55C3134(1.00) 57LA 134(1,00)	•	•
5684135 # 57LA135(1.00) 58CE135(1.00) 59PR135(1.00) 60ND135(1.00) 61PM135(1.00)	•	•
56BA136 • 55C\$136(1.00		:	:
) 52TE138(0.11) 53I 137(0.94) 53I 138(0.05) 54XE137(1.00) 55CS137(1.00)) 53I 138(0.95) 53I 139(0.10) 54XE138(1.00) 55CS138(1.00)	•	•
57LA 137 . 58CE137(1.00) 59PR137(1.00) 60ND137(1.00) 61PH137(1.00) 62SH137(1.00)	•	*6.00E+04 568A137
57LA138 *		*3.44E -11 58CE	138 *1.62E+11 568A138
) 531 140(0.10) 54XE139(1.0L) 55CS139(1.00) 56BA139(1.00)	• (2)	
) 60ND132(1,00) 61PM132(1,00)) 60ND134(1,00) 61PM134(1,00) 62SM134(1,00)	* (7) 568A	132 *3.99E-04 568A132 *8.67E-03 568A13#
58CE136 * 59PR136(1.0	60MD136(1.00) 61PM136(1.00)	•	•
58CE138 . 59PR13B(1.00	13	•	•
	i) 60ND139(1.00) 61PM139(1.00) 62SM139(1.00) 63EU139(1.00) i) 54XE140(1.00) 55CS140(1.00) 56BA140(1.00) 57LA140(1.00) 59PR140(1.00)	:	3.76E-01 57LA139
) 55C5142(1,00) 55C5143(0,02) 56BA142(1,00) 57LA142(1,00)	•	•
	3 58CE141(1.00) 60ND141(1.00) 61PM141(1.00) 625N141(1.00) 63EU141(1.00)		•
60HD138 9 61PM138(1.0)) 625M138(1,00) 63EU138(1,00)	(7) 58CE	138 *5.82E-04 58CE138
60HD142 + 59PR142(1_0) 625M140(1,00) 63EU140(1,00)) 61PM142(1,00) 625M142(1,00) 63EU142(1,00)	:	9.23E-03 58CE140
	55CS144(0,03) 56BA143(1,00) 57LA143(1,00) 58CE143(1,00) 59PR143(1,00)	•	•
) 55CS145(0,12) 568A144(1.GO) 57LA144(1.00) 58CE144(1.00) 59PR184(1.00)		140 •
	3 55CS146(0,14) 56BA145(1,00) 57LA145(1.00) 58CE145(1.00) 59PR145(1.00)	:	:
60HD188 + 568A14A(1.0)) 568A146(1,00) 57LA146(1,00) 58CE146(1,00) 59PR146(1,00)) 57LA148(1,00) 58CE148(1,00) 59PR148(1,00)	:	•
6080150 . 58CE150(1,0		•	•
	A-82		

	TABLE 6 - Continued				
SOTOPE	PARENTS (BRANCHING PATIO)	· NON-E.C. ·HALFLIFE D	DECAT	*ELECTRON *HALFLIFE	CAPTURE DAUGHTER
		• (7)	60MD143	■7.26E-01	60HD143
1PH 143 *	625M143(1.00) 63EU143(1.00) 64GD043(1.00)	. (7)	608D148	9.56E-01	60#D1##
61PM 144 *			5 9PR 141	•1.77E •01	6085143
61PH 145	63EU144(1.00) 64GD144(1.00) 64GD148(1.00) 65TB148(1.00) 66DY148(1.00) 66DY152(1.00)	:		09.31E-01	61PH 145
625R144 -	63EU144(1.00) 64GD144(1.00) 64GD148(1.00) 65TB149(1.00) 65TB149(0.81) 68ER153(0.75) 70TB157(0.75)	•			
		91.03E+U8	60MD142	•	
623H146 *	61PM 16(1.00) 63EU146(1.00) 64GD146(1.00) 65TB146(1.00) 66DT150(0.90) 68EB154(0.08) 60BD147(1.00) 61PM147(1.00) 63EU147(1.00) 64GD147(1.00) 65TB147(1.00) 66DY151(0.56)	*1.06E+11	60HD143	•	
625H147 *	POND (4)(1.00) OIN (4)(1.00) OSE OFFICE CON COMPANY	48.00E+15	60MD144	:	
	61PM 188(1,00) 63EU188(1.00) 58CE189(1.00) 59PR189(1.00) 60MD189(1.00) 61PM189(1.00)	•		:	
625H149	58CE189(1,00)	•			
652M120 -	61PM 150(1.00)	•		•	
625H152 5	60MD152(1.00) 61PH152(1.00)	•		•	
625H154	60ND154(1.00) 61PH154(1.00)	•		#2.55E-01 #3.60E+01	6258145
63EU149		• (7)	623M170	8	0258170
6380150	58CE151(1.00) 59PR151(1.00) 60ND151(1.00) 61PN151(1.00) 62SN151(1.00)	•			
6366121	366621(1.00) 3314131(1100)			•	
63611153	61PM 153(1.00) 625H153(1.00)	*5.09£+03	625M145	#2.55E-02	63EU14
64CB 140	# 65TR1#8(0.19) 66DY149(0.19) 68EN153(U.17) (UIB15(U.17)	B1 405 486	625#146	. •	
64CD 150	6578150(1,00) 660Y150(0.10) 68EH154(0.01)	#4.11E+07	625H147	*3.29E-0	636015
64CB 151	6478141(0.99) 66DY151(0.44)	*1.10E+14	625H146	•	
	63EU152(1.00) 65TB152(1.00)			96 61E-0	63EU15
	65TB153(1.00) 66DY153(1.00) 67H0153(1.00) 68ER153(0.08) 70TB157(0.08)	:		•	
64GD153	63EU158(1.00) 65TB158(1.00)			•	
6400155	a 625H155(1,QQ) 63EU155(1,QQ)	•		•	
64GD156	8 625M156(1.00) 63EU156(1.00)	•		•	
64GD 157	• 62SN157(1.00) 63EU157(1.00)			_	
		•		•	
64GD 158	• 63EU158(1.00)	:		81 #6F O	2 64GD15
6460160	• 63EU160(1,00) • 66DY155(1,00) 67H0155(1,00) 68ER155(1,00)	• (7)	64GD15	6 -1.45E-0	2 64GD15
6578156		• ```		91.50E+0	2 64GD15
6578157					
		•		. :	
65TB 159	# 63EU159(1.00) 64GD159(1.00)	•1.00E+07	64GD 15	•	
66DY154	6 7H0154(1,00) 68ER154(0.91) 6 7H0156(1,00) 68ER156(1,00) 69TH156(1,00)	(7)	65TB15	7 49.24E-0	4 65TB15
		• (17	V / 10 · /	• ****	
66DY158	* 67H0157(1.00) 68ER157(1.00) 69IH157(1.00) * 65TB158(1.00) 67H0158(1.00) 68ER158(1.00) 69TH158(1.00) 70YB158(1.00)				
		•		*3.95E-0	1 65TB1
66D T 159	•	•		•	
66D T 160	8 65TB160(1.00) 67H0160(1.00) 8 68GD161(1.00) 65TB161(1.00)	:			
56DY161	- 64GD 162(1.00) 65TB 162(1.00) 67HO162(1.00)			•	
440 4 1 4 5 4 0 1 1 0 5	• 65TB163(1.00)	-			
		•		•	
660 Y 164	• 65TB164(1.00)	• (7)	6 6D 7 1	9 .6.27E-	5 66DY1
	- 68ER159(1.00) 69TH159(1.00) 70YB159(1.00) 71LU161(1.00)	•		#2.83E-	
67H0161	- 68ER161(1.00) 69TH161(1.00) 70TB161(1.00) 71LU161(1.00) - 68ER163(1.00) 69TH163(1.00) 70TB163(1.00) 71LU163(1.00) 72HF163(1.00)	:		3.30E+	. 3001
	• 66DY165(1.00)	-			

TABLE 6 - Continued

SOTOPE		MALFLIFE D		ELECTRON C HALFLIFE D	
68ER160 - 69TH160(1.00)		•		*3. 26E -03	66DY16
	70YB162(1.00) 71LU162(1.00) 72HF162(1.00)	•		•	
68ER164 67H0164(1.00)		•			
	70TB165(1.00) 71LU165(1.00) 67M0166(1.00) 69TM166(1.00)	:		*1.19E-03	678016
56E # 105 - 00D [100 (1. UU)	6/MO188(1.00) 691M188(1.00)	•		•	
SER167 - 66DY167(1.00)		•		•	
BER168 - 67H0168(1.00)		•		•	
58E#170 * 67H0170(1.00)	71LU167(1.00) 72HF167(1.00) 73TA167(1.00)	:		*2.53E-02	4 85 8 14
69TM 169 • 67HO 169(1.00)		•		•	000.
OT8 164 • 71LU164(1.00)	72HF 164 (1.00)	• (7)	68E # 164	41.44E-04	68ER16
	72HF166(1.00) 73TA166(1.00)	•		*6.47E-03	6 BE R 16
	71LU168(1.00) 72HF168(1.00) 73TA168(1.00)	•		•	
/QTB169 = 71LU169(1.00) /QTB170 = 69TM170(1.00)	72HF169(1.00) 73TA169(1.00) 74W 169(1.00) 71LU170(1.00)	:		*8.76E-02	69TH 16
AVE	4079131/4 001 711 H171/1 001 7389471/1 001 7374171/1 001 784 171/1 001				
OTB 172 * 68ER 172(1.00)	69TH171(1.00) 71LU171(1.00) 72HF171(1.00) 73TA171(1.00) 74W 171(1.00)	:		:	
70Y8 173 . 68ER 173(1.00)		•		•	
7078174 . 69TH 174(1.00)		•		•	
OY8176 * 69TH176(1.00)		•		•	
**************************************		• (7)	70YB 172	*1.83E-02	70YB 1
71LU173 •		•		■1.37E +00	701817
71LU175 • 69TH175(1.00)	7018175(1.00)	•		•	
71LU176 * 72HF170 * 73TA170(1.00)	74W 170(1.CO) 75RE170(1.00) 77IR17#(1.00) 79AU178(1.00)	*3.60E+10		•1.83E-03	70YB 17
	74W 172(1.00) 75RE172(1.00) 760S172(1.00) 77[R176(1.00)	•		*1.87E+00	
	74W 173(1.00) 75RE173(1.00) 760S173(1.00) 77ER177(1.00)	• (7)	711 0173	*2.74E-03	
72HF 179 * 73TA 174(1.00)		42.00E+15			
72HF175 * 73TA175(1,00)	74W 175(1.00) 75RE175(1.00) 760S175(1.00)	•		41.92E-01	712017
72HF 176 • T3TA 176(1.00)		•		•	
72HF177 * 70YB177(1,00)	71LU177(1,00)			•	
72HF 17B * 70YB 178(1.00)		•		•	
72HF179 • 71LU179(1.00)		:		•	
72HF180 • 71LU180(1.00) 72HF182 •		9.00E+06	74W 182	:	
7374177 • 79W 177(1.00)	758E177(1,00) 760\$177(1.00)	92 21F+03	72HE 177	*6. 46E -03	724F 1
7374178 °		(7)		92.74E-04	
7374179 *		• ```		*1,70£+00	
737A180 .		•		•	
73TA181 • 72HF181(3.00)		•		•	
74W 174 * 758E174(1.00)	7605174(1,00) 78PT178(0.07) BOHG182(0.01)	• (1)	1 2 NF 174	95.518-05	72871
74W 176 - 75RE176(1.00)		•		.5. 956 -04	
) 760\$178(1,00) 77IR178(1.00)) 760\$179(1,00) 77IR179(1.00)			5.89E-02	
74W 180 * 75RE180(1.00)		(1)	7314179	7.226-05	73TA 1
	A-83				

	PARENTS	4 808.5	COSCAY	*ELECT#0#	CAPTURE
ISOTOPE				*HALFLIFE	
74W 181 *		•		*3.31E-01	73TA 18
	7378 182 (1.00)	:		:	
	72HF183(1,00) 73TA183(1,00) 72HF184(1,00) 73TA184(1,00)	:		•	
	73TA186(1.00)	•		•	
	7605181(1,00) 77IR181(1,00) 78PT181(1,00)	4 (7)		.2.28E-03	
75RE 182 .		(7)	748 182	• •7.30E-03	
758E 184 4	7605183(1.00) 771R183(1.00) 78PT183(1.00)	• (?)	744 184	*1.04E-01	
	73TA185(1.00) 74W 185(1.00)	•		•	
7585187 .	794 187(1.00)	#4. 00E +1	0 7605181	•	
	77IR180(1,00) 78PT180(1,00)	• (7)		44.18E-05	74W 18
	7718182(1.00) 78FT182(1.00) 78FT186(1.00) 79AU182(1.00) 79AU186(1.00) 80HG186(1.00)	•		.2.51E-03	74W 18
	77184(1.00) 78P184(1.00) 79AU184(1.00)	• (7)	7685186		*****
	77IR185(1,00) 78PT185(1,00) 79AU185(1,00)	- (17			124610
	75RE186(1.00) 77IR186(1.00)	#2.00E+1	5 74W 182	· •	
7603187 •	74W 188(1.00) 75RE188(1.00) 77IR188(1.00)	:		:	
	74W 189(1,00) 75RE189(1,00)	•		•	
	74W 190(1.00) 75RE190(1.00)	•		•	
	75RE192(1.00)	•		•	
	78PT187(1.00) 79AU187(1.00) 80HG187(1.00)	• (?)	760518	1 .1.2CE-03	
771R189 *	78PT189(1.00) 79AU189(1.00) 80HG189(1.00) 81TL189(1.00) 82PB189(1.00)	• (?)	760519	*3.59E-02 *3.23E-02	
	75RE191(1.00) 7603191(1.00)	•	(• • • • • • • • • • • • • • • • • • •	• /	,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,
7718103 .	7603193(1,00)	•		•	
	79AU188(1.00) BOHG188(1.00) BITL188(1.00)	#9.31€+0	4 760518	*2.79E-02	760518
78PT 190 .	79AU190(1.00)	*6.00£ •1	1 760518		
7871191 * 7871192 *	771F192(1.00) 79AU192(1.00)	:		*7.94E-03	771 2 19
78PT 193 *				*5.00E+01	77181
	7603194(1,00) 77IR194(1,00) 79AU194(1.00)	•		•	
	7603195(1.00) 77IR195(1.00)	•		•	
	7603196(1.00) 771R196(1.00)	•		•	
78PT 198 .	7712198(1.00)	•		•	
	80HG191(1.00) 81TL191(1.00) 82PB191(1.00)	• (?)		93.65E-04	
794U193 *		(7)	78PT19	3 *2.00E =03	
794 0195	7778107/1 001 78PT107/1 001	·		*5.01E-01	78PT 19
	771R197(1.00) 78PT197(1.00) 81TL190(1.00) 82P8190(1.00)	• (7)	78PT 19	93.80E-0	78PT19
80HG192 *	81TL192(1,00) 82PB192(1,00)	•		45.59E-04	78PT19
80HG193 .	81TL193(1,00) 82FB193(1,00)	* (7)	7 9A U 1 9	3 44.56E-0	
80HG 194 .	\$1TL194(1,00) 82PB194(1,00) 83BI194(1,00)	•		*2.60E+0	
	81TL195(1.00) 82PB195(1.00) 83BI195(1.00)	* (7)	7 9A U 1 9	5 •1.14E-0	794 019
80NG 196 *	79AU196(1.00) 81TL196(1.00)	-		-	

TABLE 6 - Continued

ISOTOPE	PARENTS (BRANCHING RATIO)	MON-E.C. DECAY	*ELECTRON R *HALFLIFE	CAPTURE DAUGHTE!
80HG197 * 81TL197(1.00) 82P8197 80HG198 * 79AU198(1.00) 81TL198	(1,00) 83BI197(1,00)	•	•7.31E-03	7 9A U 1 97
80HG199 * 78PT199(1.00) 79AU199	(1,00)		:	
80HG200 * 78PT200(1.00) 79AU200	(1,00) 81TL200(1.00)	•	•	
BOHG201 # 78PT201(1.00) 79AU201	(1.00)	•	•	
80HG202 * 79AU202(1.00)		•		
89HG20% * 79AU20%(1.00) 81TL199 * 82PB199(1.00)		•	•	
81TL201 • \$2PB201(1.00) 83B1201	(1.00)	4 (?) BOHG19	9 .8.44E-04	
81TL202 +		* (7) 80HG20	*8.33E =03 2 •3.34E =02	
81TL203 * 79AU203(1,00) 80HG203	/		. ,,,	
81TL205 . BOHG205(1.00)	(1.60)	•	:	
\$2P8196 • 83B1196(1.00)		* (?) £0HG19		80HG196
82P8198 * 8381198(1,00) 82P8200 * 8381200(1,00)		* (?) 80HG19	92.74E-04	
• • • •		•	*2. 45E -03	80HG\$00
82P8202 • 8381202(1,00)		•	43. GOE +05	8171202
82P8203 * 83B1203(1.00) 82P8204 * 81TL204(1.00)		:	95.93E-03	817120
₹2PB205 • 8381205(1,00)		;	91.40E+07	A171 201
82P8206 * 80MG206(1.00) 81TL206	(1.00)	•	•	0.1620
8278207 . 81TL207(1,00) 8278211	(1.00) 8381211/1 00)	•		
#2F#20# # #1TL20#(1.CO) #2F#212	(0.36) 8381212(0.36)	•	:	
8381199 • 8381204 •			95.13E-05	
8381206 *			* *1.286-03 6 *1.71E-02	
8381207 •		• • • •		
8381208 *			7 *3.80E+01	
#381209 * 81TL209(1.00) 82F8209	(1.00) 8381213(0.02)	* (*) 82FB20	3.68E -05	8278201

No. 3, 1984

391

APPENDIX B

ELECTRON STRIPPING AND ATTACHMENT CROSS SECTIONS

The cross sections for attachment and stripping of electrons from cosmic-ray nuclei are essential for determining decay rates of electron capture nuclides. In most cases comme rays are either fully stripped or have only one electron attached; thus, we are concerned here with hydrogen-like ions. Theoretical and experimental studies of these processes have been reported by Wilson (1978) and Craw ford (1979)

radiative attachment if the electron may be considered free and if a photon is emitted to conserve energy and momentum. It is In the process of electron attachment an electron in the target medium becomes bound to the projectile. This process is termed termed nonradiative if the receipter a larget atom conserves energy and momentum. Radiative attachment dominates at cosmic-ray energies in pure hydrogen, but the importance of nortadiative attachment is sensitive to the amounts of heavier gases in the ISM.

The radiative attachment cross section can be calculated from photoionization cross sections by the method of detailed balance (Raubeck and Vrou 1971) Wilson (1978) has used this method and the high energy photoionization cross sections presented by Pratt, Rom, and Tseng (1973) to derive the following formula for radiative attachment cross section:

$$a_{n} = \{a_{1} Z_{p} Z_{p} B_{q}(\gamma - 1)^{-1} a^{4+1} \{ \exp \left[-2(a/\beta) \cos^{-1} a \right] \{ M(\beta) \{ 1 + R(a) \} + \pi a N(\beta) \},$$
 (B1)

where σ_t is the Thompson cross section. Z_p , Z_t are the projectile and target charges, respectively; $\sigma = \alpha Z_p$; α is the fine-structure

constant, and
$$\begin{cases} e = (1 - a^2)^{1/2} - 1 \\ \theta = e/c; \\ \theta = e/c; \end{cases}$$

$$N(\beta) = \frac{1}{15\beta} \left(-4\gamma + 34 - 63\gamma^{-1} + 25\gamma^{-2} + 8\gamma^{-1} \right) - \frac{(\gamma - 2)}{2\beta^2 \gamma(\gamma + 1)} \ln \left(\frac{1 + \beta}{1 - \beta} \right)$$

The factor R(a) may be ignored in cosmic rays with charge $Z_p < 29$ with only a small fraction of a percent error. For greater charges an error of up to 10% can result by ignoring R(a). We have fitted the data on R(a) in Pratt, Ron, and Tseng (1973) in the following formula. We suggest its use for $Z_p > 28$:

$$R(a) = -\exp(-8.4a^2 + 14a - 8.28)$$
. (B2)

The formulae above give the radiative attachment cross section for capture into the K shell. The cross section falls off as n⁻³ for other shells. To correct for capture into other shells, multiply the above cross section by 1.202.

The nonradiative attachment cross section is predicted (Crawford 1979) by

$$o_{\omega_{s}} = \frac{\pi}{3} 2^{12} a_{0}^{2} Z_{p}^{2} Z_{s}^{2} Y^{2} S^{4} \left[S^{2} + (Z_{p} + Z_{s})^{2} \right]^{-5} \left[S^{2} + (Z_{p} - Z_{s})^{2} \right]^{-5}, \tag{B3}$$

where ao is the Bohr radius, and

$$S = \beta \gamma / \alpha$$

Again the multiplicative factor 1 202 corrects for capture into higher shells. When there is more than one electron in the target K shell the cross section must be multiplied by 2 and the target charge replaced by an effective target charge:

$$Z_{r} = Z_{r} - 0.3$$
.

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Wilson (1978) has derived the following stripping cross section formula from Mott and Massex's (1965) relativistic ionization cross section:

$$\mathbf{e}_{i} = 4\pi e_{i} \left(\frac{\mathbf{e}}{Z_{i}} \frac{\mathbf{p}}{\beta} \right) \left(Z_{i} + Z_{i} \mathbf{t}_{i} \right) \left(\ln \left(\frac{4R^{2} \mathbf{p}}{\epsilon_{i} n^{2} Z_{i}} \right) \right).$$
 (B5)

where C₁ = 0.285 and C₂ = 0.048. The heavy components of the ISM also contribute to electron stripping and attachment. The mean free path in the ISM characterized by number fractions (relative to H), b₁, of species i with atomic mass, 1 (ainst), and cross section b₁ (inb) is

$$\lambda = \frac{10^{11}}{\lambda_{\lambda}} \left(\sum_{i} b_{i} A_{i} \right) / \left(\sum_{i} b_{i} a^{(i)} \right). \tag{BA}$$

where N_c is Avogadro's number. Since the stripping cross section increases as Z_c^2 , it is sensitive to elements with Z_c^2 26 existing in the ISM with solar system abundances.

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ON THE ABUNDANCES OF ULTRAHEAVY COSMIC RAYS

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E. O. Halbert Center for Space Recearch, Naval Research Laboratory, Record 1922 May In accepted 1998 September 13. REIN SUBERBERG AND C. H. TSAO

ABSTRACT

(33 × 2 × 33) are analyzed using a new propagation code General agreement with earlier analyses is observed. Evidence for a breakdown of the corelation between ionization potentials and the solar system cosmic-ray source abundance ratto is presented. We find that the best if to experimental data (~5 GeV per incleon) source abundance ratto is presented. We find that the best in to experimental data (~5 GeV per incleon) cocurs when propagation is calculated at lower energies (~1 GeV per nucleon). This is interpreted as evidence for distributed acceleration of cosmic rays. Additional effects, including ionization loss, altered path-length Recent data from the HL 40.3 and 4red 6 satellites on elemental abundances of ultraheasy cosmic rays distributions, and r-process enhancement, are considered

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10.16 stiellites have provided commercial abundances in the Oldry Targe Targe 8.7.7.7.8.4 is everyges of about \$5.68.7 per apa-lem The first stands seed these data suggest that the cosme Location The first stands seed the suggest that the cosme (cannot be). The mediated has a first constrained abundances (cannot be). The best stands are composition is measured with process, dominated macheosynthesis. This conclusion is expected by the rarity of actinides (Brines et al. 1982) in local Recent observations by instruments on the HE 10-3 and

Usering tay flergs.
The data agree roughly with a standard cosmertay

peop igation model consisting of a Section and an administration of a Section and Associated a strebution of path lengths with mean of hadming of interstellar medium (ISM) at 5 GeV per nucleon

(Poolt rine, Ormes, and Comstock 1991).
3. Amen hydrogen density in the ISM of about 0.3 atoms on IWeletheck, and Circiner 1990. Gartea-Minoz, Syrphon, and Well 1981.

Pedemonary examination of the data using this model (Mowald) 1983) and later more comprehensive investigations (Brewster Freit, and Waldington 1983) show striking disagreement with the standard model. Most preminent of these following care the secondary to primary ratio $(4 + \zeta - 3)$ of $(4 + \zeta - 3)$ of (values. Modification of the standard model by increasing the mean path Empth or introducing a double exponential path-length distribution (Coxok and Wilson 1973) does not significantly decrease these discrepancies

this paper we explore several other effects which could explain the observed ultraheasy abundances. These include algorighted IP-effect truncating the path-length distribution,

enhancement of r-process nuckei in the source composition, inclusion of ionization loss in the propagation, and propagation at lower energies where some fragmentation cross sections are larger. We find that most of these effects can be adjusted to make up some of the discrepancy in the primary secondary ratios. We find significant support for two

alterations of the standard model.

First, the correlation between FIP and cosmic-ray source composition seems to break down below 7 eV. We find a

considerably improved fit to the sensitive elements Sr and Ball fit he He mhancement is constant below Tee' Such a breakdown has been reported earlier by Tarle et al. (1979) for Ca and is consistent with observations of Al and Na (New ald 1991) and references therein).

Second, we find that performing the ultraheavy propagation at a foreignes of \$5\$ GeV per nucleon, to within reported error. This improvement results from higher partial cross sections at 1 GeV per nucleon for fragmentation of nuclein in the P-Pb peak into the secondary region 60 \$2\$ \$2\$ 4 as a reported by Kaufman and Steinberg (1980) and incorporated into the semempirical cross sections (Tsao, Silberberg, and Letin 1983). As discussed clowhere (Silberberg et al. 1983). this result supports the idea that the acceleration of cosmic rays is distributed throughout their passage through the

It is based on a new list of the 414 cosmic ray stable isotopes from Li through Bi. These include (i) absolutely stable isotopes (ii) isotopes which decay with half-lives greater than 10' years, and (iii) isotopes which decay almost exclusively by electron capture. Of these isotopes, 138 decay once in the fully ionized state and once with one bound electron, considering the electron attachment probability. In addition to these isotopes which are treated in the propagation, propagation model used in this work is described Silberberg, and Tsao 1984 elsewhere in more detail (Letaw.

ABUNDANCES OF ULTRAHEAVY COSMIC RAYS

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about 1000 rapidly decaying isotopes are classed with their ultimate daughter and incorporated into all fragmentation cross section computations

The propagation is carried out using matrix methods (Cowsik and Wilson 1973; Wilson 1978) The equations are reduced to the form

$$\frac{dJ_i}{d\chi} = \sum_j M_{ij} J_j \tag{}$$

modification matrix, $M_{\rm si}$ contains all the composition-changing reactions occurring in propagation. Most important of thece are fragmentation effects characterized by total (Lctuw, Silberberg, and Tao 1983a) and partial (Silberberg and Tsao 1973; Tsao, Silberberg, and Letaw 1983) cross hydrogen density in the ISM (Wredenbeck and Greiner 1980; Garcia-Munox, Simpson, and Wefel 1981). Electron capture isotopes are assumed to be fully ionized at the source with sections for collisions with protons. The decay of each unstable nucleus is included assuming a 0.3 atom cm⁻³ mean attachment and stripping cross sections drawn from Wilson (1978) Also mocoperated into the model are ionization loss and solar modulation (Letaw, Silberberg, and Tsao 1987b). The composition of the ISM is assumed to be identical to and solved for the appropriate path-length distribution. The

Cameron (1981) solar system abundances. The ultraheavy abundances have been measured in experiments on the Ancl 6 and HEAO 3 satellites 4nd 6 results are given in Fowler et al. (1981) HEAO 3 satellites 4nd 6 results are given in Fowler et al. (1981) HEAO 3 satellites 4nd 6 results are given in Fowler et al. (1981) and results for actinities in Binns et al. (1982) Data in the Sn-Ba peak have been reported, but without reference to overall normalization, by Binns et al. (1983) The nuclei heavier than Z = SO have been reported by Wardington et al. (1981) So observed abundances, we take the data of Binns et al. (1981) for charges 33 to 42. The and Z = 83.84 were corrected for spillover from Pt and Ph due to charge misidentification. Observed ultraheavy abundances are tabulated in Table 1. These data report a somewhat lower Sn Te ratio than given by Binns et al. (1983) The reported abundances of Z = 79.80compilation of Mewaldt (1981) which includes both Arrel 6 data and raw HEAO 3 data is drawn on for other charges

II. HP EFFCT

of galactic cosmic-ray source abundances to solar system abundances has been well established for elements with $Z \le 38$ (2 save and Goret 1937). The general nature of his correlation extends to elements with $Z \le 40$ (Binns, et al. 1881) and even higher (Brewster, Freier, and Waddhigton 1983). Such The correlation of first ionization potential with the ratio a correlation might indicate preferential acceleration of cosmic-ray species with low first ionization potentials at the sites

Straightforward fits to the correlation of the form

where I is the ionization potential in eV and k is a constant, may be made Good fits to noble gases such as Ne and He come at the expense of a poor fit to C. N, and O. In either

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* Abundances for 33 < 25 taken from Binns et al. 1981, others taken from Mewaldt 1981, and references therein

$$\exp\left(-0.27t\right) \ (t \le 13.6 \, \text{eV}\right),$$
 (3) $\exp\left[-0.27\left(13.6\right)\right] \ (t > 13.6 \, \text{eV}\right)$

case. H is poorly fitted Treating H and He as special cases, a relatively good fit to all other elements is.

The flattening above 136 eV affects only Kr in ultraheavy

propagations.

We have performed propagations of the ultraheavy cosmic Tays at 5 GeV per nucleon using an exponential path-length distribution with a mean of 6 g cm⁻¹ ISM. The source abundances are taken from Cameron (1981) modified by the FIP correction equation (3) Three slopes (4 = 0.34, 0.25, and 0.30) were tried. The abundances of ultraheavy cosmic rays with extremely light (Br. Kr. X. Zr. Cs. Ba) ionization protentials are mensivities to changes in the slope 4 (see Table 2) Ratios of primaries to changes in the slope 4 (see Table 2) Ratios of primaries. Our results are also mensitive to these changes.

Our results are also incensitive to these changes.

are primaries, this disagreement suggests the possibility that the ionization potential correlation breaks down for lower lighter elements with low first iomization potentials. The abundance of Ca as measured by Taile et al. (1979) is inconsistent with the standard FIP enhancement. The largely secondary. Na. and. Al. whose source abundances have in Birms et al. (1983) where normalization of Sn. Te. Ne. and Ba relative to Fe was not addressed. Decause Ba and Sr ionization potentials. A similar effect has been observed in

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of mark large, cross are consistent with either FIP model, and a fair-ring (Mewaldt 1941) fortration modes to cover to composition predict from graft of more composition predict from graft buds bugst emerging and low-computer receiving to explore the effect of such a breakdown the 11P of a carrier and taken constant below several quori-ners - sections. Roche the cown in Table. The hi-off is not Si and their numerical economics is improved to 2 and 3 standard deviations, respectively, by a canoll of orse et a relegion in Balabandance. Our residis suggest or to, 3.1P correction becomes flat below about 7.6V. We . A lead then two of the rateos are slightly improved

referred. Decourse compared with our propagations using a general transition of the source and these references resulted by our EIP correction (eq. [4]). We see that the doming secondary vallegy remain. The fit for the excellent. by Figure 1 the thandances of ultraheasies with Z + 33

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Fig. 1. Comparison of propagations through 6 g cm. 3 of ISM at Cres per nucleon Dashed line uses Cameron (1961) as source composition Solid time has source modified by the 11P correction in this paper (eq. [4]). Light-recent of data are taken from Table 1

Studies of the elements Sn. Te, Xe, and Ba (Buns et al 1983, Brewster, Frence, and Waddington 1983) using the standard model show agreement with the Sn Te and Ba Te ratio and poor agreement with the Xe Te ratio (see Fig. 2) (1 sing the LIP correction of equation (4), we gain find good agreement with the Sn Te ratio and somewhat better agreement with the Xe Te ratio but poorer agreement with the Ne Te ratio but poorer agreement with the Nexall network of these elements relative to Fe From Mewaldt (1981), we find the total abundance in the range 49 < X < St (no te 23) = 7 relative to Fe = 10° Our computations to the Nexall network of the St (1981) we find the total abundance in the range 49 < X < St (no te 23) = 7 relative to Fe = 10° Our computations using the new FIP correction yield 27 while in the standard model we get 34.

Our results using the standard model differ significantly with Brewster, Freier, and Waddingon (1984) in this region. They get roughly 26 for the sum 49 \$ 2 < 56 while we get 34. Among the numerous differences in the propagation exchantions are their use of rigidity-dependent path foughts, propagation by dement instead of isotope, and neglect of nonzation loss. Most of the disagreement with this propagation sections (Westfall et al. 1939) are roughly 25% larger than the total recurdan errors sections (Teast, Silberberg, and Tsao 1934) minus the partial cross sections for AZ = 0 (Silberberg and Tsao 1934) Substantially less destruction of the elements in the Sn-Ba peak herefore occurs in our calculations. This also accounts for the difference in the ratio (60-74) (76-84) in the two calculations. results from their use of different charge-changing total reaction cross sections. The Beikeley charge-changing cross

ABUNDANCES OF ULTRAHEAVY COSMIC RAYS

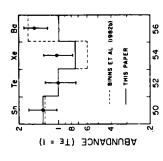


Fig. 2. Abundance in the Sn Ba peak relative to Fr as predicted using the sample of HP modification (databat her) to the course and the FHP meditation in this paper (cold law) but not sandard model predicts relative abundance smaller to the cold line except for Ba which is midsas between the values shown in the figure.

The Berkeley charge-changing formula is based on an extrapolation from p-Fe collisions, while the total inclastic cross sections (Letaw, Silberberg and Tsao 1984) are based on reactions of many nucletes. The charge-changing formula disagrees with preliminary measurements on Au (Brewster et al. 1983) at 1 GeV per nucleon. The charge-changing formula for Au is ~1700 mb, our total cross section minus AZ = 0, and +1 partial cross section yields ~1500 mb, while the experiment gives ~1430 mb.

III. IONIZATION LOSS

So far in this paper, ionization loss has been included in the propagation effects Ionization loss is potentially important in ultralieray propagation. As discussed elsewhere (I etaw. Silberberg, and Tsao 1984), a uranium ion loses 140 MeV per nucleon per g cm.? of ISM, while Fe loses less than 59 MeV per nucleon Relative compositional differences of 15°°, can arrise in such nearby elements as Zn and Fe over 6 g cm.? ISM

We have explored the importance of ionization loss by removing the effect in a standard propagation at 5 GeV per mickon We found that including ionization loss reduces the secondary primary ratios (44-48) \$0.561 and (60-3) (76-84) by about 3". The reduction is apparently due to the greater mean path length of secondaries We find a negligible reduction in (80-56) [74-80). At 1 GeV per nucleon, the econdary to primary ratios are reduced by as much as 20".

IN TRUNCATION OF THE PATH-HANGTH DISTRIBUTION AND SEE BOT TOTAL CONTO

lengths are proposed to increase secondary to primary ratios. Brewster, Freier, and Waddington (1983) have explored the use of double texponential path-bright distribution on the econdary to primary ratios (44-48) (50-56) and (60-74) path lengths are distributed exponentially. Alterations of this distribution which eliminate some or all of the short path Within the standard model, one assumes the cosmic-ray

(76-83) These ratios are calculated to be only slightly closer to experiment than in the standard model. In this section we discuss results of a propagation using a truncated exponential path-length distribution of the form

$$P(\lambda) = \begin{cases} 0 & (\lambda < \delta) \\ \exp\left[-\frac{1}{\lambda} \left(\lambda - \delta\right)\right] & (\lambda > \delta) \end{cases}$$
 (5)

The mean distribution is $\delta + \lambda$. It is the usual exponential distribution preceded by a slab of thickness δ Such a distribution may occur under the same astrophysical conditions as the nested leaky box but differs from this model in that no short path lengths occur. Here we take the slab thickness to be I gem. This is inconsistent with the observed abundances of light elements and therefore requires additional assumptions about the cosmic-ray sources. One plausible assumption is that highly evolved stellar systems rich in ultraheavies, might be associated with dense clouds of interstellar guess. Our results are shown in Figure 3 in comparison with the standard model (now using eq. [4] to modify solar system abundances).

A significant improvement is seen in the secondary to primary ratios (see Table 4). The improvement in the widely Pt ratio results primarily from a reduction in primaries in the Pt-Ph peak, and bence the valley in the secondary region remains. This is quantified in the ratio (3x-56) (74.80) which remains high. The fit to the Sn-Ba peak is worse in this model. Within this model, a better overall fit is obtained if the abundance of elements in the Pb-Pt peak is doubled.

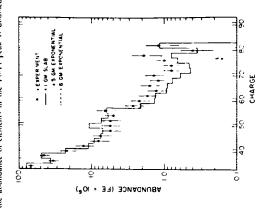
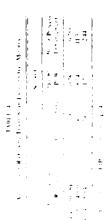


Fig. 3. Comparison of exponential model with slab exponential model of the same mean path length. The slab exponential model (with line) shows much greater secondary primary ratios.

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Vol 279



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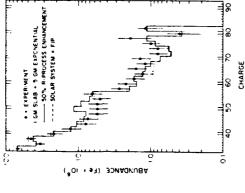


Fig. 6. Comparion of two slab exponential models with mean path kneps of hig cm. 3. Dacked curve uses our FP modification to source bold curv has a 50 - reposess enhanced source.

by Brewster, Freier, and Waddington (1983). It is possible to define such an enhancement by

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$$N_{entranced} = \binom{l}{l} N_{ent}$$
 (6)

where N, is the solar system abundance and

$$I = \frac{N_{r}(1+x) + N_{r}(1-x)}{N_{r} + N_{r}} \tag{7}$$

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Here N, and N, are, respectively, the r-process and seprocess contributions to diameters (1981) albumdances and N, + N, = N.—We use the decomposition proposed by Israel et al. (1981). The parameter is varies from 1 for pure r-process to + 1 for pure, spresses. The overall normalization, is, is the value of 1 for that which is a cosmic-ray primary consisting

of about equal e-process and s-process contributions.

Figure Shows, a comparison of slab exponential propagation, one with a Single-process enhancement at the source
and the other with a standard source Once again good
at the other with a standard source Once again good
at the expense of a poor fit in the Sta-Ba peak.

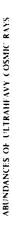
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Recent measurements of Kaufman and Steinberg (1980) on the spallation of 19 Au show a substantial increase in the partial cross sections in the mass range $10 < \Delta 4 < 40$ at

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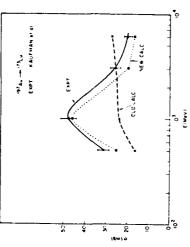


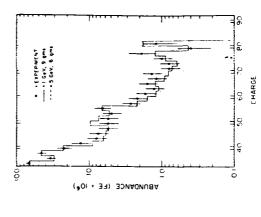
Fig. 6. The complex dependence of spallation cross sections of Au. The dashed and dotted fines show the results of our presums and newly resord

1 GeV (Fig. 6) These new data have been meorporated into the semempirical cross section formulae (Tsuo, Silberberg, and Letan 1983). The substantial increase in cross sections suggests a possible explanation of the abundance of secondaries. rays is distributed throughout propagation in the Galaxy, or occurs in several pulses, the average energy during propagation would be somewhat lower than the arriving energy. In this case, the cosmic-ray composition would be determined by in the charge range $60 \le 7 \le 74$ If the acceleration of cosmic

propagation at an energy lower than the arriving energy.

To explore this hypothesy, a propagation of ultraleasy come ra, has been performed at 1 GeV per nucleon using an exponential path-lengtid distribution with a mean value of an arriving energy.

Cowner ra, has been performed at 1 GeV per nucleon using an exponential path-lengtid distribution with a mean value of an arriving tension of the performed at 1 Gensiose 1 891. This propagation results in an excellent fit to the data which differs by significantly more than 1 standard deviation only for Sn and Yb (see 1g. 2). The secondary "sallesy," are still apparent as slight systematic underabundances in the regions 44 × Z < 48 and 60 ≤ Z < 74. Using the path length of 6 g. or "with the new cross-sectionsy folds mearly identical errors in the cross-sections These errors are afrom statistical errors in the cross-sections. These errors are afront statistical errors in the cross-sections. The disk per nucleon propagation provides significant evidence for the distributed acceleration of cosmic rass discussed in Silberberg et al. (1983). In summary, this hypothesis (1) raises the anomalously low estimate of N at the cosmic rass, source behaviour source abundances of F. Na. and Al arround 180 MeV per nucleon; (2) reduces value of "Ar." 42, "V, "V, at 60 MeV per nucleon; and (4) reduces vource abundances of Mn and Cr at loucken capture resolve."



The P. Compition of propagations using exponential path kingth distribution and soft assurance about the contribution of all propagations at 1 GeV, per nucleon with a mean path kingth of 9 grant and a propagation of Color per nucleon with a mean path kingth of 8 gent.

(1) and (2) roull from increased (p. pn) cross sections at low energies. (3) from increased electron attachment, and (4) from increased he spallation into products with a small 34 at the cosmic-ray age by a factor of 2 because the production

the company age of a state of a season of the processor and measured. By abundance, a larger factor survice Independent of conclusions concerning distributed acceleration we find that ultraheasy propagation in he range at 1900 Mey bernacheous figurally from propagation at higher energies. Data at these lower energies should therefore be analyzed separately from high-energy data. We take these to operate one propagation at the that they expend in protation of managers, about the take the configuration of particular importance in analysis of HE40. I ultraheasy data where there is a mixture of particles in these energy ranges

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Several different effects in the propagation of ultraheavy cosmic rays have been examined. We find the data support a flattening to the EPP correlation below about TeV. This aftering is in accord with models presented by Casse and Correlative in a cost agreement with the data cycept for the secondary subject, and an overahundance of Sn. In contrast, our propagations using the standard EIP correction fit poorly throughout the Sn-Ba peak.

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e Al and Good Political for the factorisms Ray Cont (Denset). P. H. Walter, R. N. F. Masheder, M. R. W., Mores, R. T., and S. A. 1281, Sulface, 201-45.

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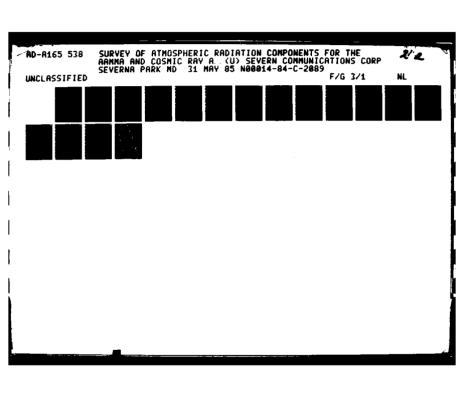
We have shown that a truncation of the path-length distribution, eliminating all path keights less than 1 gen. it results in vignificant filling of the valleys. This conclusion holds still more strongly if additional Pt and Ph are introduced considered to be r-process enhanced. A realization of such a distribution would be neutron enrichment in the immediate region of a supernova, followed by propagation through surrounding clouds. However, r-process enhancement degrades the fit for Z < 60. at the source or if the ultraheavies with Z > 60 are

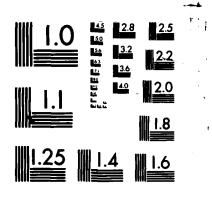
Exidence is presented for the distributed acceleration of Exidence is presented for the distributed acceleration of corner ary during propagation of Liefy per nucleon yields a very good fit to the ultraheavy data. This suggests that much of the propagation occurred at energies between 750 MeV per nucleon and 1.5 GeV per nucleon, and that at feast two acceleration stages bracket the propagation. The hypothesis of distributed acceleration is renforced by much adultional compositional evidence, both isotopic and adultional compositional evidence. elemental, at various energies

Finally, we show that ionization loss affects abundance ratios at the 3° a level at 5 GeV per nucleon and the 20°s level at 1 GeV per nucleon This work is supported parily by a NASA Guest Investigator grant for *HE40* 3. The work of J. R. L. was partially supported by the Naval Research Laboratory.

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LET-DISTRIBUTIONS AND DOSES OF HZE RADIATION COMPONENTS AT NEAR-EARTH ORBITS

Silberberg, 'C. H. Tsao, 'J. H. Adams, Jr * and J. R. Letaw ×

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MD 21146, U.S.A.

ABSTRACT

Among cosmic rays, the heavy nuclei ranging from carbon to iron provide the principal contribution to the dose equivalent. The LET-distributions and absorbed dose and dose equivalent have been calculated and are presented as a furction of shielding and tissue self-shielding. At solur minimum, outsite the magnetosphere, the unshielded dose equivalent of nuclei with atomic number $2 \ge 6$ is about $47 \, \mathrm{rem/year}$. The contribution of the target nuclei adds $7 \, \mathrm{rem/year}$. With $4 \, \mathrm{gCm^2}$ aluminum shielding, and at a depth of 5 min a biological phantom of 30 cm diameter, the respective values are 11 and 10 rem/year. Corresponding dose rates for orbits with various inclinations are presented, as well as the LET distributions of various components of cosmic rays.

INTRODUCTION

Since heavy cosmic ray nuclei contribute a large portion of the dose equivalent during space [lights, and since their nuclear interaction mean free path in materials is short, it is essential to carry out radiation propagation calculations with accurate nuclear spalation gross sections.

Our approach is in part based on Curtis /1/, who calculated the LET (Linear Energy Fransfer) distribution and dose equivalent due to comic rays and solar flare particles for the case of little shielding. Rowever, we include the partial inelastic nuclear cross sections of Sibberberg and Taso /2/ in a radiation transport calculation that includes separately all the isotopes of cosmic rays. This radiation propagation or transport calculation and dose to calculated even in the case of heavy shielding of several nuclear interaction mean free paths. Silberberg et al. /3/. It permits the LET procedures to calculating the LET distributions and doses at various depths of a procedure storatculating the LET distributions and doses at various depths of a biological water phantom exposed to coanic rays outside the magnetosphere. The procedure for actualistics and doses at various depths of a biological water phantom exposed to coanic rays outside the magnetosphere. Here we ested these calculations to various spacefalt orbits. Some of the calculations will be compared with the measured doses onboard the Space Transportation System, STS, obtained by Benton and Herke /6/ and co-workers; however, we have to complete first a radiation transport calculation for trapped protons, and obtain the orbital and shielding parameters of individual STS flights.

The procedures for calculating the LET-distribution, the absorbed dose and the do: equivalent (outside the magnetosphere, under shielded conditions) has been published. 14 /

Hence only a brief summary will be presented here; however, the just-developed procedure of integrating over the spectrum and the orbit (where the geomagnetic outoff varies) will also be discussed.

We have developed a radiation transport equation in matrix form /3/, using a complete set of stable as well as collision-generated unstable isotopes of cosmic rays, from $^{\rm l}_{\rm H}$ to $^{\rm l}_{\rm M}$ in this nuclear interactions, icolization losses and ablar modulation included. The calculation starts out which the measured composition and energy spectra of cosmic rays above the atmosphere; these have been reviewed and summarized by Adams et al. /7,8/. The energy spectra of hydrogen, heltum and from uncled at times of solar minimum and solar maximum are illustrated in fig. 1. The relative abundances of cosmic rays with $3 \le 2 \le 2\delta$ at energies raw 3 GeV/nuclen are above in fig. 2.

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Fig. 1. The differential energy spectra of comic-ray hydrogen, helium and iron, near solar minimum and maximum.

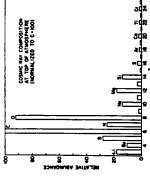


Fig. 2. The relative abundances of cosmic ray nuclei above a rigidity of 4.5 GV. Carbon has been normalized to 100.

The radiation transport calculations require the use of total and partial inelastic nuclear cross sections. About 5500 partial inelastic cross sections are used in the calculations. The partial inelastic oross sections of nuclear reactions with hydrogen are calculated from the smallempirical equations of Silberberg and Tsao /2'. Fig. 3 illustrates the basic form of the spallation equation, for the spallation of Fe into isotopes of Ar and V, with a comparison of experimental and calculated values of the cross sections at energies E \geq 3 GeV. These relations yield values of cross sections having one standard defination uncertainty of 30 per cent, and about 15 per cent when averaged over various product isotopes and the primary ocamic ray nuclides. Fig. 4 compares the ratio of calculated and experimental cross sections of nuclei with 6 \leq 2 (6. The partial cross sections of nucleus-nucleus reactions are calculated using the procedures of Silberberg and Tsao /9'. The total inelastic cross sections of nuclei with proteons, including the energy dependence, are calculated from Letaw et al. /10', and for nucleus-nucleus reactions, using the equation of Silberberg et al. /4'.

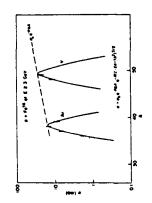
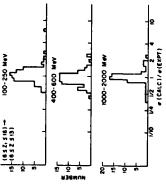


Fig. 3 Illustration of the terms of the spallation equation. The example shows the expensestal and calculated cross sections of iron into laotopes of Ar and V, at energies 2 3 GeV. at energies > 3 GeV.



experimental production cross sections of nuclei with 6 \leq Z \leq 13 from targets with 6 \leq Z \leq 16, in three energy intervals. Comparison of calculated and

The dose due to the interaction products of cosmic ray protons and seco (from the stationary target nuclei) is adopted from Armstrong et al. /11/.

The output of the propagation program yields differential energy apectra dJ /dE of all nuclear species above energies of 1 MeV/nucleon, at various depths of a given material. These spectra are then summed to yield those for each element.

The equations and the procedures for calculating the differential and integral LET spectra of the various nuclides are given in ref. /4/. Also the equations and procedures for calculating the absorbed dose rates and the dose equivalents of the various nuclides are given in ref. /4/. We shall now consider the effects of geomagnetic cutoff and azimuthal angle dependence on the comic ray fluxes and doses, including their integration over the orbit. Vertical geomagnetic cutoffs have been computed at altitudes of 20 km by Shea and Shart /12/, using a precise model of the geomagnetic (field. A world map of the vertical cutoff rigidities, expressed in units of GV, is shown in fig. 5.

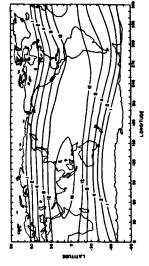


Fig. 5 World map of vertical cutoff rigidities

The cutoff rigidity in directions other than the vertical depends on the angle of arrival relative to magnetic vest. At a given location, the lowest energy particles arrive only within a narrow cone surrounding angretic vest, while the cutoff is greatest within the cone dus magnetic east. These cones are called Stormer cones.

Fig. 6 shows the ratio of outoff to vertical outoff as a function of vertical outoff and Stormer cone angles.

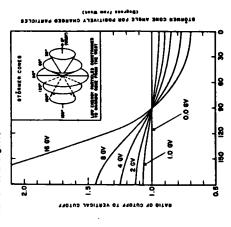


Fig. 6. Geometric outoffs as a function of the Stormer cone angle.

LET-Distributions and Doses

147

The Stormer cone angle Y is related to the azimuthal angle 6 and zenith angle 6 by:

The azimuthal angle a hare is measured from the magnetic east. The relation between the Stormer cone angle v, and cutoff rigidity is approximately:

$$R = 4R_{\nu} \left[1 + \left(1 - \cos \gamma \cos \frac{3}{\lambda} \right)^{1/2} \right]^{-2}$$
 (2)

where λ is the magnetic latitude and $R_{f V}$ is the vertical cutoff rigidity.

In carrying out the integration over the orbit, the fluxes were summed over about 5000 locations traversed by the spacecraft over a two day period. In this present calculation, only the vertical cutoffs were used; the integration over zenith and azimuthal angles has been reserved for the future.

RESULTS

In this section we present our calculated results of LET distributions, the absorbed dose and the dose equivalent due to comic rays. These quentities have been calculated for four cases: (1) outside the magnetosphere, (2) in an orbit of 90 inclination at an altitude of 300 km, (3) in an orbit of 50 inclination at an altitude of 300 km, and (4) in an orbit of 90 inclination, at an altitude of 300 km, and (4) is an orbit of 30 inclination, at an altitude of 300 km, good for cases is evaluated for four subcases: (a) at the certers of spheres, of water, up to a depth of 30 cm, (3) as see as above but with an aluminum shield of 4 g/cm outside the water sphere, (c) at various depths in a water phantom of 30 cm dismeter, and (d) with an aluminum shield of 8 g/cm outside the water phantom.

Figs. 7(a) and (b) display the LET distributions and the integral absorbed dose rates at the surface and at the center of the 30 cm dismeter water phantom, at solar miniams, outside the earth's magnetosphere. The relative contributions of the elements H, He, Li to B, C to O, F to S and G1 to Fe are about.

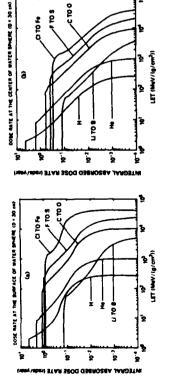


Fig. 7. The relative contributions of sequential cosmic ray elements to the integral LET of distributions and annual absorbed doses at (a) the surface and (b) at the center of a sphere of water of 30 om diameter, at solar miniama, outside the earth's magnetosphere.

Table 1 shows the annual absorbed doses and dose equivalents at various depths 0.1 to 15 g/cm², within a spherical water phantom of 30 cm dismeter. The values shown are again calculated for solor minimum, outside the earth's magnetosphere. The small degree of attenuation can be noted: the aboatbed dose rate changes from 10 rad/year to 7 rad/year between depths of 0.1 and 15 g/cm². Particles from breakup of the stationary nuclei contribute another 30 of a rad/year. Linas 2 and 3 show the dose equivalent reses with and without a shield of 4 g/cm² aluminum, respectively. The relative contributions of different elements in cosmic rays to the dose equivalent rate are shown in Fig. 8, at warous depths in the water phantom. The more rapid attenuation of the heavy elements can be seen; yet even at the center of the water phantom, the dose equivalent due to the elements 2 ≥ 6 dominates.

Table 1. The Annual Cosmic Ray Dose at Various Depths within a Sphere of Water of 30 om Dismeter.

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2	7.7
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0.5	۶. ^۲
0.2	9.5 36
Line	« 60

Aline 1 gives the absorbed dose rate (rads/yr); line 2, the dose equivalent rates (rem/yr); as does line 3 behind an additional shield of 4 $\mathfrak g/cm^5$ Al.

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Z,

2

Becondary neutrons and electrons add $^-$ 5 rem/year to these values. With proton interactions, the total secondary contribution is $^-$ 9 rem/year.

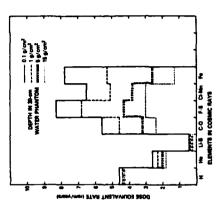
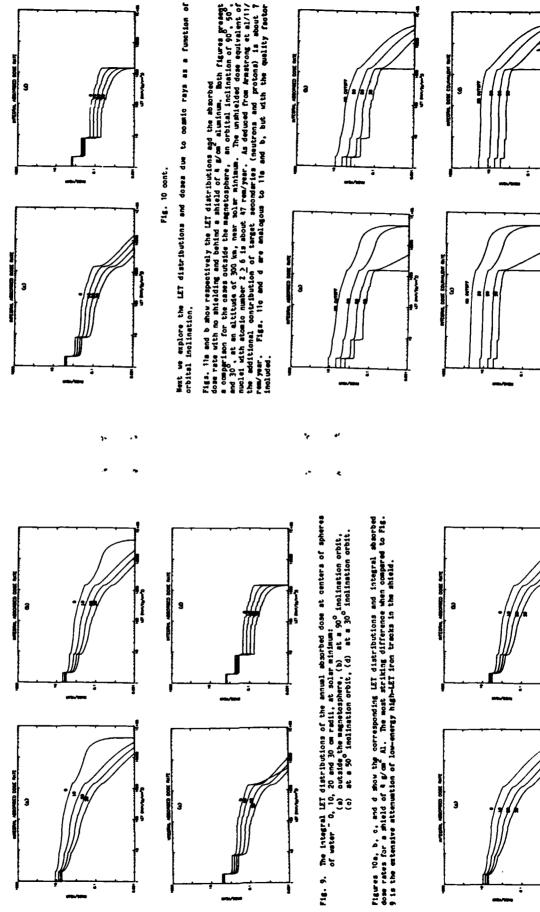


Fig. 8. The annual dose equivalent due to comio-ray elements at various depths of a 30-om water phantom, at solar affatum, outside the mannetosphere.

The attenuation of the LET distribution in water (calculated at the centers of spheres of water of various dismeters) is shown in Fig. 9s. The larger attenuation of heavy nucles that have large values of LET is striking. A comparison of Fig. 9s. 9b. 90 apply 9d shows the respective LET distributions and integral absorbed dose pates (a) outside the magnetosphere, (b) at an orbital inclination of 90°, (c) at 50°, and (d) at 30° solar minimum, and at an altitude of 300 km. The contribution of the trapped radiation is not shown—this will be discussed subsequently. The contribution from the breakup of stationery target nuclei due to cosmig ray interactions adds to the absorbed dose 205 at 40° at a latter of 10° at 30° g/cm². For cases (b), (c) and (d) a solid angle of 2.7° at attentions is used.



A-93

Fig. 10 cont.

149

LET-Distributions and Doses

R. Silberberg et al.

148

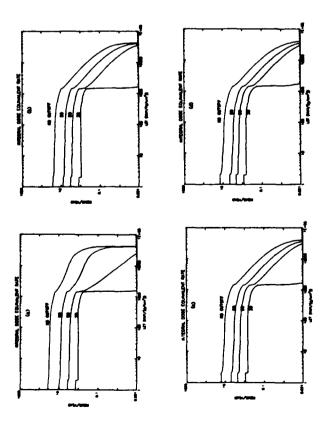
Fig. 11. A comparinon of the LET-distributions of the annual absorbed dose outside the magnytosphere at a 90', 50° and 30° orbit, (a) with no shielding, and (b) shielded by 4 g/cm² aluminum. The corresponding dose equivalents are shown in (c) and (d).

Fig. 10. Sme as Fig. 9, but with 4 p/cm2 aluminum shielding.

Section 1

Section 16

Figs. 12s and b present the LIT distributions and the dose equivalents due to dosmid rays at solar minima, near the surface of a unter phastness of 30 cm dismetrie, bith and without a shield of a grad Al. The four curres again compare the cases outside the megratosphere, at an orbital inclination of 90° c9°, s0°, and at 30°. Figs. 12c and d show the responding LET distributions of 90° c9° contribution of 90° c9° contribution of 90° c9° coult at the center of the water ph. .on. The contribution of secondary particles from the breakup of stationary target nuclei adds shout 20% to the dose equivalent at the surface of the phantom, and about 40% when shisladed by a great mild is adds sold with the All shislating, about 60%. The contribution by secondary contribution estimated on the basis of Amastrong et al. /11/.



A-94

Fig. 12. The LET distributions of the annual dose equivalent outside the magnetosphere, at a 90°, 50° and at a 30° orbit. (a) at the surface of a water phantom of 30° cm diameter, (b) same, but shislded by 4 g/cm² aluminum, (c) at the center of the vater phantom, and (d) at the center of the phantom, anielded by 4 g/cm² of aluminum.

In addition the contribution of the trapped radiation to the total radiation dose must be considered. (The important but sporadic contribution of solar flare particles is not treated in this paper). Benton and Menke 1/3 present the dose rates of the trapped radiation at 48.5 g/cm alumnium as a function of orbital altitude and orbital inclination, at solar minjaum. They estimate that the dose rate at 300 km is il radia/para, at an orbit of 30 inclination, and of radia/para at 60. With a few g/cm of shielding, the dose equivalents due to commit or any and trapped particles are similar near solar minimum, at 300 km altitude, for orbital inclinations of 30 to 60.

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STATES OF THE PROPERTY OF THE

Radiation Doses and LET Distributions of Cosmic Rays

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Streenerg, R., Tsag, C. H., Adams, J. H., Jr., and Letaw, J. R. Radistion Doses and LET Distributions of Cosmic Rays. Radiat. Res 98, 209–226 (1984). Among cosmic ray, the beavy nuclei (HZE particles) like iron provide the dominant contribution to the dose equivalent daring exposures in space. The LEI distributions and radiation does of cosmic-ray components have been calculated—with and without the quality factor—for a story distribution and not successful and explained to the dose quivalent are able explored. The transport calculations of the nuclei in air, abieding materials, and biological issue-like materials were carried out using the partials and total ancher cross-section equations and nuclear propagation codes of Sibberbers and Faso. Qualities for conservative materials, and belongical issue-like materials were carried out using the partial and total ancher cross-section equations and nuclear propagation codes of Sibberbers and Faso. Qualities for conservative previous and heavy nuclei with atomic nuture briefled does and 47 remypergers, respectively. With 4 grant aluminum siteiding and at a depth of 5 about 5 and 47 remypers. The process and previous of the experive values of the done equivalent of protons and barriers of the consequivalent of protons that is relatively modes, while that of heavy nuclei is larger due to the larger interaction cross section. The done equivalent of neutrons in the shielded case mentioned above is similar to that of protons. The belongical fixts are tentalisely assessed in terms of the BEIR 1980 report. Unservatives in risks due to the opposite but and the patients of an educing the uncertainties in the estimates of studies by indioblologies are suggested for reducing the uncertainties in the estimates of the section.

INTRODUCTION

Radiation exposures in space and the upper atmosphere are due to various sources: galactic cosmic rays, solar flare particles, trapped radiation, and secondary particles. When the Apollo flights were planned, the biological hazards were summarized at the Second Symposium on Protection against Radiations in Space (see Foelsche (J)). This was followed by the reports at the National Symposium on Natural and Manmade Radiation in Space (see Amstrong et al. (2)). A more recent survey of space radiation and biology has been edited by Tobias and Todd (3). The chapter by Curtis (4) deals with space radiations and the associated doses. The absorbed dose and dose equivalent

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paper deals especially with the heavy nuclei and their radiation transport, there are latter can be calculated with the HETC Code of Armstrong and Chandler (6) (which at aircraft flight altitudes, about 10 to 20 km, have been reviewed (5). While our other important radiation components—secondary protons, neutrons, and pions. The can be combined with slow neutron and electromagnetic cascade codes) or the analytic techniques of O'Brien (7). More recently, Daniel and Stephens (8, 9) have reviewed and calculated the propagation of electrons at atmospheric depths of 2.6 to 100 g/cm².

The propagation and nuclear transformations of heavy cosmic-ray nuclei in interstellar hydrogen have been explored by Shapiro and Silberberg (10) and more recently by Silberberg et al. (11) using the partial cross-section equations of Silberberg and Tsao (12). The latter equations have been extended to collisions between heavy nuckei, including propagation of heavy nuckei in the atmosphere and in various matenals (13). Recently we developed a highly precise formalism for calculating the total inelastic proton-nucleus cross sections (14).

In this paper the transformations of the nuclear composition and the LET distributions in shielding and in tissue are calculated. The relative contributions of various elements in cosmic rays to the absorbed dose and dose equivalent are estimated. Using the quality factor-LET relation proposed by the RBE Committee (15) to the ICRP and ICRU, the dose equivalent due to cosmic rays even behind typical spacecraft thielding is shown to be dominated by the heavy nuclei.

METHODS

To calculate the absorbed dose and dose equivalent due to cosmic rays and solar flare particles in biological tissue behind shielding we used the following procedures: A radiation transport equation in matrix formwas developed further by three of the authors of this paper (16) so as to include the complete set of isotopes in cosmic rays, from 'H to "Ni, with ionization losses and solar modulation included.

In this calculation we start from the unshielded composition and energy spectra of cosmic rays and solar flaw particles. The composition of cosmic rays adopted here is based on the review of Shapiro and Silberherg. (10), as updated by Silberberg et al. (17) and Adams et al.! (17). In the latter publication we provided a modeling procedure to calculate the energy spectra of various cosmic-ray nuclides at different times in the 11-year solar cycle. The integral flux of cosmic-ray protons and helium is adopted from Rygg² and the ratio of Fe/IC, O) from Engelmann et al. (18).

Figure I shows the unshielded composition, i.e., the relative abundances of cosmic-ray elements for Homic numbers $3 \le Z \le 26$, normalized to 100 for carbon, at a rapidity cutoff of $\sim 4.5~\mathrm{GV}$, corresponding to a geomagnetic latitude of $\lambda \sim 45^\circ$.

responding, respectively, to $\lambda = 45^\circ$ and close to the geomagnetic equator) are obtained from Table 1 by applying respective weighting factors of 0.2 and 0.03 for hydrogen, 0.2 and 0.04 for He, C, O, Ne, Mg, and Si, and 0.3 and 0.06 for Fe. The weighting factors are based on the energy spectra given by Adams of high geomagnetic latitudes. Also near solar minimum the fluxes and doses vary," values 5% lower and 20% ligher than those used here occur in literature. The fluences at rigidity cutoffs of 4.5 and 16.5 GV (cor-Table I shows the elemental fluxes of cosmic rays at the top of the atmosphere near solar minin

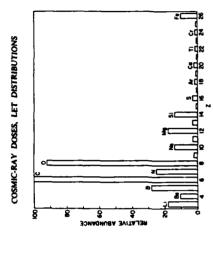


Fig. 1. The relative abundance of elements is cosmic rays, from Li to Fe, normalized to 100 for carbon, at a rigidity cutoff of 4.5 GV.

for atomic numbers 1 < Z < 28, as well as the composition for a degree of heavy ion enhancement such The composition of solar flare particles varies from flare to flare. We have estimated the average composition as occurs in 10% of the flares.

The energy spectra of the various cosmic-ray nuclei used in the calculation here are those of our recent review, where the spectra from 10 to 103 MeV/nucleon are shown. A comparison of the energy spectrum ation and energy spectra of the incident nuclei, the radiation transport calculations of a very large solar flare (Aug. 4-6, 1972) with that of cosmic-ray protons is given in Fig. 2. In addition to the comp

require the use of total and partial inclustic cross sections.

Using Rudstam's equation (19) as a starting point, we have constructed (12) a semiempirical equation applicable for calculating the partial cross sections of target suctides in the range of mass numbers $9 \leqslant A_c$ < 209 and products with 6 < A < 200.

 $a = a_0/(A) f(E) e^{-PhA} \exp(-R|Z - SA + TA^2|\gamma) \Omega \eta \xi$

The factors and parameters of Eq. (1) are defined in Ref. (12). For targets with Z_i < 29, and energies >1 GeV, calculations with Eq. (1) yield values of cross sections having one standard deviation uncertainty of 30%; when averaged over various product isotopes and target elements, it reduces to about 10 or 15%.

, ster - sec	0.046	0.11	0.025	0.072	90.0	0.072	0.049	0.48	
is or randocym	×	đ	×	F	>	ŏ	¥	æ	
It Solar Min., in Units of Particles/m' ster-see	0.87	0.17	Ξ	0.20	0.87	0.048	0.17	90.0	0.065
J Mev/nucl. at 5	ž	ž	¥	₹	汤	۵.	S	٥	₹
comic-Kay Flux, £ > 160 MeV/nucl.	2500	240	Ξ	0.58	9:1	9	₹.	5.5	0.095
Cosmic	I	£	:3	ä	•	ပ	z	0	u.

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¹ J. H. Adams, Jr., R. Silberberg, and C. H. Tsao, Connic Ray Effects on Microelectronics, Part I; The near-earth particle environment. NRL Memo Report 4506, 1981.
² T. A. Rygs, Cosmic Ray Proton and Helium Measurements over Half a Solar Cycle, M.S. Thesis, University of Maryland, 1970.

STATES STATES

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The total inchastic cross sections of pucheus-nucleus reactions are calculated from the equation

$$\sigma_d(N_1 + N_2) = 10\pi 1.26^2 (A)^{12} + A_2^{1/2} - 0.4)^2 mb.$$
 (5)

This equation is similar in form to that of Cleaporn et al. (21), but the numerical parameters are based on our survey of more recent experimental data: Cheahire et al. (22), Lindstrom et al. 3 and Westfall et al.

(23). The attenuation rate is ~15% higher than with the use of Cleghorn's cross sections. The production arts of H and He is collisions of cosmic rays having 2 ≥ 3 were adopted from the fragmentation parameters of Fereir and Waddington (24) and Saito (25). The production rates of H and He is collisions of cosmic-ray betium were adopted from Meyer et al. (26) and Lingenfelter and

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Ramaty (27).

The nuclear transformations and energy losses of cosmic rays in materials were calculated (using the The nuclear transformations and energy losses of Cinzburg and Syrovatskii (28). This procedure has above cross sections) with the diffusion equation of Cinzburg and Syrovatskii (28). This procedure has been described by Shapiro and Silberborg (10), with appropriate approximations, the diffusion equations reduce to

$$\frac{\partial J_1}{\partial x} = -J_1\left(\frac{N}{\sigma}\right)\sigma_1 + \sum_{j,j} J_1\left(\frac{N}{\rho}\right)\sigma_2 + \frac{\partial}{\partial E}\left[J_1\left(\frac{dE}{dx}\right)_j\right]. \tag{6}$$

Here J_i is the differential flux of cosmic-ray particles of isotopes of type i, x is the path length in units of g/cm^2 , dE/dx is the (positive) stopping power, $N = annay/cm^2$, $\rho = mass/cm^2$, ρ is the total inchastic cross section of a nucleus of isotope l, and ρ is the partial cross section of a nucleus of type l yielding one of type l. The aummanism over ρ able takes care of multiple fragment production. For a composite material, r_i and σ_i are summed over all the nuclei of a molecule and N represents molecules/cm²: σ_i , or water, σ_i in Eq. (b) is replaced by $Z_{SU,i} + \sigma_i$, Equation (c) has been expressed in matrix from by Lettaw of al. (4). The straight-ahead approximation with similar velocities for projectiles and fragments was adopted. The done due to interactions of cosmic-ray protons and secondary neutrons (the contribution of the stationary)

target nuclei) is adopted from Armstrong et al. (2).

The output of the propagation program yields the differential energy spectra dL/dE of all nuclear species above energies of 1 MeV/nucl. at various depths of a given material. These spectra are then summed to above energies of 1 MeV/nucl. at various depths of a given material. These spectra are then summed to yield those for each element. In Eqs. (7) to (9) below, we use the abbreviated notation dJ/(E)/dE = J/(E) and dJ/(S)/ds = J/(S) as in Eq. (6) above.

The differential LET spectra of the various nuclides i are obtained from

$$J_{i}(S) = J_{i}(E) \frac{dE}{dS}$$

ε

where S is the stopping power. The integral LET spectrum is given by

The absorbed dose rate from nuclides of type i, with stopping power $S > S_0$ is given by

$$D_{i}(S > S_{0}) = \int_{S_{0}}^{\infty} J_{i}(S)SdS.$$
 (9)

Here S = dE/dx with S_0 that of singly charged minimum ionization particles; if x is in units of g/cm^2 , J is in units of puriotes/cm² see, and E is in units of 100 ergs, then D is given in units of rad/nec. For the dose equivalent, the integral of Eq. (9) also contains the quality factor or Q, discussed in the next paragraph. Then D (in rem/sec) is given by

$$D_i(S > S_i) = \int_{s_i}^{\infty} J_i(S)_i Q(S) S dS.$$
 (19)

 P. J. Lindstrom, D. E. Greiner, and H. H. Hockman, private communication at American Physics Society Meeting, Washington, D. C., April 1972.

ENERGY (Mev)
P.C. 2. A comparison of the time-integrated differential energy spectrum of protons for the solar flares of August 4 to 7, 1972, with the spectra of commic-ray protons accumulated in I week.

The partial cross sections of nuclear-nucleus reactions are roughly proportional to those of protonnucleus reactions, according to Lindstrom et al. (20). However, there are model-size deviations from this scaling relation, and we use here the empirical relationship of Silberberg and Tao (13) $e(N_1 + N_2) = e(N_1 + p)S_{el_1 1 1}$ (2) for the collision of a cosmic-ray nuclide N_1 (with $Z_1 > 4$) with a stationary nuclide N_2 . Here S_1 is the scaling factor, ϵ_1 is the enhancement factor for products with $3 < Z < S_1$, if it the enhancement factor for products with $3 < Z < S_2$, is the enhancement factor for products with $3 < Z < S_2$, is the enhancement factor for products with $3 < Z < S_2$, in the enhancement factor for products with $3 < Z < S_2$, in the enhancement factor for products with $3 < Z < S_2$, in the enhancement factor for products with $3 < Z < S_2$, in the enhancement factor for products with $3 < Z < S_2$, in the enhancement factor for products with $3 < Z < S_2$ in the enhancement factor for the factor for the factor for the energy of the recoil fragment of the stationary nucleus N_2 is a few mega-electron volt; hence its energy deposition is negligible in comparison to the fragment of N_2 . However, the contribution of recoils from the numerous cosmic-ray proton interactions and $1 < S_2 < S_3$ in the configuration of protons at high energy, $S > S_3$ (GeV) was,, is calculated from Letaw et al. (14):

$$\sigma_{\text{c}}(\text{H.E.}) = 45A_{\text{c}}^{0.7}[1 + 0.016 \sin{(5.3 - 2.63 \ln{A_{\text{c}}})}]\text{mb.}$$
 (3)

This retailor has one standard deviation uncertainty of \sim 2%. At lower energies, down to about 10 MeV, the total inelastic cross section is calculated from

 $\sigma_{c}(E)=\sigma_{c}(H,E,N)=0.62$ exp(-E/200) sin ($10.9E^{-0.20}$); where E is is units of mega-electron volts per nucleon.

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The I ET distributions of cosmic rays and solar flare particles are multiplied by the LET-dependent quality sterors to obtain an estimate for the contribution of various nuclei to the dose equivalent. The quality factors Q defined in terms of LET intervals (13) were approximated in our calculations by Q for LET < 35 MeV/(lg/cm² + H_QO) and Q = 0.072 LET^{2*} for 35 < LET < 2000 and Q = 20 for LET > 2000. This approximation may underestimate Q near 1000 to 2000 MeV/(lg/cm²) by about 10%. We also explore the effect of a reduced value of Q for very high values of LET as a result of microbeam structure (4) of very highly ionizing particles, when the energy deposition is larger than needed to kill the traversed cell. The corresponding decrease of RBE is illustrated by Toold and Tobias (29).

We also explore the effects of a larger quality factor at low doses. The 1980 BEIR report (30) proposes a quality factor of ~25 for neutrons, instead of 10, adopted earlier (15). The calculations of Loewe and Mendelsohn (31) give a reduced estimate of the neutron dose at Hiroshima and would imply a need to revise the 1980 BEIR report. However, a large RBE (and hence of Q) for low doses of high-LET radiations like neutrons is still supported by the measurements of Bateman et al. (32) for lens opacification of mice and Sheliabarger et al. (33) for an manmary carcinogenesis.

RESULTS

In this section we present our calculated results of LET distributions, the absorbed dose, and the dose equivalent due to cosmic rays at various depths of tissue (approximated by water). The propagation (or radiation transport) calculations deal individually with all the nuclides from ¹H to ⁸Fe, though the tables shown here represent summations over groups of neighboring elements.

The calculations are most for four sets of cases: (a) at the centers of spheres of water, up to 30 cm in radius; these can readily be converted to attenuation of vertically incident flux in slabs of water of various thicknesses; (b) a set of calculations similar to those in (a), but with an aluminum shield of 4 g/cm² outside the spheres of water; (c) an isotropic flux of cosmic rays is considered to be incident on a water phantom of 30 cm diameter; the absorbed dose aquivalent is then calculated at various depths (from 0.1 to 15 cm) in the water phantom; (d) a set of calculations similar to those in (c), but with an aluminum shield of 4 g/cm² outside the water phantom.

Figures 3a and b (unshielded and with 4 g/cm² Al, respectively) show the absorbed doses and the integral LET distributions of the absorbed dose of cosmic rays at centers of spheres of water of ~0, 5. 10, 15, 20, 25, and 30 cm radii for a 1-year exposure. (The integral LET distribution of the absorbed dose represents the absorbed dose above a given value of LET.) The flux is taken to be isotropic, and the energy spectrum like that in the solar system, near the earth orbit, at solar minimum, outside the earth's magnetosphere. The doses and LET distributions would be similar within slabs of water of the above thickness, for a unidirectional fluence similar to the ormidirectional cosmic-ray fluence integrated over a 4π solid angle, with a similar energy spectrum and nuclear composition. The unusual features of the curve for ~0 cm of Fig. 3a (especially the shoulder above an LET of 10² MeV cm²/g) are due to the fluxes of particles below 25 MeV/nucl, which are absorbed in less than 1 g/cm² of water. As a result, these features are not present in the other curves. Finally, notice the relatively small attenuation (about a factor of 2) in the absorbed dose from 0 to 30 g/cm² of water.



215

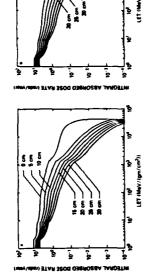
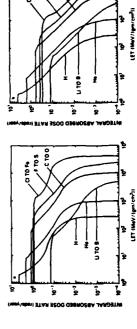


Fig. 3. The integral LET distributions of the annual absorbed dose of cosmic rays at centers of spheres of water of 0, 5, 10, 15, 20, 25, and 30 cm radii, at solar minimum, outside the earth's magnetosphere (a) without shielding, (b) with 4 g/cm² aluminum shielding.

Figure 3 does not show clearly the relative contributions of the various nuclides in cosmic rays. These relative contributions are displayed in Fig. 4 for the elements H, He, Li to O, F to S, and CI to Fe. Figures 4a and b show the annual absorbed doses and the integral LET distributions of galactic cosmic rays for a 30-cm spherical water phantom at the surface and at the center, respectively. The flux is again taken as isotropic, and the energy spectrum like that at solar minimum near the earth orbit, outside the earth's magnetosphere.

Figures 5a and b show the corresponding annual dose equivalent and the integral LET distributions at several depths of a sphere of water 30 cm in diameter.

Table II (lines I) gives the annual absorbed doses due to various elements in cosmic rays at the centers of spheres of x g/cm² of water. Again, the calculations are based on an isotropic flux at solar minimum, near the earth orbit, outside the earth's magnetosphere (close to earth, but outside the atmosphere, and near the magnetic



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Fig. 4. The relative contributions of cosmic-ray elements H. He, Li to B. C to O, F to S, and Cl to Fe to the integral LET distributions (a) at the surface of a sphere of water of 30 cm dejarieter, and (b) at the center of suphere of variet of 10 cm daineter, at solar minimum, outside the earth's magnetoapphere. The respective assulad dones are also shown.

Fig. 5. The integral LET distributions of the dose-equivalent rate (rem/year) of cosmic rays at depths of 0.1, 1, 5, and 15 cm within a 30-cm diameter water sphere. The cosmic ray flux at solar minimum outside earth's magnetosphere is unshielded in (a) and shielded by 4 g/cm² aluminum in (b).

poles, the doses are half of those shown). It should be noted that the total absorbed dose due to the nuclear component is attenuated rather little (from about 11.5 to about 5.4 rad) as the cosmic rays pass through 30 g/cm² of water. However, the dose of HZE particles (Z > 3) is then attenuated by a factor of 6. The odd-Z elements are attenuated less; they have low initial abundances and get built up as secondary products, especially Li and F. For significant amounts of material traversed (> 10 generated by them must also be considered, using, e.g., the HETC Code of Armstrong and Chandler (6) or the techniques of O'Brien (7) and for electrons, those of Daniel and Stephens (8, 9). The last line gives also the contribution of nuclear recoils and secondary protons and alpha particles calculated by Armstrong et al. (2) due mainly to cosmic-ray protons, and neutrons generated by them.

Table II (lines 2) illustrates the shielding effect of 4 g/cm² aluminum, a value typical of spacecraft shielding. Again, these data present the annual absorbed doses due to various elements in cosmic rays at the centers of spheres of x g/cm² of water. (The relative attenuation is similar for slabs of x g/cm² of water.) We note the modest degree of attenuation by 4 g/cm² aluminum—even for iron nuclei at $x \approx 0$ g/cm² of water, the dose is attenuated by ~40%. The last line also gives the secondary contribution (2).

Table II (lines 3) shows the annual cosmic-ray absorbed dose times the quality factor at the center of a sphere of water of radius x g/cm² at solar minimum, outside the magnetosphere. One notes the appreciable attenuation between x = 0 and 30 g/cm² (from 55 rem down to 8 rem); this is due to the attenuation of the heavy nuclei that have large quality factors (up to \sim 20). Again, the last line also gives the secondary contribution (2). The combined values agree within 10% with corresponding calculations by Alsmiller et al. (34).

Table III (lines 1) gives the annual absorbed doses within a spherical water phantom

of 30 cm diameter, at a depth of b g/cm² from the surface of the sphere. Here b ranges from 0.1 to 15 g/cm². The tabulated values again represent those at solar minimum, outside the earth's magnetosphere. One notes here the small degree of

COSMIC-RAY DOSES, LET DISTRIBUTIONS

217

TABLE II

Annual Cosmic-Ray Dose in Water at the Center of a Sphere of Water

			i	Radius (g/cm²)		
Element	Line	0~	3	10	13	8
	 	1.5	£.)	\$	77	3.9
:		.	4.3	.	4.2	3.8
	m	2.5	7.	4.3	£	3.0
4	-	2.5	2.1	9 :	5.1	91
=		2.4	1.7	1.7	<u>*</u>	6
	(P)	35	7.	1.2	=	Ξ
4 5 :	-	0.2	0.2	0.1	-0	5
3	- ~	1	0	0.0	-6	9
	4 10	0.5	70	0.3	0.3	0.7
3	-	1.7	-	8.0	9.0	0.3
3	۰ ،	7	0.	6.7	0.5	0.2
	ı m	8.5	5.1	3.5	2.4	6 .0
9	-	71	8.0	9.0	7.0	
2	٠.	0.1	0.7	6.5	0.3	<u>-</u>
	I M	13.2	2	4.6	3.0	0.
5	-	0.7	4.0	0.3	0.2	9
	٠,	•	0.3	0.2	0.2	-
	m	9.11	5.5	7	5.9	9
ق	-	0.7	0.3	0.2	1.0	0.01
<u>.</u>		50	0.2	<u>.</u>	1.0	<u>0</u> 0
	ı m	<u>*</u>	\$. \$	2.7	3	0.7
Total	-	11.5 + 2	9.2 + 3	8.1 + 4	7.2 + 4	5.4 + 3
1	٠,	10.2 + 3	8.6 + 4	7.5 + 4	6.8 + 4	5.2 + 3
	. •	55 + 7	31 + 14	22 + 11	16 + 8	8.3 + 6

• Lines I give the absorbed dose rates (rad/year) in water; lines 2, those shielded by 4 g/cm² of Al; and lines 3, the absorbed dose rate times the quality factor (rem/year). The last three lines also give the accommy dose of Armstrong et al. (2).

attenuation between b=0.1 and 15 g/cm²; the absorbed dose changes from ~10 to ~7 rad/year. The last line also gives the absorbed dose due to secondaries (2).

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Annual Cosmic-Ray Dose Within a Sphere of Water of 30 cm Diameter

219

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				Depth	Depth (g/cm²)		
Element	Line	0.1	0.5	1	3	10	15
×	_	*	\$	4.3	42	4.2	4.2
	~	4.6	4.5	4.4	4.3	4.3	€.
	•	.	?	.	4.2	42	4.2
Æ	-	2.0	2.0	6:	1.7	9:	2
	~	2.6	2.4	2.3	2.0	-	-
	٣	7.7	2.1	2.0	8 .	1.7	9:1
Li to B	-	0.1	0.1	0.1	0.1	0	0.1
	7	9.0	7 .0	0.3	0.3	0.3	0.3
	•	0.3	0.3	0.3	0.3	0.3	0.3
C to O	_	7	Ξ	0.1	8.0	9.0	9.0
	7	9.6	3.1	4.6	3.2	5.6	2.4
	€	T	4.0	3.7	7.6	2.2	2.0
FtoS		6:0	0.8	0.1	0.5	9.0	9.
	7	8.3	7.5	9 .9	£.4	3.3	3.0
	٣	63	5.7	\$2	3.4	2.7	2.5
C) to Mn	-	7.0	0	03	0.3	0.2	0.2
	~	6.5	5.6	5.1	3.8	3.1	3.0
	6	\$	0.4	3.7	2.9	2.5	2.4
2	_	4.0	7 :0	0.3	0.7	1.0	0.1
	7	7.8	₽.9	5.3	5.6	9.1	
	m	8 .	‡	3.8	2.0	7	Ξ
let.	-	9.5 + 3	9.1 + 3	8.8 + 3	7.7 + 3	7.3 + 4	7.2 + 4
	7	36 + 7	32 + 7	29 + 8	50 + II	17 + 9	16 + 8
	•	26 + 10	25 + 10	23 + 11	17 + 10	15 + 9	14 + 8

*Lines 1 give the absorbed dose rates (rad/year); lines 2, the dose-equivalent rates (rem/year), as do lines
 3 behind a shield of 4 g/cm² Al. The last three lines also give the secondary dose of Armstrong et al. (2).

can thus be obtained by combining the calculations of our nuclear propagation programs with those of the HETC program of Oak Ridge (6), and the associated slow neutron and electromagnetic cascade codes.

Table III (lines 3) illustrates the relatively modest effect of a 4 g/cm² aluminum shield on the dose-equivalent rates at various depths within a 30-cm water phantom. The contribution of the heavy nuclei still dominates. This table illustrates the absorbed doses of cosmic-ray nuclei for astronauts in a typical spacecraft outside the magnetosphere. The last line also gives the dose-equivalent ratio due to secondaries from proton interactions (2).

The contribution of various elements or groups of elements (H, He, Li-B, C-O, F-S, Cl-Mn, and Fe) to the dose-equivalent rate at various depths of a 30-cm water phantom is illustrated in Fig. 6. This figure displays the relative contribution of the

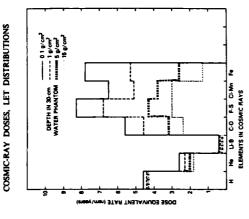


Fig. 6. The annual dose equivalent due to cosmic-ray elements H, He, Li to B, C to O, F to S, Cl to Mn, and Fe at various depths of a 30-cm water phantom, at solar minimum, outside the earth's magnetosphere.

various groups of elements to the dose equivalent, the dominance of the heavy nuclei over protons and helium, and the relatively rapid attenuation of the heavy nuclei with depth within the water phantom.

The errors in the dozen-rate estimates are about 20%. The cross sections when averaged over the product isotopes of an element have a standard deviation of 10 to 15%, the relative cosmic-ray abundances about 10%, largely due to the uncertainty in the ratio (C + O)/He, and the uncertainty in the contribution of neutrons and electrons about 10%.

The cosmic-ray dose rates of the figures and graphs are the average values for a couple of years at the time of solar minimum; the peak dose rate is about 10% higher.

Figures 7 and 8 illustrate the attenuation of the heavy nuclei in the atmosphere, for groups of nuclei Li-B, C to F, Ne to Si, Ca to Mn, and Fe to Ni. Figure 7 represents the vertical flux, while Fig. 8 illustrates the total flux from the upper hemisphere of 2π solid angle. Figure 8 is based on our propagation calculations, as is Fig. 7, below 20 g/cm². Between 20 and 60 g/cm², Fig. 7 is based on the calculations done by Alklofer and Heinrich (35). The experimental data shown, those of Webber and Ormes (36), agree well with the calculations.

At altitudes below 30 km (~12 g/cm²) HZE nuclei become rapidly attenuated, and the high-LET atmospheric radiation component is dominated by neutron-generated interactions. About half of the dose equivalent at airplane flight altitudes, is due to neutrons. The absorbed doses and dose equivalents at altitudes 10-20 km have been reviewed by the Advisory Committee for Radiation Biology Aspects of the SST (5). Reviews of the experimental data and Monte Carlo calculations of

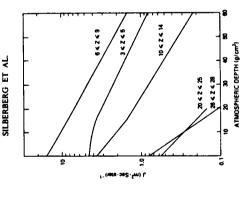


Fig. 7. The attenuation of cosmic-ray nuclei, as a function of atmospheric depth. The fluxes represent the integral vertical intensities at high geomagnetic latitude (E > 360 MeV/nucleon) at solar minimum. The experimental data are from Webber and Ormes (36).

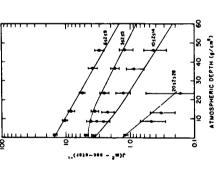


Fig. 8. The attenuation of cosmic-ray nuclei, as a function of atmospheric depth. The total flux from the upper hemisphere of 2x solid angle is shown, calculated with our propagation equations for solar minimum, near the magnetic pole.

et al. (39). Their data can be converted to dose equivalent using the procedures outlined in ICRU Report 28 (40). At an altitude of about 20 to 25 km, the annual dose equivalent at high latitudes near solar minimum is about 14 rem; about half of neutron fluxes have been made by Merker et al. (37), Light et al. (38), and Armstrong it is due to neutrons. Table IV shows the contributions of the cosmic-ray components to the annual particles is built up in the atmosphere: the neutron flux peaks between 20 and 25 dose equivalent at altitudes 15 to 35 km, near solar min, at high geomagnetic latitudes. The data are based on O'Brien (41), our calculations of heavy primary nuclei (HZE), and Armstrong et al. (39) and Daniel and Stephens (8, 9). The flux of secondary tm, and electrons at slightly over 15 km. In addition, the upper limit of the hourly this slare is about five times less than the upper limit shown in Table IV. For altitudes dose equivalent for the giant flare of the February 23, 1956, flare is given in the last column; these data are from Armstrong et al. (42). The lower limit of the dose from less than ~25 km, the dose equivalent is dominated by neutrons.

the relative contribution of heavy nuclei $(Z \ge 6)$ to the total dose equivalent as a There is a significant difference between cosmic rays and solar stare particles in rapidly. Adopting the normal flare particle composition, based on the collected data nuclei under unshielded conditions contribute \sim 75% of the total dose equivalent. If and contribute significantly to about 15 g/cm2 in a material like Al. The relative contribution of the heavy nuclei in solar flare particles is attenuated much more of Adams et al., the unshielded dose equivalent of heavy nuclei is similar to that of protons, but is attenuated so rapidly that its contribution becomes insignificant (<30% of total dose equivalent with only 1 g/cm2 of shielding). For a flattish spectrum below ~0.5 GeV or rigidities < 1 GV like that of the February 1956 flare (1), the heavy nuclei become insignificant after 2 g/cm² of shielding. Heavy nuclei are enhanced in some flares. With an enhancement such as occurs in 10% of the flares, the HZE function of shielding: The heavy nuclei in cosmic rays dominate to about 8 g/cm²

Annual Dose Equivalents of Cosmic-Ray Components in the Upper Atmosphere and Comparison with the Hourly Rate of the February 23, 1956, Solar Flare

Solar flare dose-	equivalent rate (rem/hr)	¥	č	ኤ	<u>-</u>	<u>*</u>
	Total	2	:	:	<u>-</u>	2
(rem/)·ear)	HPN	-	ı	-	4	‰
dose equivalent rate (rem/)vear	d	.2	ħ	4	4.5	4.5
Dose edu	u	+	*	ě	4.5	*
	,	÷	ኤ	ኢ	<u>.</u>	~0.5 €
	(g/cm²)	011	S	22	2	•
•	Altitude (km)	15	2	22	8	33

O'Brien (41). This work.

/<u>.</u>

Armstrong et al. (39).

Daniel and Stephens (8, 9).

Armstrong et al. (42), giant flare of Feb. 23, 1956; upper limit.

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we also assume a spectrum like that of the February 1956 flare, the HZE nuclei dominate up to about 2 g/cm2 and contribute significantly up to 4 g/cm2.

The absorbed dose for solar flare protons with energies > 30 MeV can approach 1000 rad over the duration of the flare (2 or 3 days). As the protons are absorbed by the atmosphere, the dose due to neutrons can build up to rather high levels. For the flare of February 23, 1956, the absorbed dose due to neutron component was between 2 and 10 rad/day at an atmospheric depth of 25 to 40 g/cm², i.e., at altitudes of 22 to 25 km.

At altitudes between about 350 and 35,000 km, the dose due to the trapped radiation (mainly protons and electrons) dominates over cosmic rays. At altitudes between 2000 and 5000 km, the absorbed dose rate is \sim 300 rad/day behind a shield of 1 g/cm2, which approximately equals that due to the largest solar flares.

DISCUSSION

the absorbed doses and dose equivalents due to the nuclei of various elements in cosmic rays. The HZE nuclei give the dominant contribution to the dose equivalent up to a shield thickness of about 10 g/cm² around a 30-cm water phantom. For LET A procedure has been developed here for calculating the LET distributions of the various cosmic-ray nuclei, their transformations during propagation in materials, and > 2500 MeV/(g/cm²), the RBE and the quality factor probably decrease; however, the fraction of cosmic-ray iron nuclei at low energies that exceed the above LET value is small.

Due to the large fraction of high-energy particles in cosmic rays, the dose is attenuated at a low rate as a function of matter or shielding traversed. Hence the dose is also relatively similar in various organs at various depths in the body. As shown in Table III, the annual absorbed dose from cosmic ray nuclei, at solar min., outside the atmosphere ranges from 10 rad at a depth of 0.1 cm to 7 rad at 15 cm in an unshielded water phantom of 30 cm diameter. The secondary dose due to proton interactions adds ~3 rad (2). The corresponding annual dose equivalent (see Table III) ranges from 36 to 16 rem-a modest variation. The secondary dose due to proton interactions adds ~ 9 rem (2). We shall explore below how these values compare with the dose limits developed by panels of radiobiological experts.

The effects of radiation (especially of high-LET radiation) on man are not yet known as well as they should be. Lushbaugh (43) has discussed human lethality for total-body irradiation and the effects of dose fractionation (the increase in the lethal dose with fractionation). For an exposure shorter than I week, a low-LET dose of 345 rad is lethal to half the human recipients (43) and 118 rad to 10%. The 1980 BEIR report (30) discusses the probability of generating leukemia and other cancers by radiation; e.g., for the linear-quadratic linear (LQ-L) model, a continuous lifetime exposure to 1 rad per year of low-LET radiation generates about one to three cases of cancer per 100 exposed women and excess cases of leukemia that are ~14% above the normal incidence. A similar absorbed dose of neutrons is estimated (30) to increase the excess incidence of leukemia and other cancers by a factor of about 25 relative to that induced by low-LET radiation. The BEIR report also mentions that the threshold of vision-impairing lens opacification is about 200 rad or somewhat greater

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for low-LET radiation, and that a quality factor of 10 has been proposed for lifetime exposure to high-LET radiation.

COSMIC-RAY DOSES, LET DISTRIBUTIONS

on Radiation Protection and Measurements (NCRP) and International Commission passengers, but should not exceed that of radiation workers. Higher exposure limits Guidelines for radiation protection have been developed by the National Council on Radiological Protection (ICRP). Based on these guidelines, the Advisory Committee for Radiation Biology Aspects of the SST (5) has developed recommendations for dose limits at supersonic flight altitudes. An individual limit of 0.5 rem/year was recommended for passengers and the public in general. For radiation workers, the limit is 5 rem/year; the limit for the flight crew could slightly exceed that of the Committee on Space Medicine, Space Science Board, NAS/NRC: At a tissue depth of 3 cm, the monthly maximum is 13 rem, yearly maximum is 38 rem, and 10-year or career limit is 200 rem. However, these limits were considered (44) to be subject to revision and were applicable only to a few volunteers who are older than 30 years and have established their family size. In the application of exposure limits, the depth distribution of the sensitive organs has to be considered. Some depth distributions are given by Kerr (45); e.g., the active bone marrow for Japanese adults is distributed have been proposed for space missions (44) by the Radiobiological Advisory Panel, between depths of 0.5 to 7 cm.

by an order of magnitude with a shielding that deflects protons with energies < 200 MeV, e.g., the plasma shielding proposed by Levy and Janes (47) and Levy and Using the relatively high exposure limits of the Radiobiological Advisory Panel (44), we shall briefly review and explore the corresponding allowable exposure times for a shield of ~ 4 g/cm² Al. Using the dose rates of Burrell et al. (46), for the radiation belts, the allowable exposure times for circular orbits with 30° inclination range from a space station or space habitat outside the earth's magnetosphere (such as proposed 23, 1956 [Foelsche (1) and Armstrong et al. (42)] the allowable exposure time for a 13-rem dose is only about 2 hr. The total flare dose is reduced below 13 rem by a shield that deflects protons up to 500 MeV, or an inert shield of ~ 300 g/cm² (built of lunar material in the case of the space habitat). (The deflecting shield needs to be about a year at an altitude of 200 n. mi. (370 km), to about a month at 250 n. mi. (460 km), to about 4 hr at 3000 km altitude. These exposure times could be extended French (48). (The shield needs to be turned on at the South Atlantic Anomaly.) For by O'Neill of Princeton University) and a solar flare spectrum like that of February LET radiation like neutrons is ~25 as in the 1980 BEIR report, the shielding reactivated at a time of a large flare only.) If the RBE (and the quality factor) of highquirements for neutrons become still more severe.

The corresponding allowable time limits for exposure to cosmic rays have uncernetosphere. The dose equivalent (including neutrons and secondary protons) at a tainties that require extensive experimental and theoretical investigations by radiobiologists. Consider again a space station or space habitat beyond the earth's magthat the quality factor of heavy ions in the range $1000 \le LET < 2500 \text{ MeV/(g/cm}^2$ depth of 5 cm in tissue, surrounded by 4 g/cm² Al, is 27 rem/year. While this appears less than the limit (44) of 38 rem/year, it is possible on the basis of the 1980 BEIR report (30) (where the quality factor for neutrons was taken to be 25 rather than 10) H₂O) should also be increased by a factor of about 3. In this case, the equivalent

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The dose equivalent exceeds 350 rem, but there may be repair processes during slow cumulative exposures—yet for high-LET radiations the repair process may not be effective. All these problems and questions regarding the high-LET component in dose from cosmic rays would exceed the recommended annual limit (44) and considerably exceed the 10-year or career limit. All this raises several questions. Do the lower-energy iron nuclei in cosmic rays have such high values of LET that the quality factor and the dose equivalent should be lower as a result of the microbeam effect? Could a cumulative exposure of > 10 years to cosmic rays generate eye lens cataracts? cosmic rays imply a need for additional investigations by radiobiologists, some of which are mentioned below.

The generation of tumors and eye lens opacification by heavy ions in rodents (and of LET where the RBE starts to decrease, and what is the relation between RBE and doses as a function of LET — i.e., what is the degree of repair in the case of fractionated and dose rate in the case of heavy ions? The answers to these questions are likely to be different for different kinds of organic damage; furthermore, extrapolations from studies with animals are not simply related to effects in men. It would be useful to carry out extended studies of personnel exposed to the space environment or on supersonic aircraft (similar to the studies at Hiroshima and Nagasaki), though it is plausible that no statistically significant conclusions could be drawn until the advent possibly in other mammals) needs additional investigation. How is the dose of HZE particles related to RBE for various kinds of organic damage? How high are the values LET in this region? What is the relative damage in the case of single and fractionated doses at various values of LET? How does the degree of repair depend on the dose of large space habitats.

atmosphere compared to that at ground level. In the former, under many circumstances, the high-LET radiation dominates in the form of HZE particles for <10 g/cm² of There is a significant difference in the nature of radiation in space and the upper shielding and in the form of neutrons for more extensive shielding.

investigations outlined in the preceding paragraphs are vital for illuminating the still uncertain risks due to the high-LET radiation. When the results of such radiobiological research are combined with the procedures developed in this paper for calculating the LET distributions, absorbed doses, and dose equivalents of cosmicnuclei (at various depths in tissue), improved safety of long-duration missions

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